

11/07/2022

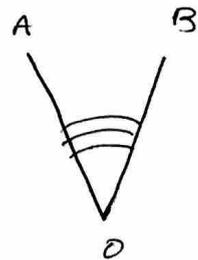
## ADVANCED SURVEYING - 18CV45

Scheme and Solution.

- Q1)
- i) Transiting :- It is the process of turning the telescope about its horizontal axis through  $180^\circ$  in the vertical plane thus bringing it upside down & making it point, exactly in opposite direction. (2M)
  - ii) Face left :- If the vertical circle of the instrument is on the left side of the observer while taking a reading, the position is called the face left. (2M)
  - iii) Face right :- If the vertical circle of the instrument is on the right side of the observer while taking a reading, the position is called the face right. (2M)
  - iv) Swing :- It means turning the telescope about its vertical axis in the horizontal plane. (2M)
  - v) Trunnion axis :- It is the axis about which the telescope can be rotated in the vertical plane. (2M)

Q2) Measurement of horizontal angle by repetition method :-

→ This method is used for very accurate work. In this method, the same angle is added several times mechanically & the correct value of the angle is obtained by dividing the accumulated reading by the no. of repetitions.



- i) Set up the theodolite at starting point O & level it accurately.
- ii) Measure the horizontal angle AOB. (3M)

iii) Loosen the lower clamp & turn the telescope clockwise until the object (A) is sighted again. Bisection accurately by using the upper tangent screw. The verniers will now read the twice the value of the angle now

iv) Repeat the process until the angle is repeated the required no. of times. Read both verniers. The final reading after  $n$  repetitions should be approximately  $n \times$  (angle). Divide the sum by the no. of repetitions & the result thus obtained gives the correct value of the angle  $AOB$

v) Change the face of the instrument repeat exactly in the same manner & find another value of the angle  $AOB$ . The average of two readings gives the required precise value of the angle  $AOB$

Table  $\begin{matrix} 3M \\ 4n \end{matrix}$

Q 3) i) Spire test :-

→ Instrument is established near to high raised object like transmission tower or multistoried building with all temporary adjustments

→ Top of the object is bisected & horizontal plate is clamped. Telescope is noted down to get a point on the ground near to the station at pt. (B)

→ Telescope is made to transit & the instrument swing back to bisect B again

→ Clamping the horizontal plate telescope is lifted up to bisect earlier point A if bisected instrument is said to be another pt. C is noted & in adjustment if not corrections has to be applied. 05 M

ii) Procedure to eliminate parallax in theodolite survey :-

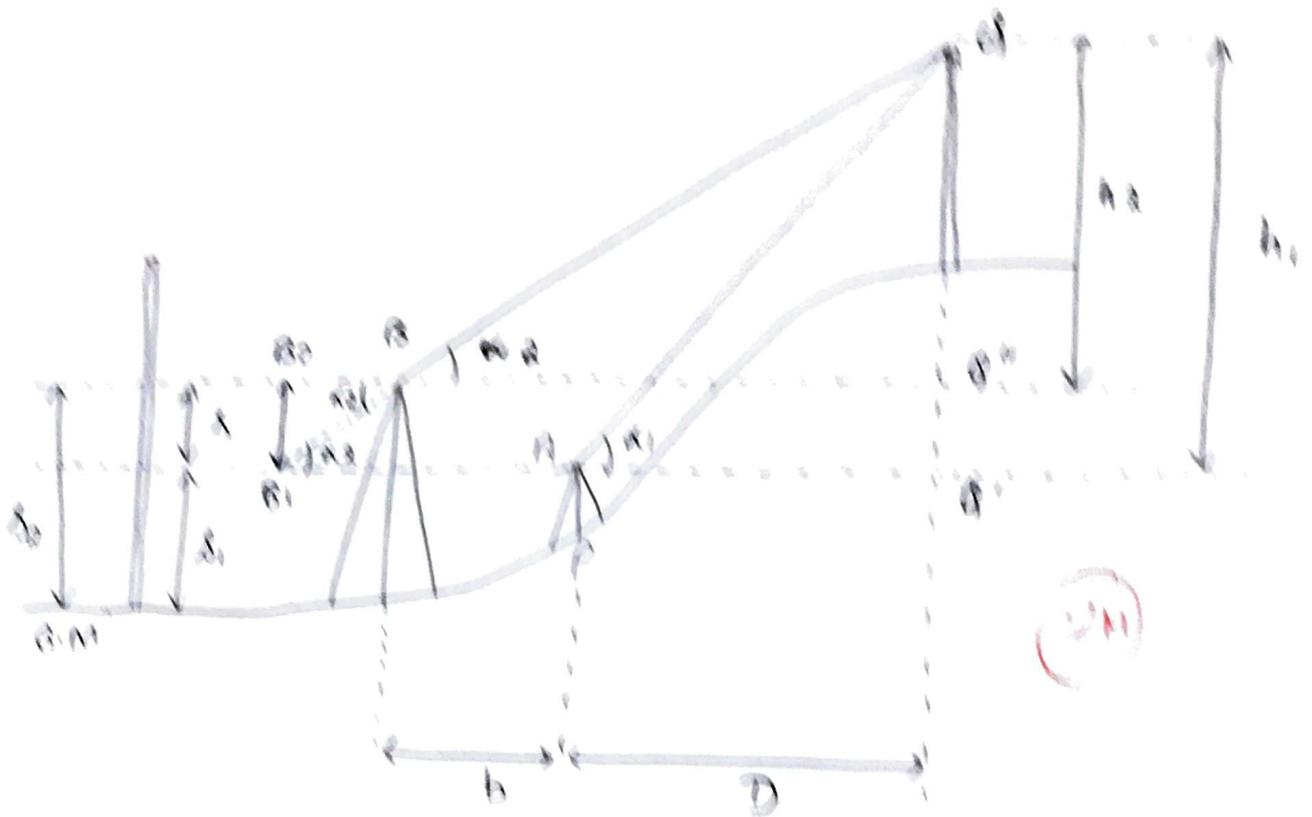
- 1) Looking through the eyepiece is turned clockwise or anticlockwise till the cross hairs are seen dark.
- 2) Telescope is turned to a far off object & looking through the eye piece the focussing screen is turned till the clear image of the object is seen

