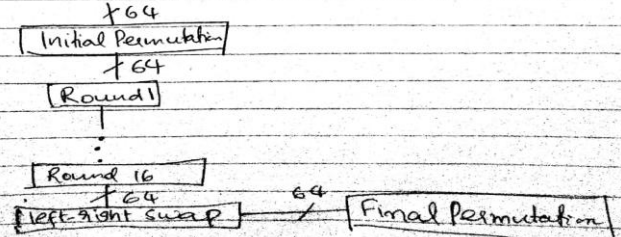
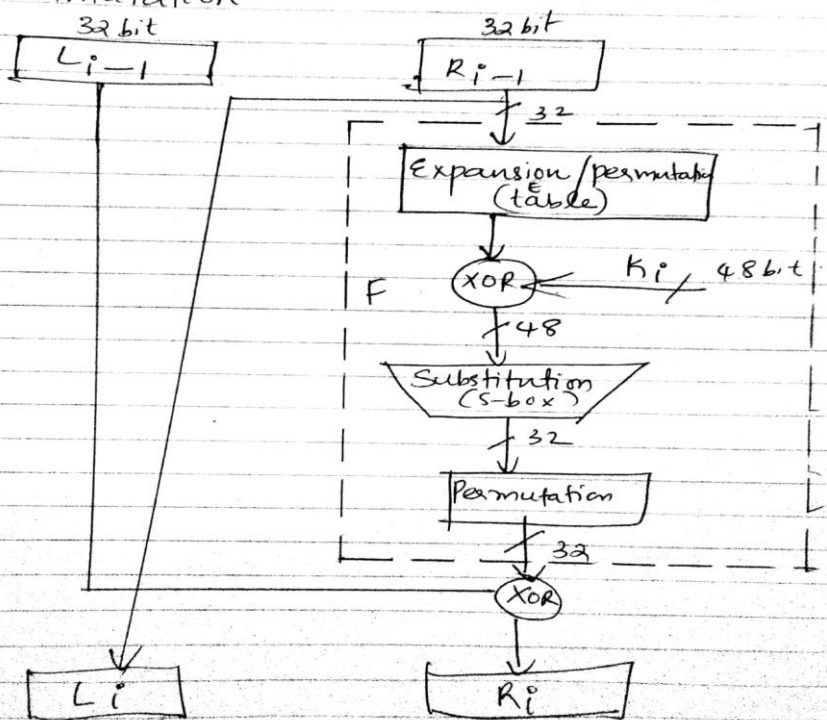


Internal Assessment Test 1 – March 2018

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|------------|--|-----------|----------|------------|-----|
| Sub: | Cryptography, Network Security and Cyber Law | Sub Code: | 15CS561 | Branch: | CSE |
| Date: | 12/03/2018 | Duration: | 90 min's | Max Marks: | 50 |
| Sem / Sec: | VI/A,B,C | | | OBE | |

Answer any FIVE FULL Questions

| | | MARKS | CO | RBT |
|-----|---|-------|-----|-----|
| Q1. | <p>Explain DES with neat block diagrams.</p> <p>Diagrams (2+4=6M) Explanation (4M)</p> <p><u>DES Construction</u></p> <p><u>Fiestel structures:</u></p> <p>Block size is 64 bits ; Key - 56 bit key.</p> <p>These are 4 stages -</p> <ol style="list-style-type: none"> ① Initial permutation ② 16 rounds of a given function ③ 32 bit left right swap ④ final permutation.  <p><u>Round function involves 4 operations:</u></p> <ul style="list-style-type: none"> - Expansion - ⊕ with round key - Substitution - Permutation.  <p align="center">A single Round of DES</p> | [10] | CO1 | L2 |

64-bit plain text passes through an initial permutation that rearranges the bits to produce permuted input. This is followed by a phase consisting of 16 rounds of the same function, which involves both permutation and substitution. The o/p of the last round consists of 64 bits that are a function of input plain text and key. The left and right halves of output are swapped to produce pre output. The pre output is passed through inverse permutation to produce 64-bit cipher text.

