ANSWER KEY Internal Assessment Test 3 – Jan , 2022

at the same time, the most confusing ones.

Let's resolve that confusion.

Normalization or Min-Max Scaling is used to transform features to be on a similar scale. The new point is calculated as:

$X_new = (X - X-min)/(X_max - X-min)$

This scales the range to [0, 1] or sometimes [-1, 1]. Geometrically speaking, transformation squishes the ndimensional data into an n-dimensional unit hypercube. Normalization is useful when there are no outliers as it cannot cope up with them. Usually, we would scale age and not incomes because only a few people have high incomes but the age is close to uniform.

Standardization or Z-Score Normalization is the transformation of features by subtracting from mean and dividing by standard deviation. This is often called as Z-score.

X $new = (X - mean)/Std$

Standardization can be helpful in cases where the data follows a Gaussian distribution. However, this does not have to be necessarily true. Geometrically speaking, it translates the data to the mean vector of original data to the origin and squishes or expands the points if std is 1 respectively. We can see that we are just changing mean and standard deviation to a standard normal distribution which is still normal thus the shape of the distribution is not affected.

Standardization does not get affected by outliers because there is no predefined range of transformed features.

Difference between Normalization and Standardization

- Explicit reference to refer the current object, i.e the object which invoked the method
- Used to create and initialize instance variables of a class i.e it creates the attribute for the class
- 'self' reference must be used as a first parameter in all instance methods of a class otherwise


```
plt.hist(data, bins=30, normed=True, alpha=0.5,
          histtype='stepfilled', color='steelblue',
          edgecolor='none');
```
The plt.hist docstring has more information on other customization options available. I find this combination of histtype='stepfilled' along with some transparency alpha to be very useful when comparing histograms of several distributions:

```
x1 = np.random.normal(0, 0.8, 1000)
x2 = np.random.normal(-2, 1, 1000)x3 = np.random.normal(3, 2, 1000)kwargs = dict(histtype='stepfilled', alpha=0.3, normed=True, bins=40)
plt.hist(x1, **kwargs)
plt.hist(x2, **kwargs)
plt.hist(x3, **kwargs);
```
If you would like to simply compute the histogram (that is, count the number of points in a given bin) and not display it, the np.histogram() function is available:

```
counts, bin_edges = np.histogram(data, bins=5)
print(counts)
[ 12 190 468 301 29]
```
Two-Dimensional Histograms and Binnings

Just as we create histograms in one dimension by dividing the number-line into bins, we can also create histograms in two-dimensions by dividing points among two-dimensional bins. We'll take a brief look at several ways to do this here. We'll start by defining some data—an \times and \sqrt{y} array drawn from a multivariate Gaussian distribution:

```
mean = [0, 0]cov = [[1, 1], [1, 2]]x, y = np.random.multivariate_normal(mean, cov, 10000).T
```
plt.hist2d: Two-dimensional histogram

One straightforward way to plot a two-dimensional histogram is to use

Matplotlib's plt.hist2d function:

```
plt.hist2d(x, y, bins=30, cmap='Blues')
cb = plt.colorbar()cb.set_label('counts in bin')
```
Just as with plt.hist, plt.hist2d has a number of extra options to fine-tune the plot and the binning, which are nicely outlined in the function docstring. Further, just as $p1t$, hist has a counterpart in np.histogram, plt.hist2d has a counterpart in np.histogram2d, which can be used as follows:

counts, xedges, yedges = $np.histogram2d(x, y, bins=30)$ For the generalization of this histogram binning in dimensions higher than two, see the np.histogramdd function.

plt.hexbin: Hexagonal binnings

The two-dimensional histogram creates a tesselation of squares across the axes. Another natural shape for such a tesselation is the regular hexagon. For this purpose, Matplotlib provides the plt.hexbin routine, which will represents a two-dimensional dataset binned within a grid of hexagons:

```
plt.hexbin(x, y, gridsize=30, cmap='Blues')
cb = plt.colorbar(label='count in bin')
```
plt.hexbin has a number of interesting options, including the ability to specify weights for each point, and to change the output in each bin to any NumPy aggregate (mean of weights, standard deviation of weights, etc.).

