

	<p><i>income instrument vehicles in general.). The appropriate stock bond mix depends mainly on the risk tolerance and investment horizon of the investor.</i></p> <p>c) Formulation of portfolio strategy: <i>Once a certain asset mix is chosen, an appropriate portfolio strategy has to be hammered out. 2 broad choices are available :</i></p> <p><i>Active portfolio strategy: Earns superior risk adjusted returns by resorting to market timings, or sector rotation, or security selection, or a combination of these.</i></p> <p><i>Passive portfolio strategy: on the other hand holding a broadly diversified portfolio and maintaining a pre-determined level of risk exposure.</i></p> <p>d) Selection of securities: <i>Generally investors, pursue an active stance with respect to security selection. For selecting stock selection, investors commonly go with fundamental and technical analysis. The factors to be considered for selecting(fixed income instruments) like bonds are yield to maturity(YTM), credit rating, term to maturity, tax shelter and liquidity.</i></p> <p>e) Portfolio execution: <i>This is the phase of portfolio management which is concerned with implementing in portfolio plan by buying / selling specified securities in given amounts. This is an important step that has a bearing on investment results.</i></p> <p>f) Portfolio revision: <i>The value of a portfolio as well as its comparison relative proportions of stock and bond components may change as their price fluctuates. Fluctuations in stock prices is often the dominant factor underlying the change. The investor will shift from stock to bond and vice versa, it may call for sector rotation as well as security switches.</i></p> <p>g) Performance evaluation: <i>The performance of portfolio should be evaluated periodically. The key dimensions of portfolio performance evaluations are risk and return and the key issue is whether the portfolio return is commensurate with its risk exposure. Such a review may provide useful feedback to improve the quality of portfolio management process on a continuous basis.</i></p>			
2 (a)	<p>What is systematic risk?</p> <p>Systematic risk refers to the risk inherent to the entire market or market segment. Systematic risk, also known as “undiversifiable risk,” “volatility” or “market risk,” affects the overall market, not just a particular stock or</p>	[03]	CO 2	L1

industry.

(b) The historical rates of return of two securities over the past 10 years are given. Calculate the covariance and correlation of the 2 securities.

When probability is not given calculation of covariance
 12. The historical rates of return of two securities over the past 10 years are given. Calculate the covariance and correlation of the 2 securities.

Year	1	2	3	4	5	6	7	8	9	10
Security 1	12	8	7	14	16	15	18	20	16	22
Security 2	20	22	24	18	15	20	24	25	22	20

(IAMB AFM)03, June-Ju

Solution: Calculation of Covariance & correlation

X_1	X_2	$(X_1 - \bar{X}_1)$	$(X_1 - \bar{X}_1)^2$	$(X_2 - \bar{X}_2)$	$(X_2 - \bar{X}_2)^2$	$(X_1 - \bar{X}_1)(X_2 - \bar{X}_2)$
12	20	-2.8	7.84	-1	1	2.8
8	22	-6.8	46.24	1	1	-6.8
7	24	-7.8	60.84	3	9	-23.4
14	18	-0.8	0.64	-3	9	2.4
16	15	1.2	1.44	-6	36	-7.2
15	20	0.2	0.04	-1	1	-0.2
18	24	3.2	10.24	3	9	9.6
20	25	5.2	27.04	4	16	20.8
16	22	1.2	1.44	1	1	1.2
22	20	7.2	51.84	-1	1	-7.2
148	210		204.6		84	-8

$$\bar{X}_1 = \frac{\sum X_1}{N} = \frac{148}{10} = 14.8$$

$$\bar{X}_2 = \frac{\sum X_2}{N} = \frac{210}{10} = 21$$

$$\sigma_{X_1} = \sqrt{\frac{\sum (X_1 - \bar{X}_1)^2}{N-1}} = \sqrt{\frac{204.6}{10-1}} = 4.80$$

$$\sigma_{X_2} = \sqrt{\frac{\sum (X_2 - \bar{X}_2)^2}{N-1}} = \sqrt{\frac{84}{10-1}} = 3.05$$

$$Cov_{X_1, X_2} = \frac{\sum (X_1 - \bar{X}_1)(X_2 - \bar{X}_2)}{N-1} = \frac{-8}{9} = -0.88$$

$$Correlation (r_{X_1, X_2}) = \frac{Cov_{X_1, X_2}}{\sigma_{X_1} \sigma_{X_2}} = \frac{-0.88}{(4.80)(3.05)} = -0.88$$

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(c)

Year	Return on Wipro stock (Y)	Return on BSE (X)
2000	0.20	0.10
2001	0.30	0.20
2002	0.50	0.30
2003	0.4	0.40
2004	0.60	0.50

What is the beta value?
 What is the alpha value?