Details of a single round - The left and right halves of each 64-bit plaintext values are treated as separate 32-bit values (L) and (R). The input to the round function is R_{i-1} which is expanded to 48 bits. 48 bits is then \oplus ed with round key, K_p (derived from main key, different for each round). The result of \oplus operation is divided into eight 6-bit chunks. (8 S-boxes) "o/p of S-box 4-bit (eight 4-bit chunks which is of total 32 bits). This output is then passed to permutation table. to which:

For encryption,

$$L_i = R_{i-1}$$

$$R_i = L_{i-1} \oplus f(R_{i-1}, K_i)$$

For Decryption,

$$R_{i-1} = L_i$$

$$L_{i-1} = R_i \oplus f(L_i, K_i)$$

Q2. Apply Chinese Remainder Theorem for following input,
 $x \equiv 2 \pmod{3}, x \equiv 2 \pmod{4}, x \equiv 1 \pmod{5}$
 M1, M2, M3- (3 M), Inverses (4M), Final calculation (3M)

[10]

CO1

L3

$$M = 3 \times 4 \times 5 = 60$$

$$M_1 = \frac{60}{3} = 20$$

$$M_2 = \frac{60}{4} = 15$$

$$M_3 = \frac{60}{5} = 12$$

$$a_1 = 2$$

$$a_2 = 2$$

$$a_3 = 1$$

$$M_1^{-1} = 20^{-1} \pmod{3}$$

$$= 2$$

$$M_2^{-1} = 15^{-1} \pmod{4}$$

$$= 3$$

$$M_3^{-1} = 12^{-1} \pmod{5}$$

$$= 3$$

$$x = (a_1 \times M_1 \times M_1^{-1}) + (a_2 \times M_2 \times M_2^{-1}) + (a_3 \times M_3 \times M_3^{-1}) \pmod{M}$$

$$= (2 \times 20 \times 2) + (2 \times 15 \times 3) + (1 \times 12 \times 3) \pmod{60}$$

$$= (80 + 90 + 36) \pmod{60} = 26$$

Q3. a. Apply Euclid's algorithm to calculate gcd(161, 112).

Each step carries 1 Mark.

gcd(161, 112)

Step 1: $161 = 112 * 1 + 49$

Step 2: $112 = 49 * 2 + 14$

Step 3: $49 = 14 * 3 + 7 \rightarrow \text{gcd}$

Step 4: $14 = 7 * 2 + 0$

[05]

CO1

L3

b. Explain phishing, DoS.

Phishing - (2.5M) DoS - (2.5M)

- ① Phishing and pharming attacks:
These attacks attempt to retrieve personal information from an individual. In phishing attack, the attacker directs its victims to a fake website (eg: banking site) which has the look and feel of authentic site where the victim has to share his credentials (username / password) which are then passed on to the attacker.
- ② Denial of Service (DoS) :- These attacks are meant to exhaust the computing power, memory capacity or bandwidth and make the service interrupted. It usually slows down the system.

[05]

CO1

L2

Q4. Explain Guiding Principles of security.

[10]

CO1

L2

Following are certain principles of modern security practice.

1) Security is as much a human problem than a technological problem and must be addressed at different levels.

At the highest level, security should be addressed by top-level management in large organizations. Robust security policies should be formulated and implementation strategy must be outlined by a team headed by CISO (Chief Information Security Officer).

System administrators should be proactive in patch application, configuring s/m & applications, setting user/group permissions to various s/m resources.

The final link in the security chain is the rank & file within an organization.

Employees should be educated on do's & don'ts through security awareness programs.

2) Security should be factored in at inception, not as an afterthought.

Functionality, correctness, performance, and reliability hogged the attention of designers several years ago. Integrating secure coding practices into the application software would be a solution to numerous attacks.

Security should be enforced in early on during the design phase of a n/aO product & then carried forward right through implementation & testing.

3) Security by obscurity (or by complexity) is often bogus.

The flaws are exposed over time after the protocols have been widely deployed, attracting closer attention from the hacker community. Ethical hacker community should be at least study new protocols & algorithms prior to widespread adoption.

- ④ Always consider the "Default Deny" policy for adoption in access control. The tradeoffs b/w white listing & black-listing should be carefully examined. Prudent security design should seriously consider adoption of the "Default Deny" policy.
- ⑤ An entity should be given the least amount/level of permissions/privileges to accomplish a given task.
 - RBAC
 - Privilege escalation
- ⑥ Use 'Defence in Depth' to enhance security of an architectural design.
 - Firewalls.
- ⑦ Identify vulnerabilities & respond appropriately.
 - $Risk = Assets \times Vulnerability \times Threat$
- ⑧ Carefully study the tradeoffs involving security before making any.
 - Security vs cost
 - Security vs performance
 - Security vs convenience

Q5. a. Write difference between secret key cryptography and public key cryptography. SKC-(2.5 M) PKC-(2.5M)

[5]

CO1

L2

Secret key cryptography - The sender and

receivers share a common secret - for encryption & decryption. So $e=d$ in the above equation.

