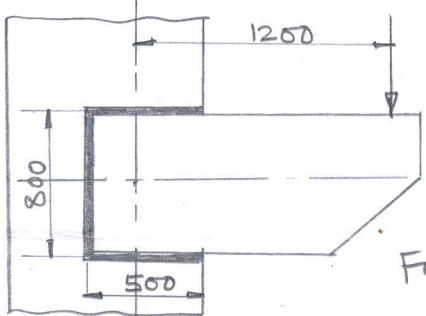
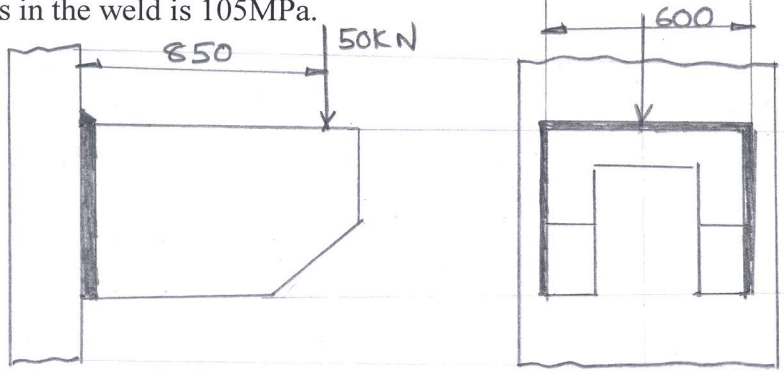


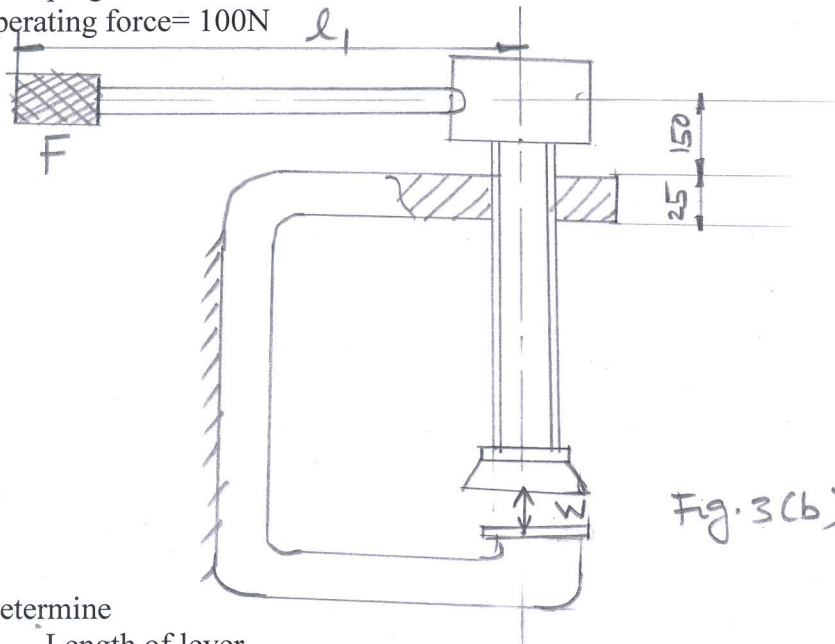
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Internal Assessment Test II – Oct 2019

Sub:	Design of Machine Elements-I				Sub Code:	17ME54	Branch:	ME		
Date:	15-10-2019	Duration:	90 min	Max Marks:	50	Sem / Sec:	V/A&B	OBE		
Answer any TWO FULL questions Note: Use of Machine Design data hand book is permitted.								MARKS	CO	RBT
1(a)	Derive an expression for the impact stress due to a direct axial load.						[10]	CO2	L3	
1(b)	A beam of 300 mm depth I section is resting on two supports 5 meters apart. It is loaded by a weight 5000N falling through a height 'h' and striking the beam at its mid point. Moment of inertia of the section is $9.6 \times 10^7 \text{ mm}^4$. $E = 21 \times 10^4 \text{ N/mm}^2$. Determine the permissible value of 'h', if the stress is limited to 130 N/mm^2 .						[15]	CO2	L3	
2(a)	Determine the load carrying capacity for a joint welded as shown in fig.2(a). The allowable shear stress in 5mm size weld is 75MPa.						[15]	CO5	L3	
		 <p style="text-align: center;">Fig. 2(a)</p>								
2(b)	Determine the size of weld for a joint loaded as shown in fig. 2(b). The allowable stress in the weld is 105MPa.						[10]	CO5	L3	
		 <p style="text-align: center;">Fig. 2(b)</p>								
3(a)	Derive an expression for the maximum efficiency of a square threaded power screw.						[10]	CO6	L3	
3(b)	Refer to the C- clamp as shown in fig. 3(b). It has the following details. Thread type: ISO metric threads Nominal diameter= 12 mm Pitch= 1.75 mm (Single start) Root Diameter= 9.853 mm						[15]	CO6	L3	

