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Internal Assessment Test 2 – June 2022

Sub:	Software Testing	Sub	18IS62	Branc	h: ISE		
Date:	08/06/2022 Duration: 90 min's Max Marks: 50	Code: Sem/Sec:	VI A, B, C			OE	BE
	Answer any FIVE FULL Question		1	1	MARKS CO R 10 CO1, CO2		RBT
1	Describe weak normal, strong normal and weak robust, strotesting, with a neat diagram.	ong robust ec					L2
2a)	Explain decision table testing and generate test cases fo decision table	r commission	on problem us	sing	6	CO1, CO2	L2
2b)	Explain fault based testing, and mutation analysis.				4	CO2, CO3	
3	Consider the following program. Find the DU paths for total Price, final Price, discount and price. Verify whether clear. 1 program Example() 2 var staffDiscount, totalPrice, finalPrice, discount = 0.1 4 totalPrice = 0 5 input(price) 6 while(price != -1) do 7 totalPrice = totalPrice + price 8 input(price) 9 od 10 print("Total price: " + totalPrice) 11 if(totalPrice > 15.00) then 12 discount = (staffDiscount * totalPrice) + (staffDiscount * totalPr	r these DU p	oaths are defin		10	CO3, CO4	L3
4	Explain McCabe's basis path testing with Triangle problem	em.			10	CO1	L2
5	Define DD path graph. Draw DD path graph for triangle pr	ogram probl	em.		10	CO1	L2
6	Consider the following C function which encodes the st If the string character is + or - or *, it is replaced with space ' ', if it is uppercase lowercase. Other alphanumeric characters are simply copied in destination string. Drathe program. Find out the statement coverage and node coverage % from control test suite T0= {"test", "test**ing", "test+-"} 1. const char* encode (char*str) { 2. int i = 0; 3. char *str1=str; 4. char en_str[25];	character, it	is replaced v	with	10	CO3, CO4	L3
	5. while (str1[i] != '\0') {						
	6. if(str1[i]=='*' str1[i]=='+' str1[i] =='-')						

```
7. en_str[i] =' ';

8. else if(str1[i]>=65 && str1[i]<=90)

9. en_str[i]=str1[i]+32;

10. else

11. en_str[i]=str1[i];

12. i++;

13.}

14. en_str[i]='\0';

15. return (en_str);
}
```

Faculty Signature

CCI Signature

HOD Signature

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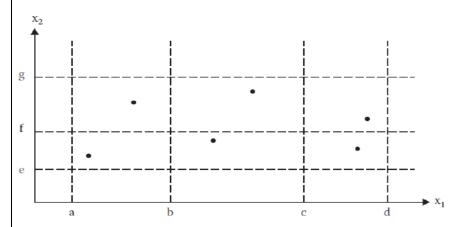


Internal Assessment Test 2 – June 2022

Sub:	Software Tes	ting-Scheme a	and Solutions			Sub Code:	18IS62	Branch:	ISE		
Date:	8/06/2022	Duration:	90 min's	Max Marks:	50	Sem/Sec:	VI C		1	OBI	Ē
	1	<u>A</u>	Answer any FI	VE FULL Questi	<u>ions</u>			MAR	KS	CO	RBT
1			_	and weak rob	ust, st	rong robust	equivalence	[10)]	CO1, CO2	L2
	class testing,		_							CO2	
	Weak norms										
	Explanation		rks								
		Diagram: 1 mark									
	Strong normal [2.5 marks] Explanation: 1.5 marks										
	_	Explanation: 1.5 marks Diagram: 1 mark									
	Weak robus		dzel								
	Explanation Explanation										
	Diagram:		I NS								
	Weak robus		kel								
	Explanation										
	Diagram:		L IXS								
	Weak Norm		ence Class To	esting							
				end up with th	e thre	e weak equi	valence class				
	test cases.										
				from each equ							
		_	orresponds to	a value of x1	in the	e class [a, b)	, and to a valu	ie			
	of x2 in the c	- ' '				1 0	41 4 4				
	• The test cas [b, c) and to a			angle correspo	onds t	o a value of	x1 in the clas	S			
					1 .	1. 1. 0.1	1' 1 1				
				rectangle on t				5.			
		-		r a problem wi e reason for th		•					
			<i>C</i> ,			Č					
				s it is for regre solation is requ				bog			
	next, are indi		illore fault is	solation is requ	ineu,	me shonger	1011118,u18cus	seu			
	110110, 0110 11101										
	x ₂										
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						→ x ₁					
	a	b)	С	d						