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What is the co-efficient of correlation?

What is co-efficient of determination

Solution: Calculation of Beta:

Y^2	Year	Stock (Y)	Market (X)	X^2	XY
0.04	2000	0.20	0.10	0.01	0.02
0.09	2001	0.30	0.20	0.04	0.06
0.25	2002	0.50	0.30	0.09	0.15
0.16	2003	0.40	0.40	0.16	0.16
0.36	2004	0.60	0.50	0.25	0.30
$\Sigma 0.9$		$\Sigma Y = 2$	$\Sigma X = 1.5$	$\Sigma X^2 = 0.55$	$\Sigma XY = 0.69$

$\beta = \frac{n \Sigma XY - \Sigma X \Sigma Y}{n \Sigma X^2 - (\Sigma X)^2}$
 $= \frac{5(0.69) - (1.5)(2)}{5(0.55) - (1.5)^2}$
 $= \frac{3.45 - 3}{2.75 - 2.25}$
 $= \frac{0.45}{0.5}$
 $\beta = 0.9$

Calculation of Alpha:

$$\alpha = \bar{Y} - \beta \bar{X}$$

$$\bar{Y} = \frac{\Sigma Y}{N} = \frac{2}{5} = 0.4$$

$$\bar{X} = \frac{\Sigma X}{N} = \frac{1.5}{5} = 0.3$$

$$\alpha = 0.4 - (0.9)(0.3)$$

$$= 0.4 - 0.27$$

$$\alpha = 0.13$$

3 (a)

The estimates of the standard deviation and correlation coefficients for the stocks are given below:

Stock	Standard deviation	Correlation with stock		
		A	B	C
A	32	1.00	-0.80	0.40
B	26	-0.80	1.00	0.65
C	18	0.40	0.65	1.00

If a portfolio is constructed with 15% of stock A, 50% of stock B, 35% of stock C. what is the portfolio standard deviation?

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standard deviation?

(14MBAFM303, June-July 2018/10MBAFM322, Dec 201

Solution: Computation of Portfolio Risk:

Given:

$$\begin{aligned} W_A &= 15\% & \sigma_A &= 32 & r_{AB} &= -0.8 \\ W_B &= 50\% & \sigma_B &= 26 & r_{BC} &= 0.65 \\ W_C &= 35\% & \sigma_C &= 18 & r_{AC} &= 0.4 \end{aligned}$$

Stocks	σ	Correlation with stock		
		A	B	C
A	32	1	-0.8	0.4
B	26	-0.8	1	0.65
C	18	0.4	0.65	1

$$\begin{aligned} \text{Portfolio Risk } (\sigma_P) &= \sqrt{W_A^2 \sigma_A^2 + W_B^2 \sigma_B^2 + W_C^2 \sigma_C^2} \\ &\quad + 2W_A W_B r_{AB} \sigma_A \sigma_B \\ &\quad + 2W_B W_C r_{BC} \sigma_B \sigma_C \\ &\quad + 2W_A W_C r_{AC} \sigma_A \sigma_C \\ &= \sqrt{(0.15)^2 (32)^2 + (0.5)^2 (26)^2 + (0.35)^2 (18)^2} \\ &\quad + 2(0.15)(0.5)(-0.8)(32)(26) \\ &\quad + 2(0.5)(0.35)(0.65)(26)(18) \\ &\quad + 2(0.15)(0.35)(0.4)(32)(18) \\ &= \sqrt{(0.0225)(1024) + (0.25)(676) + (0.1225)(324)} \\ &\quad - 99.84 + 106.47 + 24.192 \\ &= \sqrt{23.04 + 169 + 39.69 - 99.84 + 106.47 + 24.192} \\ &= \sqrt{262.552} \end{aligned}$$

(b)

Calculate the standard deviation and expected return on Taj food stock and oriental shipping stock.