μ in thread = 0.12
 μ in collar = 0.25
 Mean collar radius = 6 mm
 Clamping force = 4500 N
 Operating force = 100 N



Determine

- i) Length of lever
- ii) Max. shear stress in the body of screw and its location
- iii) Bearing pressure on the threads of screw.

SRP
CI

CCI

HOD

Solutions for IAT-2 (2019-20, odd sem) question paper

Sem: V

Max. Marks = 50

Sub: DME I

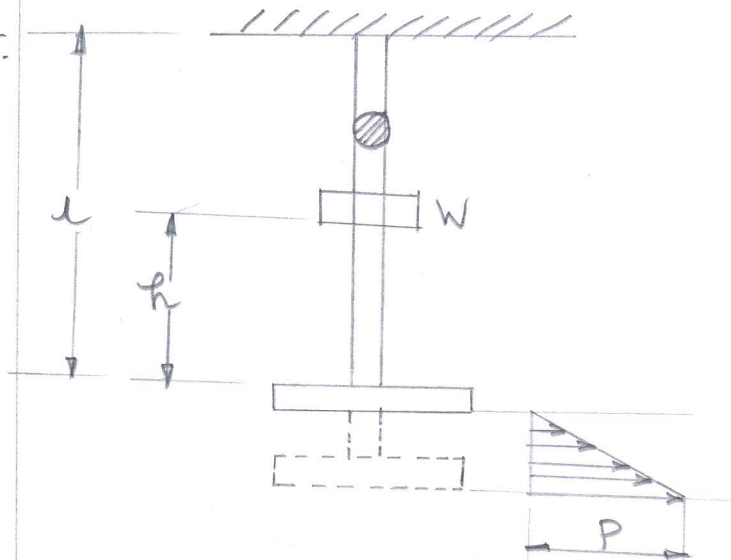
Staff: RPR.

Sub code: 17ME54

①

1(a) Derive an expression for impact stress due to a direct axial load.

Ans:



Let W = weight of falling body

A = c/s area of bar.

l = length of bar.

h = height of fall.

S_{max} = max. instantaneous deformation.

P = static equivalent load.

σ_i = impact stress induced in the bar.

E = Young's modulus of the bar material.

Potential energy of mass = Energy absorbed by bar

$$P.E \text{ of mass} = mg(h + S_{max})$$

$$= W(h + S_{max}) \quad \text{--- (1)}$$

Energy absorbed by bar = W.D by the falling body

$$= \text{mean load} \times \text{deflection} \quad (2)$$

$$= \left(\frac{0+P}{2} \right) \times S_{\text{max}}$$

$$= \frac{1}{2} P S_{\text{max}} \quad - (2)$$

$$\text{here } P = \sigma_i A \quad - (3)$$

$$S_{\text{max}} = \epsilon \cdot l$$

$$= \frac{\sigma_i}{E} \cdot l$$

$$= \frac{\sigma_i l}{E} \quad - (4)$$

Sub (3) & (4) in (1) & (2).

$$P \cdot E \text{ of mass} = W \left(h + \frac{\sigma_i l}{E} \right) \quad - (5)$$

$$\text{Energy absorbed} = \frac{1}{2} (\sigma_i A) \cdot \left(\frac{\sigma_i l}{E} \right) \quad - (6)$$