Q5) i) Baseline measurement :-

- It is aligned & measured with great accuracy
- It forms the basis for computation of the triangulation system
- Length of the base line depends upon the grades of triangulation 5M

ii) Well conditioned triangle  
Triangle whose any of the three interior angles are such that  $30^\circ < \theta < 120^\circ$ .

Any error in angular measurements must have a very minimum effect on the computed lengths. To ensure that two sides of a triangle are equally affected, the triangle must be at least isosceles & preferably equilateral triangle 5M



$s_1$  &  $s_2$  are the staff readings on BM corresponding to the position of instrument at P & R respectively, we have  $s = s_1 - s_2$  if A is higher  
 $s = s_2 - s_1$  if B is higher

In  $\triangle PAQ'$ ,  $h_1 = D \tan \alpha_1$  ..... (1)

In  $\triangle RBQ''$ ,  $h_2 = (b+D) \tan \alpha_2$  ..... (2)

From (1) & (2),  $b \tan \alpha_2 + D \tan \alpha_2 = D \tan \alpha_2 + (h_2 - h_1)$

but  $h_2 - h_1 = s = s_1 - s_2$

$\therefore D (\tan \alpha_2 - \tan \alpha_1) = s - b \tan \alpha_2$

$\therefore D = \frac{s - b \tan \alpha_2}{\tan \alpha_2 - \tan \alpha_1}$  or  $\frac{s + b \tan \alpha_2}{\tan \alpha_1 - \tan \alpha_2}$

RL of A = RL of BM +  $s_1$  +  $h_1$  ..... (101)

Field procedure steps ..... (102)

ii) Procedure to eliminate parallax in theodolite survey :-

- 1) Looking through the eyepiece is turned clockwise or anticlockwise till the cross hairs are seen dark.
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- > It is aligned & measured with great accuracy
- > It forms the basis for computation of the triangulation system
- > length of the baseline depends upon the grades of triangulation

5M

ii) Well conditioned triangle

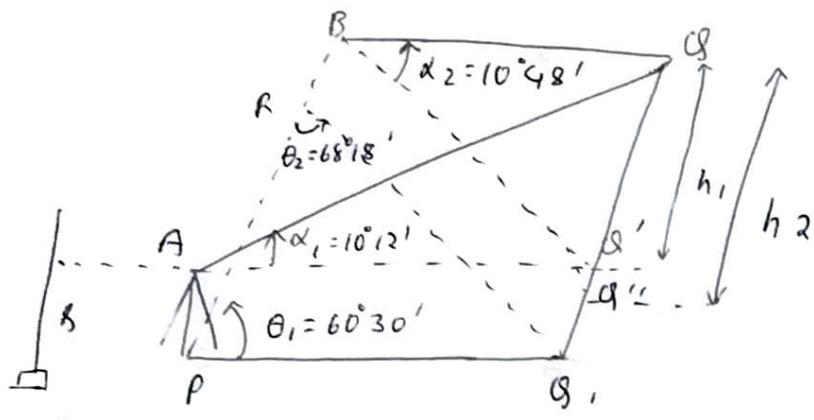
Triangle whose any of the three interior angles are such that  $30^\circ < \theta < 120^\circ$ .

