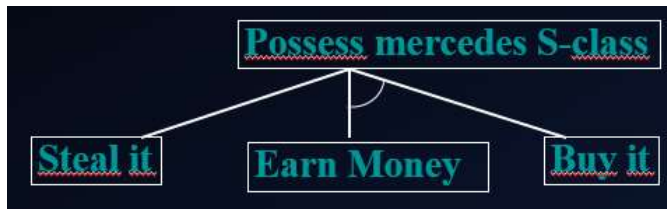


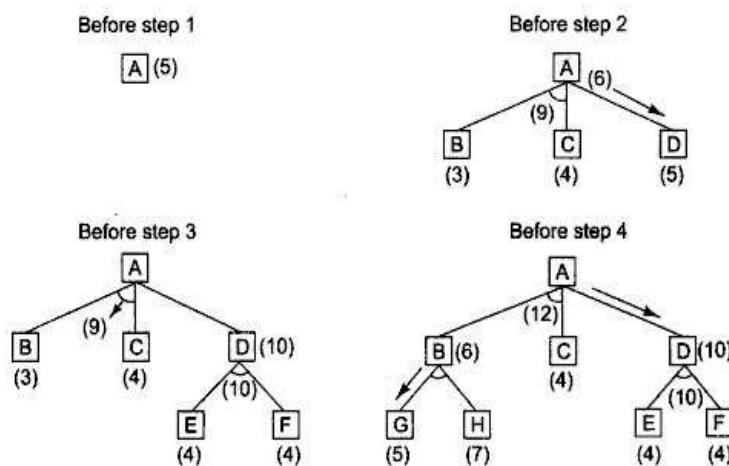
**Internal Assessment Test 1 – Sept. 2019**

Sub:	ARTIFICIAL INTELLIGENCE	Sub Code:	17CS562	Branch:	OPEN ELECTIVE (ISE V)
Date:	09/09/2019	Duration:	90 min's	Max Marks:	50
		Sem / Sec:	V		OBE
<u>Answer any five full questions</u>					
<u>PART -1</u>					
				MARKS	
1 (a)	List and explain the problems characteristics which must be analyzed before deciding on a proper heuristic search?			[10]	
Ans	<p>Problems characteristics which must be analyzed before deciding on a proper heuristic search are:</p> <ol style="list-style-type: none"> <li>1. Is the problem decomposable into a set of independent smaller or easier problems?</li> <li>2. Can solution step be ignored or at least undone if they prove unwise?</li> <li>3. Is the problem's universe predictable?</li> <li>4. Is a good solution the problem obvious without comparison to all other possible solutions?</li> <li>5. Is the desired solution a state or a path to state?</li> <li>6. Is a large amount of knowledge absolutely required to solve the problem, or is knowledge important only to constrain the search?</li> <li>7. Is the solution to the problem require interaction between the computer and a person?</li> </ol> <p>PS: Elaborate on these characteristics.</p>				
2 (a)	Explain the components and categories of production system. List the requirement of good control strategies.			[4+4+2]	
Ans:	<p>Production System is the structure of AI programs that facilitates search process. A production system consists of:</p> <ul style="list-style-type: none"> <li>• A set of rules</li> <li>• One or more knowledge/databases that contain the appropriate information.</li> <li>• A control strategy</li> <li>• A rule applier.</li> </ul> <p>Types of production system:</p> <ul style="list-style-type: none"> <li>• Monotonic Production system:</li> <li>• Non-monotonic production system:</li> <li>• Partially commutative production system</li> <li>• Commutative production system</li> </ul> <p>Requirement of good control strategy:</p> <ul style="list-style-type: none"> <li>• A good control strategy must cause motion i.e change of states towards goal state.</li> <li>• A good control strategy must be systematic.</li> </ul>				
3 (a)	Explain how AND-OR graphs are used in problem reduction with suitable example.			[10]	
Ans	<p>Problem reduction:</p> <ul style="list-style-type: none"> <li>• Useful for representing the solution of problems that can be solved by decomposing them into a set of smaller problems, all of which must be then solved.</li> </ul>				

- Some problems are best represented as achieving sub goals, some of which achieved simultaneously and independently (AND)



- Algorithm similar to Best First Search but with the ability to handle AND arcs.
- Must examine several nodes simultaneously when choosing the next move.
- The choice of the next node to expand depends not only on  $f^*$  value of the node but also on whether that node is part of the current best path from the initial node.