Kernel density estimation

Another common method of evaluating densities in multiple dimensions is *kernel density estimation* (KDE). This will be discussed more fully in [In-Depth: Kernel Density Estimation,](https://jakevdp.github.io/PythonDataScienceHandbook/05.13-kernel-density-estimation.html) but for now we'll simply mention that KDE can be thought of as a way to "smear out" the points in space and add up the result to obtain a smooth function. One extremely quick and simple KDE implementation exists in the scipy.stats package. Here is a quick example of using the KDE on this data:

```
from scipy.stats import gaussian_kde
# fit an array of size [Ndim, Nsamples]
data = np.vstack([x, y])kde = gaussian_kde(data)
# evaluate on a regular grid
xgrid = np.linspace(-3.5, 3.5, 40)
ygrid = npuinspace(-6, 6, 40)Xgrid, Ygrid = np.meshgrid(xgrid, ygrid)
Z = kde.evaluate(np.vstack([Xgrid.ravel(), Ygrid.ravel()]))
# Plot the result as an image
plt.imshow(Z.reshape(Xgrid.shape),
            origin='lower', aspect='auto',
            extent=[-3.5, 3.5, -6, 6],
            cmap='Blues')
cb = plt.colorbar()cb.set_label("density")
```
KDE has a smoothing length that effectively slides the knob between detail and smoothness (one example of the ubiquitous bias–variance trade-off). The literature on choosing an appropriate smoothing length is vast: gaussian kde uses a rule-of-thumb to attempt to find a nearly optimal smoothing length for the input data.Other KDE implementations are available within the SciPy ecosystem, each with its own strengths and weaknesses; see, for

example, sklearn.neighbors.KernelDensity and statsmodels.nonparametric.kernel_density.KDEMultivari ate

```
6 Explain with an example "The GroupBy object "-- aggregate, filter, transform, and apply
     The GroupBy object is a very flexible abstraction. In many ways, you can simply treat it as if it's a 
      collection of DataFrames, and it does the difficult things under the hood. Let's see some examples 
     using the Planets data.
     Perhaps the most important operations made available by a GroupBy are aggregate, filter, transform, 
     and apply. We'll discuss each of these more fully in "Aggregate, Filter, Transform, Apply", but before 
      that let's introduce some of the other functionality that can be used with the 
     basic GroupBy operation.
     Aggregate, filter, transform, apply
     The preceding discussion focused on aggregation for the combine operation, but there are more 
     options available. In particular, GroupBy objects have aggregate(), filter(), transform(), 
     and apply() methods that efficiently implement a variety of useful operations before combining the 
      grouped data.
     For the purpose of the following subsections, we'll use this DataFrame:
     Code
     rng = np.random.RandomState(0)
     df = pd.DataFrame({'key': ['A', 'B', 'C', 'A', 'B', 'C'],
                   'data1': range(6),
                   'data2': rng.randint(0, 10, 6)},
                    columns = ['key', 'data1', 'data2'])
     df
        out[18]:\sigma\circ\trianglerightь
                                          ö
                     \bar{\mathbf{z}}\mathbf{G} .
                                  \mathbf{2}\mathbf{B}a
                     \boldsymbol{A}\mathbf{B}\mathbf{A}\mathcal{P}\mathbf CAggregation
     The aggregate() method allows for even more flexibility. It can take a string, a function, or a list thereof, and compute all 
     the aggregates at once. Here is a quick example combining all these:In [21]: df.groupby('key').aggregate(['min', np.median, max])
           out[21]:
                                            data2data1
                          min median max min median max
                      key
                            \theta1.5\overline{\mathbf{3}}\overline{\mathbf{3}}4.0\sqrt{5}A
                       B
                            \mathcal{A}25
                                         \overline{A}\theta3.5
                                                          \overline{7}\bar{z}C
                                  3.5
                                         5\overline{3}6.0
                                                          \overline{9}
```
Filtering A filtering operation allows you to drop data based on the group properties. For example, we might want to keep all groups in which the standard deviation is larger than some critical value: In [29]: $def filter_function(x);$
return x['data2'].std() > 4 display('df', "df.groupby('key').std()", df.groupby('key').filter(filter_func)) dF "df.groupby('key').std()" key data1 data2 $\begin{array}{cccccccccc} \textbf{1} & \textbf{3} & \textbf{1} & \textbf{0} \end{array}$ $2₀$ 12 \rightarrow $4.8.4.7$ 5° $\%$ -5 -8 The filter function should return a Boolean value specifying whether the group passes the filtering. Here because group A does not have a standard deviation. greater than 4, it is dropped from the result. Transformation While aggregation must return a reduced version of the data, transformation can return some transformed version of the full data to recombine. For such a transformation, the output is the same shape as the input. A common example is to center the data by subtracting the group-wise mean: In [24]: df.groupby('key').transform(lambda x: x - x.mean()) Out[24]1 data1 data2 $0 - 1.5 - 1.0$ $1 - 15 - 35$ $2 - 15 - 30$ $3 - 15 - 10$ $4.15.35$ $5 \t1.5 \t30$ The apply() method The apply() method lets you apply an arbitrary function to the group results. The function should take a DataFrane, and return either a Pandas object (e.g., DataFrame, Series) or a scalar; the combine operation will be tailored to the type of output returned. For example, here is an apply() that normalizes the first column by the sum of the second: In [28]: def norm_by_data2(x): is a patairame of argum values x['data1'] /= x['data2'].sum() return a display('df', df.groupby('key').apply(norm_by_data2)) *df* data1 data2 key $0 A 0.000000 5$ 1 B 0.542857 2 C 0.166657 3 3 A 0.375000 \equiv 1 Activate Windows $4.8.0571429.7$ the to Settings as activity? 6 C 0.416667 7 **When to use Static and Instance methods? Explain with an example** Instance / Regular methods require an instance (self) as the first argument and when the method is invoked (bound), self is automatically passed to the method • Static methods are functions which do not require instance but are part of class definitions. • Static mathods Useful when method does not need access to either the class variables or the instance variables. Instance methods Useful when method needs access to the values that are specific to the instance and needs to call other methods that have access to instance specific values.