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5M

Q6)

Q6)



$BM = 435.065m$

From  $\Delta^k$   $PRQ$ , by sin rule  $\frac{RQ_1}{\sin \theta_1} = \frac{PQ_1}{\sin \theta_2} = \frac{PR}{\sin (\theta_1 + \theta_2)}$

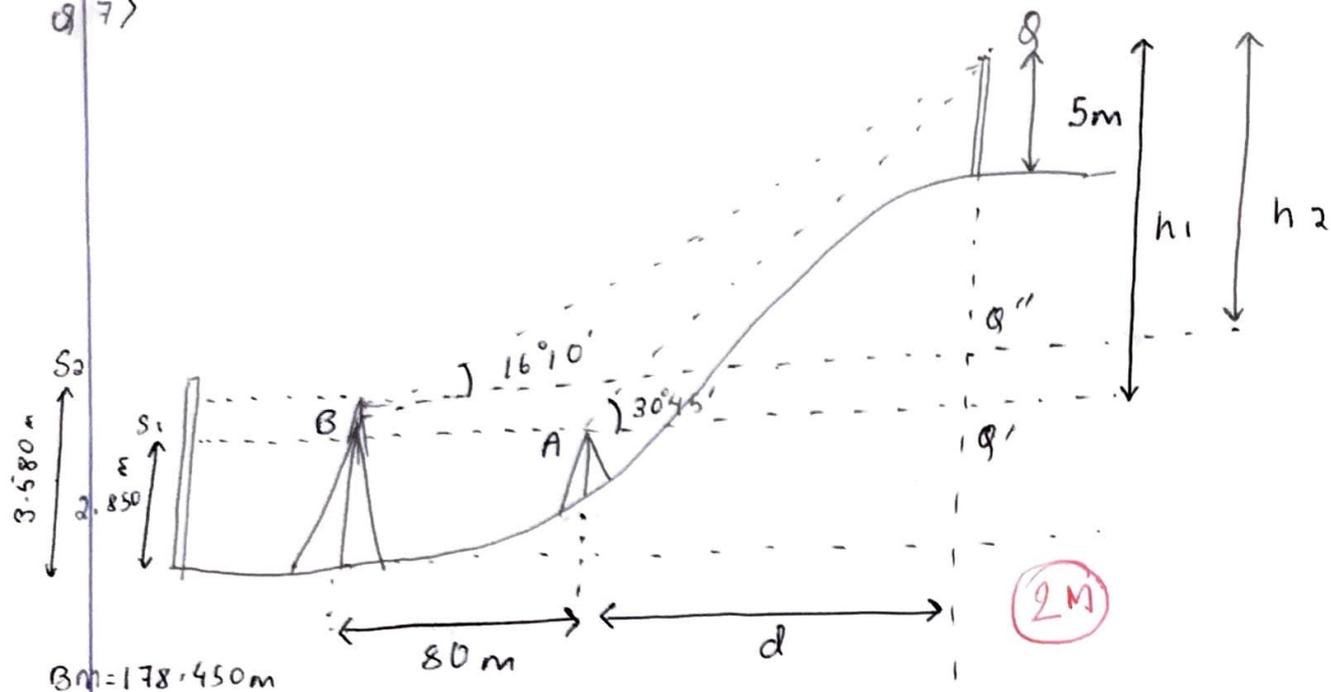
$\therefore RQ_1 = \frac{b \sin \theta_1}{\sin (\theta_1 + \theta_2)} = \frac{60 \times \sin 60^\circ 30'}{\sin (60^\circ 30' + 68^\circ 18')} = 67.001m$  2M

$D = PQ = \frac{b \sin \theta_2}{\sin (\theta_1 + \theta_2)} = \frac{60 \times \sin 68^\circ 18'}{\sin (60^\circ 30' + 68^\circ 18')} = 71.532m$  2M

$Rk \text{ of } Q = Rk \text{ of } BM + b_1 + h_1$   
 $= 435.065 + 1.965 + 71.532 \tan 10^\circ 12'$   
 $= 449.900m$  3M

Check :  $Rk \text{ of } Q = Rk \text{ of } BM \text{ at } R + b_2 + h_2$   
 $= 435.065 + 2.055 + 67.001 \times \tan 10^\circ 48'$   
 $= 449.901m$  3M

Q 7)



In  $\triangle Q'AB$   
 $\tan 30^\circ 45' = \frac{h_1}{d}$   $h_1 = d \tan 30^\circ 45'$

In  $\triangle Q''AB$   
 $\tan 16^\circ 10' = \frac{h_2}{80+d}$   $h_2 = (80+d) \tan 16^\circ 10'$  (2M)

$S_2 - S_1 = h_1 - h_2$

$\Rightarrow 3.58 - 2.85 = d \tan 30^\circ 45' - (80+d) \tan 16^\circ 10'$

$\Rightarrow 0.73 = d \tan 30^\circ 45' - 80 \tan 16^\circ 10' + d \tan 16^\circ 10'$

$\Rightarrow 23.92 = d \cdot 0.305$

$\Rightarrow d = 78.426\text{m}$  (2M)

$\Rightarrow h_1 = 78.426 \tan 30^\circ 45' = 46.659\text{m}$

$h_2 = (80 + 78.426) \tan 16^\circ 10' = 45.927\text{m}$  (2M)

RL of top of signal bottom =  $BM + S_1 + h_1 - 5$   
 $= 178.45 + 2.85 + 46.659 - 5$   
 $= 222.959\text{m} //$

RL of top of signal =  $BM + S_1 + h_1$   
 $= 227.959\text{m} //$  (2M)

End of scheme