Equating (5) & (6)

$$\frac{\sigma_i^2 A l}{2E} = \frac{\sigma_i W l}{E} + W h$$

$$\left(\frac{A l}{2E} \right) \sigma_i^2 - \left(\frac{W l}{E} \right) \sigma_i - W h = 0$$

$$\sigma_i = \frac{W l}{E} \pm \sqrt{\left(\frac{W l}{E} \right)^2 - 4 \left(\frac{A l}{2E} \right) (-W h)}$$

$$2 \left(\frac{A l}{2E} \right)$$

$$= \frac{W l}{E} + \frac{W l}{E} \left[\sqrt{1 + 2 A h \left(\frac{E}{W l} \right)} \right]$$

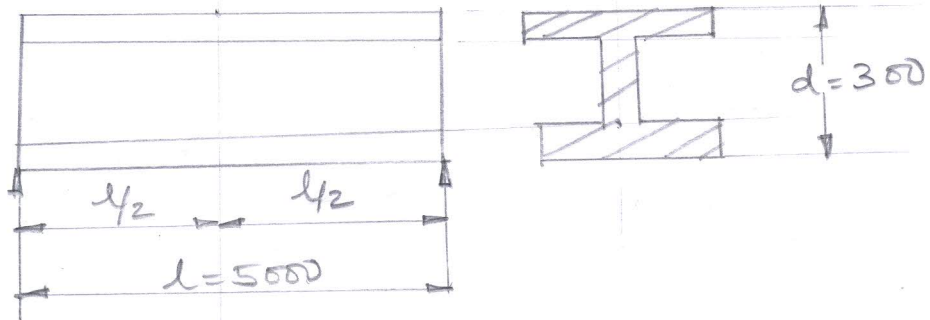
$$\left(\frac{A l}{E} \right)$$

$$= \frac{W}{A} \pm \frac{W}{A} \left[\sqrt{1 + \frac{2hAE}{Wl}} \right] \quad (3)$$

$$= \frac{W}{A} \left[1 + \sqrt{1 + \frac{2hAE}{Wl}} \right]$$

1(b) A beam of 300 mm depth I section is resting on two supports 5 metres apart. It is loaded by a weight 5000 N falling through a height 'h' striking the beam at its midpoint. M. I of the section is $9.6 \times 10^7 \text{ mm}^4$. $E = 21 \times 10^4 \text{ N/mm}^2$. Determine the permissible value of 'h' if the stress is limited to 130 N/mm^2 .

$$\downarrow W = 5000 \text{ N}$$



data

$$d = 300 \text{ mm}$$

$$l = 5000 \text{ mm}$$

$$W = 5000 \text{ N}$$

$$I = 9.6 \times 10^7 \text{ mm}^4$$

$$E = 21 \times 10^4 \text{ N/mm}^2$$

$$\sigma_{bi} = 130 \text{ N/mm}^2$$

to find $h = ?$

$$\sigma_{bi} = (\sigma_b)_{st} \left[1 + \sqrt{1 + \frac{2h}{s_{st}}} \right] \quad - (1) \quad (4)$$

$$(\sigma_b)_{st} = \frac{M_b \cdot c}{I}$$

where $M_b = \frac{Fl}{4}$

$$c = \frac{d}{2}$$

& $I = 9.6 \times 10^7 \text{ mm}^4$ (given).

$$\begin{aligned} \therefore (\sigma_b)_{st} &= \frac{Fl}{4} \times \frac{d}{2} \times \frac{1}{9.6 \times 10^7} \\ &= 9.76 \text{ N/mm}^2 \end{aligned}$$

$$s_{st} = \frac{Wl^3}{48EI} = 0.645 \text{ mm}$$

Sub in (1)

$$130 = 9.76 \left[1 + \sqrt{1 + \frac{2h}{0.645}} \right]$$

$$\Rightarrow h = 48.62 \text{ mm}$$

2(a) Det. the load carrying capacity for a joint welded as shown in fig 2(a). The allow. shear stress in 5mm size weld is 75MPa.