( Optional algorithm)

**Algorithm: Problem Reduction**

1. Initialize the graph to the starting node.
2. Loop until the starting node is labeled *SOLVED* or until its cost goes above *FUTILITY*:
  - (a) Traverse the graph, starting at the initial node and following the current best path, and add to the set of nodes that are on that path and have not yet been expanded or labeled as solved.
  - (b) Pick one of these unexpanded nodes and expand it. If there are no successors, assign *FUTILITY* the value of this node. Otherwise, add its successors to the graph and for each of them compute  $f^*$  (use only  $h^*$  and ignore  $g$ , for reasons we discuss below). If any node is 0, mark that node *SOLVED*.
  - (c) Change the  $f^*$  estimate of the newly expanded node to reflect the new information provided by its successors. Propagate this change backward through the graph. If any node contains a path whose descendants are all solved, label the node itself as *SOLVED*. At each node that is not on the current best path, while going up the graph, decide which of its successor arcs is the most promising and add it to the current best path. This may cause the current best path to change. This propagation of revised cost estimates back up the tree was not necessary in the best-first search algorithm because only unexpanded nodes were examined. But now expanded nodes must be reexamined so that the best current path can be selected. Thus it is important that their  $f^*$  values be the best available.

4 (a) Define AI. What are the different levels of modeling in AI? List the task domains of AI. [2+3+5]

Ans AI is the study of technique for solving exponentially hard problems in polynomial time by exploiting knowledge about the problem domain.  
AI (artificial intelligence) is the simulation of human intelligence processes by machines, especially computer systems. These processes include learning (the acquisition of information and rules for using the information), reasoning (using rules to reach approximate or definite conclusions) and self-correction.

Artificial Intelligence (or AI) is "the study and design of intelligent agents"

Task Domains:

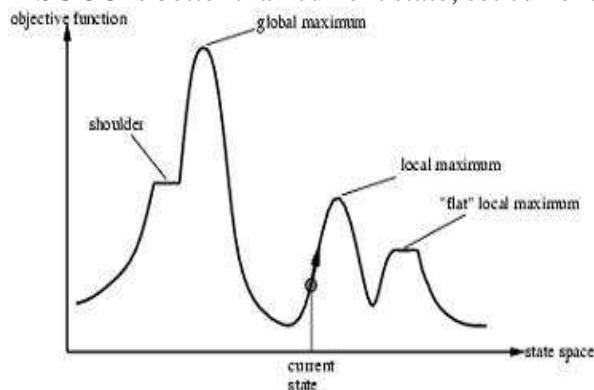
- Perception,
- Natural Language,
- Reasoning,
- Games,
- Mathematics,
- Engineering,
- Scientific Analysis, etc

(PS: Elaborate on few of the above task domains)

5 (a) Write and explain steepest hill climbing search algorithm. Comment on its drawbacks and how to overcome these drawbacks [6+2+2]

Ans Algorithm for Steepest Hill Climbing:

1. Evaluate the initial state. If it is also a goal state, then return it and quit. Otherwise, continue with the initial state as current state.
2. Loop until a solution is found or until a complete iteration produces no changes to current state.
  - a. Let SUCC be a state such that any possible successor of the current state will be better than SUCC.
  - b. For each operator that applies to the current state do:
    - i. Apply the operator and generate a new state.
    - ii. Evaluate the new state, If it is a goal state, then return it and quit. If not compare it to SUCC. If it is better, then set SUCC to this state.
    - iii. If SUCC is better than current state, set current state to SUCC.



Drawbacks:

1. Local Maximum/minimum
2. Plateau
3. Ridge

Dealing with problems:

CO1	L1
CO2	L2

- a) Back track to some earlier nodes and try a different direction. This is a good way of dealing with local maxim.
- b) Make a big jump in some direction to a new area in the search. This can be done by applying two more rules or the same rule several times, before testing. This is a good strategy in dealing with plateaus and ridges.
- c) Apply two or more rules before doing the test.

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6 Consider trying to solve the following instance of 8-puzzle using **Best-First search**. Apply any heuristic function appropriate to solve the following example and write the search tree.

[10]