Strong Normal Equivalence Class Testing

- •Strong equivalence class testing is based on the multiple fault assumption, so we need test cases from each element of the Cartesian product of the equivalence classes.
- The Cartesian product guarantees that we have a <u>notion of "completeness" in two senses</u>: we cover all the equivalence classes, and we have one of each <u>possible combination of inputs</u>. As we shall see from our continuing examples, the key to "good" equivalence class testing is the selection of the equivalence relation.
- Watch for the notion of inputs being "treated the same." Most of the time, equivalence class testing defines classes of the input domain. There is no reason why we could not define equivalence relations on the output range of the program function being tested; in fact, this is the simplest approach for the triangle problem.



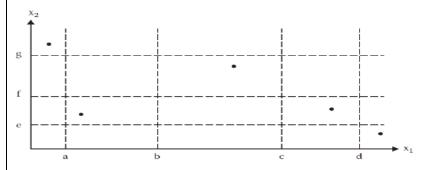
Weak Robust Equivalence Class Testing

- The robust part comes from consideration of invalid values, and the weak part refers to the single fault assumption. The process of weak robust equivalence class testing is a simple extension of that for weak normal equivalence class testing—pick test cases such that each equivalence class is represented.
- The two additional test cases cover all four classes of invalid values. The process is similar to that for boundary value testing:
- 1. For valid inputs, use one value from each valid class (as in what we have called weak normal

equivalence class testing). (Note that each input in these test cases will be valid.)

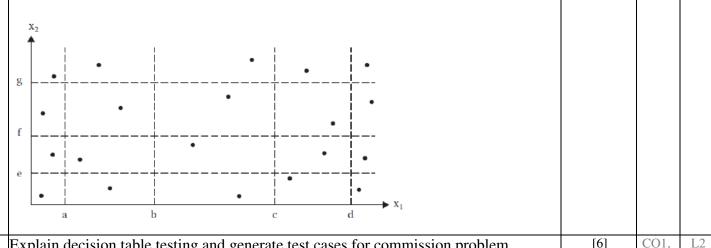
2. For invalid inputs, a test case will have one invalid value and the remaining values will all be

valid. (Thus, a "single failure" should cause the test case to fail.)



Strong Robust Equivalence Class Testing

• The robust part comes from consideration of invalid values, and the strong part refers to the multiple fault assumption. We obtain test cases from each element of the Cartesian product of all the equivalence classes, both valid and invalid.



2a) Explain decision table testing and generate test cases for commission problem using decision table.

[6] CO1, CO2

Explanation: 1Mark Test case: 5Marks

Decision Table Testing

- To identify test cases with decision tables, we interpret conditions as inputs and actions as outputs. Sometimes conditions end up referring to equivalence classes of inputs, and actions refer to major functional processing portions of the item tested.
- The rules are then interpreted as test cases.
- Decision table have some assurance that we will have a comprehensive set of test cases. Several techniques that produce decision tables are more useful to testers.

Test Cases for Commission Problem

RULES		Rl	R2	R3	R4	R5	R6	R7	R8	R
Conditions	C1: Locks = - 1	T	F	F	F	F	F	F	F	F
	C2: 1 ≤ Locks ≤ 70	-	Т	T	T	T	F	F	F	F
	C3: 1 ≤ Stocks ≤ 80	-	T	T	F	F	T	T	F	F
	C4: 1 ≤ Barrels ≤ 90	-	T	F	T	F	T	F	T	F
Actions	al: Terminate the input loop	x								
	a2: Invalid locks input						X	X	X	X
	a3: Invalid stocks input				X	X			X	X
	a4: Invalid barrels input			X		X		X		X
	a5: Calculate total locks, stocks and barrels		X	x	x	x	x	x	x	
	a6: Calculate Sales	X								
	a7: proceed	X								