• Before init () method, the object is been already constructed

8 **Justify the need of Pivot Tables? Explain with and example**

We have seen how the GroupBy abstraction lets us explore relationships within a dataset.

A *pivot table* is a similar operation that is commonly seen in spreadsheets and other programs that operate on tabular data.

The pivot table takes simple column-wise data as input, and groups the entries into a two-dimensional table that provides a multidimensional summarization of the data.

The difference between pivot tables and GroupBy : pivot tables as essentially a *multidimensional* version of GroupBy aggregation. That is, you split-apply-combine, but both the split and the combine happen across not a one-dimensional index, but across a two-dimensional grid.

Pivot Table Syntax

```
Here is the equivalent to the preceding operation using the pivot_table method of DataFrames:
```
In [5]: titanic.pivot table('survived', index='sex', columns='class') $Out[5]$: class **First Second Third** sex female 0.968085 0.921053 0.500000 male 0.368852 0.157407 0.135447

his is eminently more readable than the groupby approach, and produces the same result. As you might expect of an early 20th-century transatlantic cruise, the survival gradient favors both women and higher classes. First-class women survived with near certainty (hi, Rose!), while only one in ten third-class men survived (sorry, Jack!).

Multi-level pivot tables

Just as in the GroupBy, the grouping in pivot tables can be specified with multiple levels, and via a number of options. For example, we might be interested in looking at age as a third dimension. We'll bin the age using the pd.cut function:

of *x* values, a grid of *y* values, and a grid of *z* values. The *x* and *y* values represent positions on the plot, and the *z* values will be represented by the contour levels. Perhaps the most straightforward way to prepare such data is to use the np.meshgrid function, which builds two-dimensional grids from one-dimensional arrays:

```
x = npulinspace(\theta, 5, 50)
y = npulinspace(0, 5, 40)
X, Y = np \cdot meshgrid(x, y)Z = f(X, Y)
```
Now let's look at this with a standard line-only contour plot:

plt.contour(X, Y, Z, colors='black');

Notice that by default when a single color is used, negative values are represented by dashed lines, and positive values by solid lines. Alternatively, the lines can be color-coded by specifying a colormap with the cmap argument. Here, we'll also specify that we want more lines to be drawn—20 equally spaced intervals within the data range:

plt.contour(X, Y, Z, 20, cmap='RdGy');

Here we chose the RdGy (short for *Red-Gray*) colormap, which is a good choice for centered data. Matplotlib has a wide range of colormaps available, which you can easily browse in IPython by doing a tab completion on the plt.cm module:

plt.cm.<TAB>

Our plot is looking nicer, but the spaces between the lines may be a bit distracting. We can change this by switching to a filled contour plot using the $p1t$, contourf() function (notice the f at the end), which uses largely the same syntax as $plt.contrib$.

Additionally, we'll add a $p1t$.colorbar() command, which automatically creates an additional axis with labeled color information for the plot:

```
plt.contourf(X, Y, Z, 20, cmap='RdGy')
plt.colorbar();
```
The colorbar makes it clear that the black regions are "peaks," while the red regions are "valleys."

One potential issue with this plot is that it is a bit "splotchy." That is, the color steps are discrete rather than continuous, which is not always what is desired. This could be remedied by setting the number of contours to a very high number, but this results in a rather inefficient plot: Matplotlib must render a new polygon for each step in the level. A better way to handle this is to use the plt.imshow() function, which interprets a two-dimensional grid of data as an image.