If Alice and Bob share a secret key, k then she encrypts the message using the common secret. The encrypted message is decrypted using the same secret.

Operation performed by Alice : $c = E_k(p)$

Operation performed by Bob : $p = D_k(c)$

eg: DES, AES.

Public key Cryptography - Two distinct

keys forming a key pair are used - encryption key or public key and decryption key or private key.

Public key of user \rightarrow to encrypt message to that user. It is known to everyone.

Private key \rightarrow to decrypt message. It should not be revealed to anyone.

If Alice and Bob use public key cryptography,

Alice would encrypt her message using Bob's public key. Then Bob decrypts the message using his private key.
Operation performed by Alice:

$$C = E_{B_{pu}}(P), B_{pu} \rightarrow \text{public key of Bob}$$

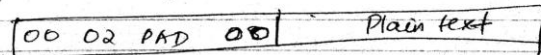
$$P = D_{B_{pr}}(C), B_{pr} \rightarrow \text{private key of Bob}$$

eg: RSA, ECC.

b. Explain PKCS

The use of small encryption keys is not secure and a solution is to pad the message with non-zero random bits before performing encryption. The number and positions of these bits are standardized. Padding is important if the message contains data that can be guessed. An attacker could guess plaintext, encrypt it with plain text public key and verify whether its encrypted version coincides with ciphertext sent.

PKCS #1, specifies the format of data to be encrypted by RSA. Bytes of block from left should be 00 followed by 02 followed by at least 8 random non-zero bytes and other.



[5]

CO2

L2

Q6.

a. Explain different substitution ciphers.

Caesar - 2M, Vigenere - 1.5 M, Hill - 1.5M

① Monoalphabetic ciphers

Substitution technique is one in which the letters of plain text are replaced by other letters or by numbers or symbols. In monoalphabetic cipher, the cipher text corresponding to a particular character in the plain text is ~~not~~ fixed.

- Caesar Cipher → In this, each alphabet

in the text is replaced by the alphabet k positions away. For $k=3$, substitutions are

D for A, E for B, A for X, ...

plain text: what is the population of Mars

Cipher text: zkdw lv wkh srsxodwlrq Ri Pduv

$$\text{Encryption, } C = (P + 3) \bmod 26, (k=3)$$

$$\text{Decryption, } P = (C - 3) \bmod 26$$

[5]

CO2

L2

2) Polyalphabetic Ciphers

In this, cipher text corresponding to a particular character in the plain text is not fixed.

The Vigenere Cipher

It uses multi-digit key, k_1, k_2, \dots, k_m .

The plain text is split into non-overlapping blocks, each containing m consecutive characters. Then the first letter of each block is replaced by letter k_1 , positions to its right, ...

eg. Key - 04 19 03 22 07 12 05 11

eg. Plain text: Wishing You Much Success
 +
 Key : 04 19 03 22 07 12 05 11 04 19 03 22 07 12 05 11 04 19 03 22 07
 Cipher : ABVDPYL JSN PBJT XFGVHOZ

Hill Cipher

The plain text is broken into blocks of size m . The key in Hill cipher is $m \times m$ matrix of integers between 0 and 25.

We use the mapping $A \rightarrow 0, B \rightarrow 1, \dots, Z \rightarrow 25$

Let p_1, p_2, \dots, p_m be the plain text,

c_1, c_2, \dots, c_m be the cipher text.

$$c_1 = p_1 k_{11} + p_2 k_{21} + \dots + p_m k_{m1} \pmod{26}$$

$$c_m = p_1 k_{1m} + p_2 k_{2m} + \dots + p_m k_{mm} \pmod{26}$$

$$\begin{cases} C = PK & \rightarrow \text{Encryption} \\ P = CK^{-1} & \rightarrow \text{Decryption} \end{cases}$$

Decryption will fail if K is singular.

eg. $P = (H \ I) \quad K = \begin{pmatrix} 3 & 7 \\ 15 & 12 \end{pmatrix}$

$$\begin{pmatrix} H & I \\ \downarrow & \downarrow \\ 7 & 8 \end{pmatrix}$$

Here $m=2$.

$$C = PK = (7 \ 8) * \begin{pmatrix} 3 & 7 \\ 15 & 12 \end{pmatrix} \pmod{26}$$

b. Apply extended Euclid's algorithm to calculate inverse of 12 modulo 79.