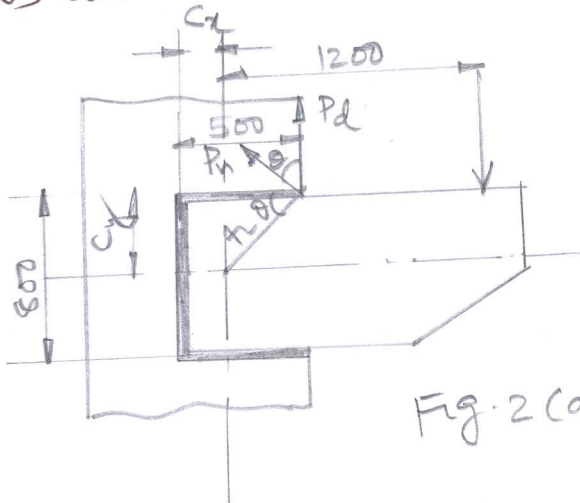


Fig. 2(a)

data

$$w = 5\text{mm}, \quad b = 500\text{mm}$$

$$\tau = 75\text{MPa}, \quad d = 800\text{mm}$$

to find

P = ?

1. C.G. of weld configuration

$$C_x = 400\text{mm}$$

$$C_y = \frac{b^2}{2b+d} = 139\text{mm}$$

2. Direct Shear Stress (τ_d)

$$\tau_d = \frac{P}{0.707wl}$$

$$= (1.571 \times 10^{-4} P) \text{ N/mm}^2$$

3. Sec. Shear Stress (τ_n)

$$\tau_n = \frac{M_L \times r}{J} = \frac{(P \times e) r}{J_w \times (0.707w)}$$

$$e = 1200 - C_y$$

$$= 1061\text{mm}$$

$$r = \sqrt{(500 - 139)^2 + 400^2}$$

$$= 539\text{mm}$$

$$J_w = \frac{(2b+d)^3}{12} - \frac{b^2(b+d)^2}{(2b+d)}$$

$$= 251.28 \times 10^6 \text{ mm}^3$$

$$\Rightarrow \tau_n = (6.43 \times 10^{-4} P) \text{ N/mm}^2$$

4. Load carrying capacity

$$\tau_{max} = \sqrt{\tau_d^2 + \tau_n^2 + 2\tau_d\tau_n \cos\theta}$$

$$\cos\theta = \frac{(500 - 139)}{539}$$

$$= 0.67$$

$$\therefore \tau_{max} = 7.573 \times 10^{-4} P$$

$$\text{ie } 75 = 7.573 \times 10^{-4} P$$

$$\Rightarrow P = 99.037 \text{ kN}$$

2(b) Det. the size of weld for a joint loaded as shown in fig. 2(b). The allow. stress in the weld is 105 MPa.

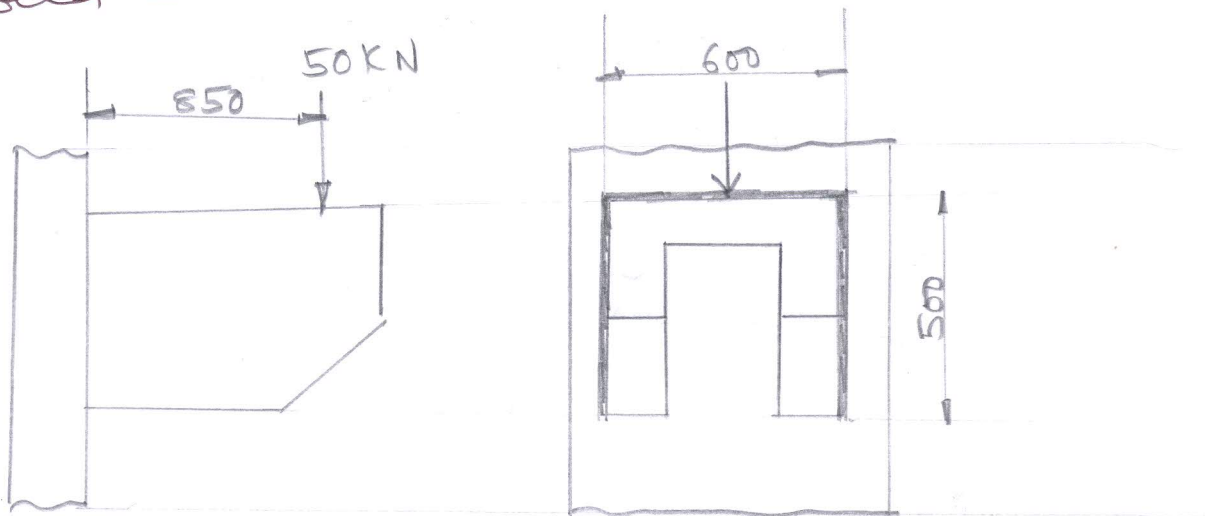


Fig. 2(b)