The following code shows this:

plt.imshow(Z, extent=[0, 5, 0, 5], origin='lower'

```
 cmap='RdGy')
     plt.colorbar()
     plt.axis(aspect='image');
     There are a few potential gotchas with imshow(), however:
         • plt.imshow() doesn't accept an x and y grid, so you must manually specify 
             the extent [xmin, xmax, ymin, ymax] of the image on the plot.
             • plt.imshow() by default follows the standard image array definition where the origin is in the 
             upper left, not in the lower left as in most contour plots. This must be changed when showing 
             gridded data.
            • plt.imshow() will automatically adjust the axis aspect ratio to match the input data; this can be 
             changed by setting, for example, plt.axis(aspect='image') to make x and y units match.
     Finally, it can sometimes be useful to combine contour plots and image plots. For example, here 
     we'll use a partially transparent background image (with transparency set via the alpha parameter) 
     and overplot contours with labels on the contours themselves (using the plt.clabel() function):
     contours = plt.contrib(); Y, Z, 3, colors='black')plt.clabel(contours, inline=True, fontsize=8)
     plt.imshow(Z, extent=[0, 5, 0, 5], origin='lower',
                   cmap='RdGy', alpha=0.5)
     plt.colorbar();
     The combination of these three functions—plt.contour, plt.contourf, and plt.imshow—gives nearly
     limitless possibilities for displaying this sort of three-dimensional data within a two-dimensional plot.
1
     Write a Pandas program to create a data frame with the test data, split the dataframe by school code and get mean, min,
     and max value of i) age ii) weight for each school.
\OmegaTest Data:
          school class name age height weight 
     S1 s001 V Ram 12 173 35
     S2 s002 V Kiran 12 192 32
     S3 s003 VI Ryan 13 186 33
     S4 s001 VI Bhim 13 167 30
     S5 s002 VI Sita 14 151 31
     S6 s004 V Bhavana 12 159 32 
     Solution
      In [1]: import pandas as pd
              student_data = pd.DataFrame({
                 "school_code': ['s001','s002','s003','s001','s002','s004'],<br>'class': ['I', 'III', 'III', 'I', 'V', 'V'],<br>'name': ['Alberto Franco','Gino Mcneill','Ryan Parkes', 'Eesha Hinton', 'Gino Mcneill', 'David Parkes'],<br>'date Of Bir
                 'age': [12, 12, 13, 13, 14, 12],
                 "height": [173, 192, 186, 167, 151, 159],<br>"weight": [35, 32, 33, 30, 31, 32],<br>"address": ['street1', 'street2', 'street3', 'street1', 'street2', 'street4']},<br>index=['S1', 'S2', 'S3', 'S4', 'S5', 'S6'])
              print("Original DataFrame:")
             print(student_data)
```

```
Original DataFrame:
   school_code_class
                                      name date Of Birth
                                                                age
                                                                      height weight
                                                                                         \DeltaI Alberto Franco
                                                 15/05/2002S<sub>1</sub>s001
                                                                 12
                                                                         173
                                                                                     35
                             Gino Mcneill
                                                 17/05/2002
S<sub>2</sub>
            s002
                    III
                                                                 12
                                                                         192
                                                                                     32
S<sub>3</sub>
            s003
                    III
                              Ryan Parkes
                                                 16/02/1999
                                                                 13
                                                                         186
                                                                                     33
                             Eesha Hinton
                                                 25/09/1998
S4
            s001
                      \mathbf I13
                                                                         167
                                                                                     30
                             Gino Mcneill
                                                 11/05/2002
S<sub>5</sub>
            s002
                      \mathsf{V}14
                                                                         151
                                                                                     31
            s004
                             David Parkes
                                                 15/09/1997
S<sub>6</sub>
                      \mathsf{V}12159
                                                                                     32
    address
S1 street1
S2 street2
S3 street3
S4 street1
S5 street2
S6 street4
In [2]: print('\nMean, min, and max value of age for each value of the school:')
         grouped_single = student_data.groupby('school_code').agg({'age': ['mean', 'min', 'max']})
         print(grouped_single)
         Mean, min, and max value of age for each value of the school:
                      age
                      mean min max
         school_code
                     12.5 12 13
         50015002
                     13.0 12 14
         $803
                      13.0 13 13
         5004
                     12.0 12 12
In [3]: print('\nMean, min, and max value of weight for each value of the school:')
        grouped single = student data.groupby('school code').agg({'weight': ['mean', 'min', 'max']})
        print(grouped_single)
        Mean, min, and max value of weight for each value of the school:
                    weight
                      mean min max
        school_code
        see1
                      32.5 30 35
        s002
                      31.5 31
                                32
        5003
                      33.0 33
                                33
        s004
                      32.0 32 32
```