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✓ 7. Calculate the standard deviation and expected return on Taj food stock and oriental shipping stock.

State of economy	Taj food stock		Oriental shipping stock.	
	P_i	R_i	P_i	R_i
Boom	0.30	16	0.30	40
Normal	0.50	11	0.50	10
Recession	0.20	6	0.20	-20

(16MBAFM303, Dec.2018-Jan.2019)

Solution:

Taj food stock:

P_i	R_i	$P_i \times R_i$	$(R_i - E_{R_T})$	$(R_i - E_{R_T})^2$	$P_i (R_i - E_{R_T})^2$
0.30	16	4.8	4.5	20.25	6.075
0.50	11	5.5	-0.5	0.25	0.125
0.20	6	1.2	-5.5	30.25	6.05
		11.5			12.25

Expected return $E_{R_T} = 11.5$

Risk/SD (σ) = $\sqrt{12.25}$

$\sigma_T = 3.5$

Oriental shipping stock:

P_i	R_i	$R_i \times P_i$	$(R_i - E_{R_O})$	$(R_i - E_{R_O})^2$	$P_i (R_i - E_{R_O})^2$
0.30	40	12	27	729	218.7
0.50	10	5	-3	9	4.5
0.20	-20	-4	-33	1089	217.8
		13			441

Expected return $E_{R_O} = 13$

Risk/SD (σ) = $\sqrt{441}$

$\sigma_O = 21$

CS Scanned with CamScanner

(c)

ST and **BT** company's shares are presently sold at 60 and 100 respectively. Annual dividends over the next year are expected to 1.5 and 2.5 respectively. **ST** projected earnings per share is 2.5 and **BT** is 4 dividends are expected to grow at 10% per annum in the future and **BT** by 9%. Financial analysts have estimated the likely prices for the year ahead on two stocks to be 66, 72, 75 for **ST** and 114, 126, 132 for **BT**.

- You are required to examine the return of each company stock. Choose one stock to be purchased for a holding period of one year.
- If the investors required rate of return is 12% and he wants to hold the stock for a longer period, which stock would you suggest?

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35. ST and BT companies have the same price-earnings ratio of 10 and 15, respectively. Annual dividends over the next year are expected to be 1.5 and 2.5 respectively. ST projects earnings per share to be 2.5 and BT is expected to grow at 10% per annum in the future and BT is 9%. Financial analysts have estimated the likely prices for the year ahead on two stocks to be ₹ 72.75 for ST and ₹ 114.226 for BT.

You are required to examine the return of each company stock. Choose one stock to be purchased for a holding period of one year.

If the investor requires rate of return is 12% and he wants to hold the stock for a longer period which stock would you suggest?

Solution:

Given:

	ST	BT
Current Price (P ₀)	60	100
Dividend (D ₁)	1.5	2.5
EPS	0.5	4
Growth	10%	9%
Estimated price	66.25	114.226
r	12%	

i) Calculation of Expected Prices of ST & BT

Expected Price of ST = $(60 \times 0.33) + (72 \times 0.33) + (75 \times 0.34)$
 $= 11.4 + 23.94 + 25.5 = 60.84$
 $P_{ST} = 71$

Expected Price of BT = $(100 \times 0.33) + (114 \times 0.33) + (120 \times 0.34)$
 $= 33 + 37.62 + 40.8 = 111.42$
 $P_{BT} = 124$

INVESTMENT MANAGEMENT

Calculation of Returns of ST & BT [Holding Period]

$$R_{ST} = \frac{D_1 + P_1 - P_0}{P_0} \times 100 = \frac{1.5 + 71 - 60}{60} \times 100$$

$$R_{ST} = 20.83\%$$

$$R_{BT} = \frac{D_1 + P_1 - P_0}{P_0} \times 100 = \frac{2.5 + 124 - 100}{100} \times 100$$

$$R_{BT} = 26.5\%$$

ii) $r = 12\%$, $q = 10\%$, $P_0 = 60$, $D_1 = 1.5$

$$P_{ST} = \frac{D_1}{(r - q)} = \frac{1.5}{(0.12 - 0.10)} = ₹ 75$$

$r = 12\%$, $q = 9\%$, $P_0 = 100$, $D_1 = 2.5$

$$P_{BT} = \frac{D_1}{(r - q)} = \frac{2.5}{(0.12 - 0.09)} = ₹ 83.33$$

4 (a)