	RULES	R1	R2	R3	R4	I					
	C1: Sales = 0 C1: Sales > 0	Т	F	F	F	Ţ					
	AND Sales ≤ 1000		т	F	F						
	C <u>2 :</u> Sales >			-	-	Ť					
	1001 AND sales ≤ 1800			Т	F	_					
	C <u>3 :</u> sales ≥1801				т						
	A <u>1 :</u> Terminate the	x									
	program					<u> </u>					
	A <u>2 :</u> comm= 10%*sales		х			_					
	A <u>3 :</u> comm = 10%*1000 +			x							
	(sales- 1000)*15%			^							
	A <u>4 :</u> comm = 10%*1000 +					Ť					
	15% * 800 +				x						
	(sales- 1800)*20%										
2b)	Explain fa	ault based	testing,	and mutati	ion analysis	S.			[4]	CO2,	L2
	Fault Ba		_		•					CO3	
	Explana										
	Mutatio			narkel							
	Explana			iai KS							
	Explana	auon.2 1	IIai NS								
	Fault Bas	sed Testin	าฮ								
				rooram fa	nults is a	valuable sour	ce of information	for			
	• A model of potential program faults is a valuable source of information evaluating and designing test suites.										
	1	_	-				l	£			
			_		•		l structural testing,				
	example when identifying singleton and error values for parameter characteristics in category-partition testing or when populating catalogs with erroneous values, but a										
	fault mod		_	-		italogs with c	moneous values, bu	ii a			
					•	to hypothesi	ze potential faults i	n a			
			-		•	• •	based on its efficacy				
	detecting				ic of cvarue	ite test suites i	based on its efficacy	111			
	_	• 1			d testing	is to select t	est cases that wo	uld			
			_		_		ograms that cont				
	hypotheti				ov 11 om 4	rocinative pi	ogranis una com	••••			
				ed by m o	difying th	e program u	nder test to actua	ılly			
	produce 1					1 3					
	Mutation										
		-					t-based testing. A fa				
				• 1	• •		reating variants of				
	μ –				•	_	, that is, by making	g a			
		-			_	-	ne fault model.	1			
	_				text are c	anea mutatio	n operators, and ea	acn			
	variant pr	-			ntactice11x	correct A man	tant obtained from	the			
	-		-	•	•		line 13 would not				
	μ –	•	_		e-time erro		inic 15 would not				
3							oles staff Discount, to	otal	10	CO3,	L3
							s are definition clear.		-	CO4	
	, , , , , , , , , , , , , , , , , , , ,	7			J	5 F.W.					

```
program Example()
  var staffDiscount, totalPrice, finalPrice, discount, price
   staffDiscount = 0.1
 4 totalPrice = 0
  input(price)
 while(price != -1) do
       totalPrice = totalPrice + price
       input(price)
   od
   print("Total price: " + totalPrice)
  if(totalPrice > 15.00) then
       discount = (staffDiscount * totalPrice) + 0.50
       discount = staffDiscount * totalPrice
15 fi
print("Discount: " + discount)
17 finalPrice = totalPrice - discount
Staff Discount: 2Marks
```

Staff Discount: 2Mark Total Price: 2Marks Final Price: 2Marks Discount: 2Marks Price: 2Marks

DU path for staff discount

 $P1(3, \overline{12}) = \langle 3, 4, 5, 6, 7, 8, 9, 10, 11, 12 \rangle$ is definition clear $P2(3, 14) = \langle 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14 \rangle$ is not definition clear

DU path for total price

P3 $(4, 7) = \langle 4, 5, 6, 7 \rangle$ is definition clear

 $P4(4, 10) = \langle 4, 5, 6, 7, 8, 9, 10 \rangle$ is not definition clear

 $P5(7, 6) = \langle 7, 8, 9, 6 \rangle$ is definition clear

 $P6(7,7) = \langle 7, 8, 9, 6, 7 \rangle$ is not definition clear

 $P7(7, 10) = \langle 7, 8, 9, 6, 10 \rangle$ is definition clear

 $P8(7, 11) = \langle 7, 8, 9, 6, 10, 11 \rangle$ is definition clear

 $P9(7, 12) = \langle 7, 8, 9, 6, 10, 11, 12 \rangle$ is definition clear

 $P10(7, 14) = \langle 7, 8, 9, 6, 10, 11, 12, 13, 14 \rangle$ is definition clear