[5]

CO2

L3

| | b' | c' | q | r | old1 | new1 | old2 | new2 |
|---|----|----|---|---|------|------|------|------|
| | 79 | 12 | 9 | 2 | 1 | 0 | 0 | 1 |
| ① | 12 | 7 | 6 | 7 | 0 | 1 | 1 | -6 |
| ② | 7 | 5 | 1 | 9 | 1 | -1 | -6 | 7 |
| ③ | 5 | 2 | 1 | 2 | -1 | 2 | 7 | -13 |
| ④ | 2 | 1 | 2 | 1 | 2 | -5 | -13 | 33 |

| | | | | |
|-----|---|------|-----|----|
| Q7. | <p>a. State properties of Rings, Fields and Groups with example. Groups(4M), ring(3M), field (3M)</p> <p><u>Groups</u> - A group is a pair $\langle G, * \rangle$ where G is a set and $*$ is a binary operation such that following properties hold:</p> <p>① Closure: If $a, b \in G, a * b \in G$</p> <p>② Associativity: If $a, b, c \in G$, then $a * (b * c) = (a * b) * c$</p> <p>③ Identity element: There exists I in G such that for all b in G, $I * b = b = b * I$</p> <p>④ Inverse: For each element b in G, there exists exactly one element c in G such that $b * c = c * b = I$.</p> <p>eg. Set of integers with addition $(\mathbb{Z}, +)$ - is a group. \therefore</p> <ul style="list-style-type: none"> - closed - Associative - identity: $0; a + 0 = a$ - inverse: $-a; a + -a = 0$ | [10] | CO1 | L2 |
|-----|---|------|-----|----|

Rings

Ring is a triplet $\langle R, +, * \rangle$
 $+$ and $*$ are binary operations
and R is a set satisfying

- ① $\langle R, + \rangle$ is a commutative group.
- ② For all x, y and z in R ,
 $x * y \in R$
 $x * (y * z) = (x * y) * z$ (Associative)
 $x * (y + z) = (x * y) + (x * z)$ (Distributive)

Few other properties -

- ① All rings that we use have multiplicative identity = 1.
- ② $*$ need not be commutative, if $*$ is commutative, then it is commutative ring.
- ③ Each element x in R has an additive inverse $(-x)$.
eg: $(\mathbb{Z}, +, *)$ - Infinite ring
 $(\mathbb{Z}^+, +, *)$ - not a ring because all ~~of~~ numbers except 0 do not have additive inverse.

Fields

A field $\langle R, +, * \rangle$ is a commutative ring with following properties:-

- ① R has a multiplicative identity = 1
- ② Each element x in R has an x^{-1} . $x x^{-1} = 1$.
eg: $\langle \mathbb{R}, + \rangle$ and $\langle \mathbb{R} - \{0\}, * \rangle$ are commutative groups.
Set of all real numbers with $+$ and $*$ - Infinite field.
No. of elements in a field is p^m . (p - prime, m - ^{integer} integer)
A field of size p^m : $\text{GF}(p^m)$
For $p = m = 1$,
 $\text{GF}(p) = \langle \mathbb{Z}_p, +_p, *_p \rangle$.
For $m > 1$ fields, they are represented as Polynomials of degree $m-1$ over \mathbb{Z}_p .

Q8. Apply RSA to encrypt 00111011 and generate cipher text, and further derive the plain text with decryption. Consider $P=3, q=11$.

Encryption (5M), Decryption (5M)

$$n = pq = 11 \cdot 3 = 33$$

$$\phi(n) = (p-1)(q-1) = 10 \cdot 2 = 20$$

Choose e , such that $\text{gcd}(e, 20) = 1$

Let $e = 3$.

$$d = e^{-1} \pmod{\phi(n)}$$

$$= 3^{-1} \pmod{20}$$

$$= \underline{7}$$

$$b = \lceil \log_2 33 \rceil = \underline{6} \quad (\text{divide } m \text{ to } 6 \text{ bits each})$$

1st message block = 001110 = 14 (fill + 6 bits)

Second block = 000011 = 3 (pad first 4 bits with zero)

[10]

CO2

L3

$$c_1 = m_1^e \pmod n$$
$$= 14^3 \pmod{33} = \underline{\underline{5}}$$

$$c_2 = m_2^e \pmod n$$
$$= 3^3 \pmod{33}$$
$$= \underline{\underline{27}}$$

Decryption -

$$m_1 = c_1^d \pmod n$$
$$= 5^7 \pmod{33}$$

$$= 14$$
$$m_2 = c_2^d \pmod n$$
$$= 27^7 \pmod{33}$$
$$= \underline{\underline{3}}$$