

Internal Test3 –January 2022







 $V_2 = \frac{V_1}{\cos \beta l}$ where.  $V_1$  = sending end voltage,  $l =$ length of the line,  $\beta$ =phase constant of the line  $\approx \left[\frac{(R+j\omega L)(G+j\omega C)}{LC}\right]^{\frac{1}{2}}$ about 6° per 100 km line at 50 Hz frequency.  $\omega$  = angular frequency for a line  $R$ — Resistance per unit length  $C -$ Capacitance per unit length L-Inductance per unit length G-Leakage conductance per unit length L,  $R$  and  $C$  -- Inductance, resistance and capacitance per unit length of the line  $1 -$  Length of the line Fig. 8.17 Typical uncompensated long transmission line Considering that the line capacitance is concentrated at the middle of the line, under open circuit conditions at the receiving end, the line charging current  $I_C \approx j\omega CV_1 = \frac{V_1}{X_C}$ and the voltage  $V_2 \approx V_1 \left[ 1 - \frac{X_L}{2X_C} \right]$ where,  $X_L$  = line inductive reactance, and  $X_C$  = line capacitive reactance. **(d) saturation in transformers, etc :** When voltages above the rated value are applied to transformers, their magnetizing currents (no load currents also) increase rapidly and may be about the full rated current for 50% overvoltage. These magnetizing currents are not sinusoidal in nature but are of a peaky waveform. • The third, fifth, and seventh harmonic contents may be 65%, 35%, and 25% of the exciting current of the fundamental frequency corresponding to an overvoltage of 1.2 p.u. • For third and its multiple harmonics, zero sequence impedance values are effective, and delta connected windings suppress them. • But the shunt connected capacitors and line capacitances can form resonant circuits and cause high third harmonic overvoltages. When such overvoltages are added, the voltage rise in the lines may be significant. For higher harmonics a series resonance between the transformer inductance and the line capacitance can occur which may produce even higher voltages.

**Control of Overvoltages Due to Switching The overvoltages due to switching and power frequency may be controlled by**











of equilibrium is reached.

- **Principle:** The electric field according to Coulomb is the field of forces. The electric field is produced by voltage and, therefore, if the **field force** could be measured, the **voltage** can also be measured.
- The voltmeters are used for the measurement of high a.c. and d.c. voltages. The measurement of voltages lower than about 50 volt is, however, not possible, as the forces become too small.
- When a voltage is applied to a parallel plate electrode arrangement, an electric field is set up between the plates.
- It is possible to have uniform electric field between the plates with suitable arrangement of the plates.
- The field is uniform, normal to the two plates and directed towards the negative plate.
- If A is the area of the plate and  $E$  is the electric field intensity between the plates ε the permittivity of the medium between the plates, we know that the energy density of the electric field between the plates is given as,

$$
W_d = \frac{1}{2} \varepsilon E^2
$$

Consider a differential volume between the plates and parallel to the plates with area *A and* thickness *dx, the energy content in this differential volume Adx is*

$$
dW = W_d A dx = \frac{1}{2} \varepsilon E^2 A dx
$$

Now force *F between the plates is defined as the derivative of stored electric energy along the* field direction *i.e.,*

$$
F = \frac{dW}{dx} = \frac{1}{2} \varepsilon E^2 A
$$

Now *E = V/d where V is the voltage to be measured and d the distance of separation between the* plates. Therefore, the expression for force

$$
F = \frac{1}{2} \varepsilon \frac{V^2 A}{d^2}
$$

Since the two plates are oppositely charged, there is always force of attraction between the plates. If the voltage is time dependant, the force developed is also time dependant. In such a case the mean value of force is used to measure the voltage. Thus

$$
F = \frac{1}{T} \int_0^T F(t)dt = \frac{1}{T} \int \frac{1}{2} \varepsilon \frac{V^2(t)}{d^2} dt = \frac{1}{2} \frac{\varepsilon A}{d^2} \cdot \frac{1}{T} \int V^2(t)dt = \frac{1}{2} \varepsilon A \frac{V_{rms}^2}{d^2}
$$

- Electrostatic voltmeters measure the force based on the above equations and are arranged such that one of the plates is rigidly fixed whereas the other is allowed to move.
- With this the electric field gets disturbed.
- For this reason, the movable electrode is allowed to move by not more than a fraction of a millimetre to a few millimetres even for high voltages so that the change in electric field is negligibly small.
- As the force is proportional to square of *Vrms, the meter can be used both for a.c. and d.c. voltage* measurement

Limitation:

- the load inductance and the measuring system capacitance form a series resonance circuit, a limit is imposed on the frequency range.
- Difficult in construction





The referred wave et = remember  $= 0.8742.8200$  KV  $\Lambda N$  $1126 - 174.84RV$ transmitted wave The  $e''$ need traceus  $=1.8742 \times 200kV$ JE JEL  $= 374.84 kV.$ JE. reflected current wave FIN 19 Ag  $FJPLA$  $z e$  $174.84 x 103$  $-6.97k4$  $25 7<sub>1</sub>$ transmitted current wave, The  $T$ <sup>11</sup>  $e$ <sup>11</sup>  $=$   $37484103$  $1.002 kA$  $\overline{z}$  $374.20$ the wave travels When along the line  $25.1 - 374.2$  $-0.8742$  $251 + 3742$ reflected way -  $e^{\prime}$  =  $\Gamma e$  = - 174.84 kv. The tranmitted waves  $e^{l} = (1+\Gamma) e = (-0.8742) \times 200$  $= 25 - 16$  KV. VU 8a A generating voltmeter has to be designed so that it can have a range from 20 to 200 [5] CO4 L3 $kV$  d.c. If the indicating meter reads a minimum current of 2  $\mu$ A and maximum current of 25 µA, what should the capacitance of the generating voltmeter be? • Calculation of  $C = 3$  Marks • Verification with upper current limit 2 Marks the angular speed of Syrichronous Let erpmi motis  $1500$  $he =$ Vem co  $T$ grons  $\frac{1}{2}$  $\sqrt{2}$  $\frac{80 \times C_m \times 1600}{20 \times C_m \times 1600} \times 271 \times 1500$  $2\times10^{-6}$  $\sqrt{2} \times 60$  $\frac{\sqrt{2} \times 60}{2 \times 10^{-6} \times 5 \times 60}$ <br> $\frac{2 \times 10^{-6} \times 5 \times 60}{2! \times 10^{-3} \times 10^{-4} \$  $Cm =$  $4 + 200kV$ will be 2 x 20g - 20 /4 which  $\frac{20}{25}$   $\mu$ A. less than  $10$  $Cm = 9.00 \times 10^{-3} F.$ 