CO2	L3
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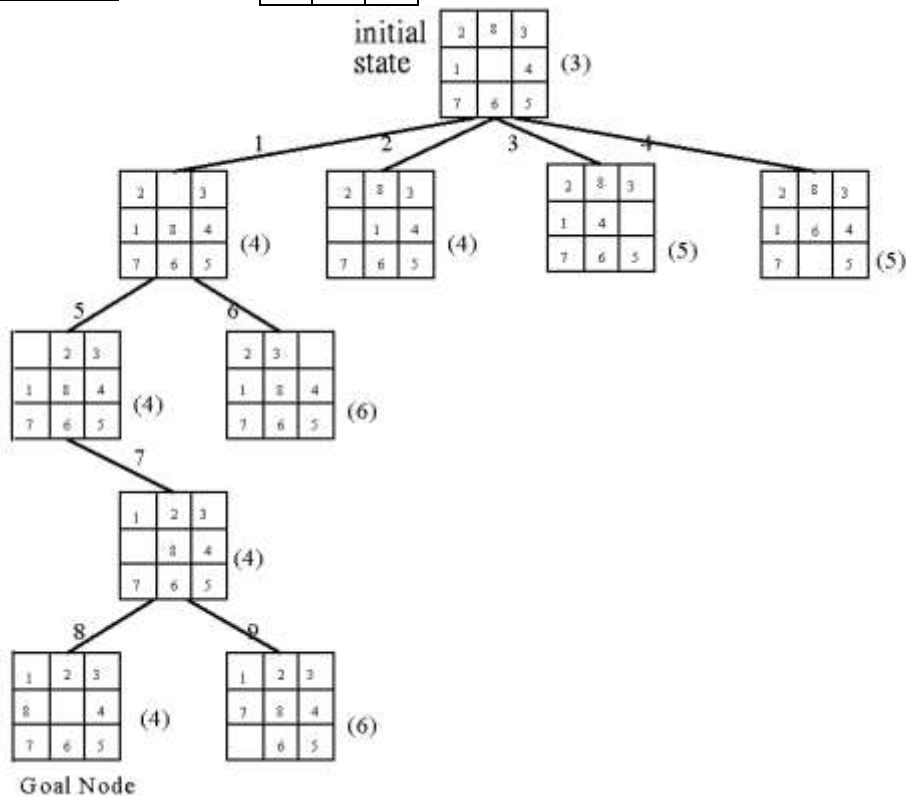
**Start State**

2	8	3
1		4
7	6	5

**Goal State**

1	2	3
8		4
7	6	5

Ans

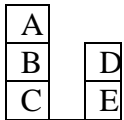


Heuristic :  $h(n) = \text{depth of node}(n) + \text{misplaced tiles}(n)$

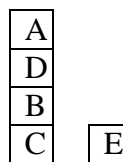

7 Apply appropriate heuristic to solve the following block word problem using **steepest ascent hill climbing** method, show the steps using search tree.

[10]

**Start State**



**Goal State**



Ans

8. You are given two jugs, a 5-gallon one and a 3-gallon one, a pump which has unlimited water which you can use to fill the jug, and the ground on which water may be poured. Neither jug has any measuring markings on it. How can you get exactly 4 gallons of water in the 5-gallon jug? Write production rules and give state transitions for any one possible solution for the above problem.

[6+4]

Ans

<b>1. (x,y) If <math>x &lt; 5</math></b>	<b>(5,y)</b>	<b>Fill the 5 gallon jug</b>
<b>2. (x,y) If <math>y &lt; 3</math></b>	<b>(x,3)</b>	<b>Fill the 3 gallon jug</b>
<b>3. (x,y) If <math>x &gt; 0</math></b>	<b>(0,y)</b>	<b>Empty the 5 gallon jug on the ground</b>
<b>4. (x,y) If <math>y &gt; 0</math></b>	<b>(x,0)</b>	<b>Empty the 3 gallon jug on the ground</b>
<b>5. (x,y) If <math>x+y \geq 5</math> and <math>y &gt; 0</math></b>	<b>(5,y-(5-x))</b>	<b>Pour water from 3-gallon jug in to the 5 gallon jug until the 5 gallon jug is full</b>
<b>6. (x,y) If <math>x+y \geq 3</math> and <math>x &gt; 0</math></b>	<b>(x-(3-y),3)</b>	<b>Pour water from 5-gallon jug in to the 3 gallon jug until the 3 gallon jug is full</b>
<b>7. (x,y) If <math>x+y \leq 3</math> and <math>x &gt; 0</math></b>	<b>(0,x+y)</b>	<b>Pour all water from 5-gallon jug in to the 3 gallon jug</b>
<b>8. (x,y) If <math>x+y \leq 5</math> and <math>y &gt; 0</math></b>	<b>(x+y,0)</b>	<b>Pour all water from 3-gallon jug in to the 5 gallon jug</b>

CO2	L3
CO1	L3

<b>9. (x,y) If <math>x &gt; 0</math></b>	<b>(x-d,y)</b>	<b>Pour some water out of 5 gallon jug</b>
<b>10. (x,y) If <math>y &gt; 0</math></b>	<b>(x,y-d)</b>	<b>Pour some water out of 4 gallon jug</b>

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<b>5-Gallon jug</b>	<b>3-Gallon jug</b>	<b>Rule Applied</b>
0	0	1
5	0	6
2	3	4
2	0	7
0	2	1
5	2	7
4	3	Final state