Case study Compulsory

[10] CO 2 L 4

The stocks of Alpha ltd, performs relatively well compared to other stocks during recessionary periods. The stocks of Beta ltd, on the other hand does well during growth periods. Both the stocks are currently selling for 50/share. The financial analyst's assessment of the rupee return (dividend plus price) of these stocks for the next year are as follows

Economic condition				
	High growth	Low growth	Stagnation	Recession
Probability	0.30	0.30	0.20	0.20
Return (Alpha)	55	50	60	70
Return (Beta)	75	65	50	40

Based on the above data calculate the expected return and standard deviation of investing

- Rs 1000 in equity stock of Alpha ltd
- Rs 1000 in equity stock of Beta ltd
- Rs 500 each in the equity stock of Alpha and Beta ltd.
- Rs 700 in the equity stock of Alpha and 300 in Beta ltd.

As the value of shares, the portfolio requires was compared to value of stocks during the period. The value of shares did not change during the period, but the value of the portfolio changed. The financial analysis undertaken in the report shows that the value of the portfolio for the last year was 1125.

Period	Price	Quantity	Value
1/1/2018	10	100	1000
31/12/2018	11.25	100	1125

- Based on the above data, calculate the expected return and portfolio standard deviation:
- Rs. 1000 in equity stock of Alpha Ltd.
 - Rs. 1000 in equity stock of Beta Ltd.
 - Rs. 500 each in the equity stock of Alpha and Beta Ltd.
 - Rs. 200 in the equity stock of Alpha and 300 in Beta Ltd.

Q.1) Rs. 1000 in equity stock of Alpha Ltd.

State	P	R	R _A	R _B	R _A -E _A	(R _A -E _A) ²	P(R _A -E _A) ²
High growth	0.3	55	50	100	-50	2500	750
Stable	0.3	50	20	100	-80	6400	1920
Stagnation	0.2	50	20	100	-80	6400	1280
Recession	0.2	20	20	100	0	0	0
			150	200		12500	2000

No. of shares = $\frac{\text{Total Investment}}{\text{Price per share}} = \frac{1000}{50} = 20$

$E_A = 150$
 $E_B = 200$

Q.2) Rs. 500 in equity stock of Alpha Ltd.

State	P	R	R _A	R _B	R _A -E _A	(R _A -E _A) ²	P(R _A -E _A) ²
High growth	0.3	55	25	50	-25	625	187.5
Stable	0.3	50	10	50	-40	1600	480
Stagnation	0.2	50	10	50	-40	1600	320
Recession	0.2	20	10	50	-40	1600	320
			100	150		4000	1300

Q.3) Rs. 500 each in equity stock of Alpha & Beta Ltd.

P	R	R _A	R _B	R _A -E _A	(R _A -E _A) ²	P(R _A -E _A) ²
0.3	55	25	50	-25	625	187.5
0.3	50	10	50	-40	1600	480
0.2	50	10	50	-40	1600	320
0.2	20	10	50	-40	1600	320
					4000	1300

$E_A = 112.5$

No. of shares = $\frac{500}{50} = 10$ shares

Q.4) Rs. 700 in equity stock of Alpha & 300 in Beta Ltd.

P	R	R _A	R _B	R _A -E _A	(R _A -E _A) ²	P(R _A -E _A) ²
0.3	55	35	60	-25	625	187.5
0.3	50	10	60	-50	2500	750
0.2	50	10	60	-50	2500	500
0.2	20	10	60	-50	2500	500
					10000	1750

Alpha (No. of shares) = $\frac{700}{50} = 14$ shares

Beta (No. of shares) = $\frac{300}{50} = 6$ shares

$E_A = 112.5$
 $E_B = 132.5$

$E_A = 57.66$