Ans:

data

$$b = 600 \text{ mm}$$

$$d = 500 \text{ mm}$$

$$\tau_{max} = 105 \text{ N/mm}^2$$

to find

$$w = ?$$

1) Direct Shear Stress (τ_d)

$$\tau_d = \frac{P}{(0.707w)l}$$

$$\text{where } l = (2 \times 500) + 600 \\ = 1600 \text{ mm.}$$

$$\tau_d = \frac{50 \times 10^3}{0.707w \times 1600}$$

$$= \left(\frac{44.2}{w} \right) \text{ N/mm}^2$$

2) Bending stress due to BM

$$\sigma_B = \frac{Pe}{Z_w(0.707w)}$$

$$\text{where } Z_w = \frac{d^2(2b+d)}{3(b+d)} \\ = 128.78 \times 10^3 \text{ mm}^2$$

$$\therefore \sigma_B = \frac{50 \times 10^3 \times 850}{128.78 \times 10^3 \times 0.707 \times w} \\ = \left(\frac{466.78}{w} \right) \text{ N/mm}^2$$

3) Size of weld

$$\sigma_{\text{max}} = \frac{\sigma_B}{2} + \sqrt{\left(\frac{\sigma_B}{2} \right)^2 + \tau^2}$$

$$105 = \frac{466.78}{2w} + \sqrt{\left(\frac{466.78}{2w} \right)^2 + \left(\frac{44.2}{w} \right)^2}$$

$$\Rightarrow w = 4.48 \text{ mm.}$$

$$\text{select } w = 4.5 \text{ mm.}$$

3(a) Derive an expression for the max. efficiency of a square threaded power screw. (8)

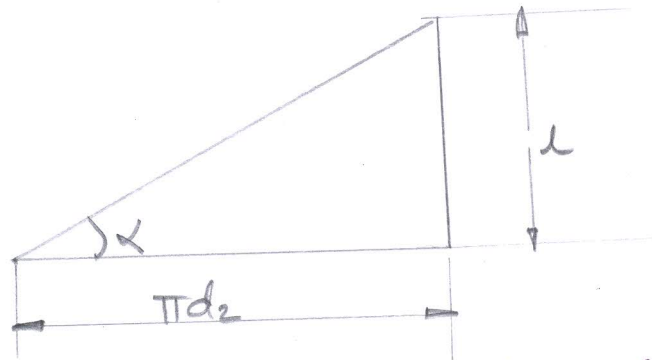


Fig: Development of the thread of a screw.

Fig 3(a)

with reference to fig. 3(a),

The work output for one turn = Wl .

The work input for one turn = $P(\pi d_2)$

$$\therefore \text{efficiency } (\eta) = \frac{\text{output work}}{\text{Input work}}$$

$$= \frac{Wl}{\pi d_2} = \frac{W}{P} \cdot \frac{l}{\pi d_2}$$

$$= \frac{W}{P} \tan \alpha$$

But $P = W \tan (\phi + \alpha)$.

$$\therefore \eta = \frac{W \tan \alpha}{W \tan (\phi + \alpha)}$$

$$= \frac{\sin \alpha / \cos \alpha}{\sin (\phi + \alpha) / \cos (\phi + \alpha)}$$

$$= \frac{\sin \alpha \cdot \cos (\phi + \alpha)}{\cos \alpha \cdot \sin (\phi + \alpha)}$$

$$= \frac{2 \sin \alpha \cdot \cos (\phi + \alpha)}{2 \cos \alpha \cdot \sin (\phi + \alpha)}$$

$$= \frac{\sin \alpha \cdot \cos (\phi + \alpha)}{\cos \alpha \cdot \sin (\phi + \alpha)}$$

$$= \frac{2 \sin \alpha \cdot \cos (\phi + \alpha)}{2 \cos \alpha \cdot \sin (\phi + \alpha)}$$

$$= \frac{\sin \alpha \cdot \cos (\phi + \alpha)}{\cos \alpha \cdot \sin (\phi + \alpha)}$$

$$\Rightarrow \eta = \frac{\sin(\alpha + \alpha + \phi) + \sin(\alpha - (\alpha + \phi))}{\sin(\alpha + \alpha + \phi) - \sin(\alpha - (\alpha + \phi))}$$

$$= \frac{\sin(2\alpha + \phi) + \sin(-\phi)}{\sin(2\alpha + \phi) - \sin(-\phi)}$$

$$= \frac{\sin(2\alpha + \phi) - \sin\phi}{\sin(2\alpha + \phi) + \sin\phi}$$

The only variable in the above expression is α .
 \therefore For η to be maximum, $\sin(2\alpha + \phi)$ should be maximum which is equal to 1.

$$\therefore \eta_{\text{max}} = \frac{1 - \sin\phi}{1 + \sin\phi}$$

3(b) Refer to the C-clamp shown in fig. 3(b). It has the following details.

Thread type = ISO metric threads

Nominal diameter = 12 mm.

Pitch = 1.75 mm (single start)

Root diameter = 9.853 mm.

μ in thread = 0.12.

μ in collar = 0.25.

Mean collar radius = 6 mm.

Clamping force = 4500 N.

Operating force = 100 N.

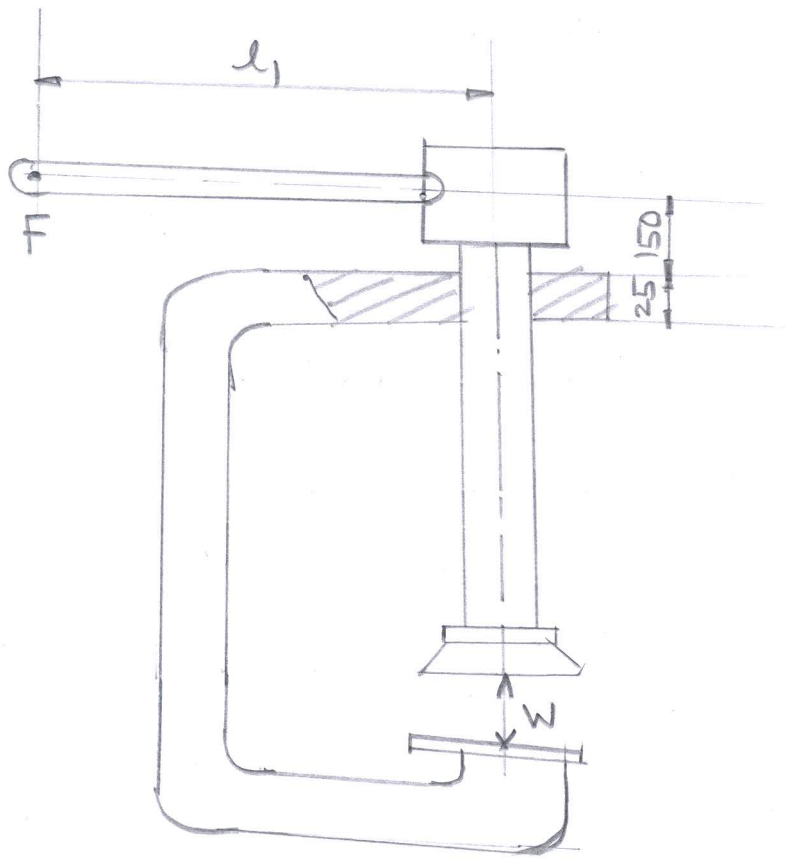


Fig. 3(b)

Determine

- i) length of lever
- ii) Max. Shear stress in the body of screw and its location
- iii) Bearing pressure in the threads of screw.

Ans: data

ISO metric threads

$$2\theta = 60^\circ$$

$$\Rightarrow \theta = 30^\circ$$

$$d = 12 \text{ mm}$$

$$P = 1.75 \text{ mm}$$

$$i = 1$$

$$d_1 = 9.853 \text{ mm}$$

$$A_1 = 76.25 \text{ mm}^2$$

ii)

$$\mu = 0.12$$

$$\mu_c = 0.25$$

$$r_c = 6 \text{ mm}$$

$$d_c = 12 \text{ mm}$$

$$W = 4500 \text{ N}$$

$$F = 100 \text{ N}$$

$$l_n = 25 \text{ mm}$$

to find

1) l

2) τ_{\max}