DU path for final price

P11 (17, 17) = <17, 17> is definition clear

DU path for discount

P12(12, 16) = <12, 13, 14, 15, 16 > is not definition clear

P13 $(12, 17) = \langle 12, 13, 14, 15, 16, 17 \rangle$ is not definition clear

P14(12, 16) = <12, 13, 14, 15, 16> is not definition clear

P15 (14, 16) = <14, 15, 16> is definition clear

P16(14, 17) = <14, 15, 16, 17> is definition clear

DU path for price

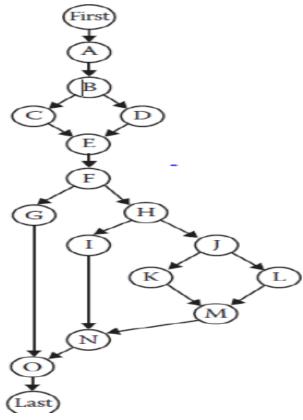
 $P17(5, 6) = \langle 5, 6 \rangle$ is definition clear

P18(5,7) = <5, 6, 7> is definition clear

P19(8,6) = <8, 9, 6> is definition clear

 $P20(8, 7) = \langle 8, 9, 6, 7 \rangle$ is definition clear

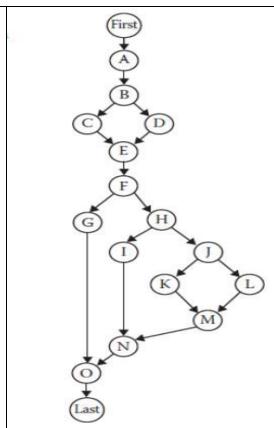
Explain McCabe's basis path testing with Triangle problem. [10] CO1 Explanation: 2Marks Diagram: 5Marks **Basis Paths Tables: 2Marks** McCabe's Basis Path Method: • McCabe's view is: There are two soft spots 1. Testing only the set of basis paths is sufficient. 2. Program paths look like a vector space. • McCabe's example that the path A, B, C, B, C, B, C, G is the linear combination 2p2 - p1 is very unsatisfactory. • To get a better understanding of these problems, we will go back to the triangle program example. DD-Path of triangle given below. Н



- We begin a baseline path corresponding path with scalene Triangle.
- Basis Path: Path with highest Decision tables
- Flip at node with outdegree=2
- flip at node B
- flip at node F
- flip at node H
- flip at node J

1		U							l
	Original	p1: A-B-C-E-F-H-J-K-M-N-O-L	Last	Scalene					
	Flip p1 at B	p2: A-B-D-E-F-H-J-K-M-N-O-I	Last	Infeasible					
	Flip p1 at F	t F p3: A-B-C-E-F-G-O-Last		Infeasible					
	Flip p1 at H	t H p4: A-B-C-E-F-H-I-N-O-Last		Equilateral					
	Flip p1 at J	Flip p1 at J p5: A–B–C–E–F–H–J–L–M–N–O–Last		Isosceles					
t •	We are dea he latent as McCabe's ndependent.								
	p1: A-B-C-E-F-H-J-K-M-N-O-Last Scalene								
	p6: A-B-E	D-E-F-G-O-Last	No	t a triangle					
	p4: A-B-0	C-E-F-H-I-N-O-Last	E	quilateral					
	p5: A-B-0	C-E-F-H-J-L-M-N-O-Last	I	sosceles					
					_	-107			
Ι	Define DD pa	th graph. Draw DD path graph	for tr	riangle progra	m problem.	[10]	CO1	L2	
Ι	Explanation: Diagram: 5M DD path Tab								
d	Definition: Given a proplirected grape epresent con								

DD Path Graph for Triangle Problem



DD path Table

Nodes	DD path	Case of definition
4	First	1
5-8	A	5
9	В	3
10	C	4
11	D	4
12	Е	3
13	F	3
14	G	3
15	Н	4
16	I	3
17	J	4
18	K	4
19	L	3
20	M	3
21	N	4
22	0	3
23	Last	2

6	Consider the following C function which encodes the string in the following manner.	10	CO3,	L3
	If the string character is + or		CO4	
	- or *, it is replaced with space ' ', if it is uppercase character, it is replaced with			
	lowercase. Other alphanumeric			
	characters are simply copied in destination string. Draw the control flow graph for the			
	program. Find out the			
	statement coverage and node coverage % from control flow graph for the following			
	test suite T0=			
	{"test", "test**ing", "test+-"}			

```
1. const char* encode (char *str) {
2. int i = 0;
3. char *str1=str;
4. char en_str[25];
5. while (str1[i] != '\0') {
 6. if(str1[i]=='*'||str1[i]=='+'||str1[i]=='-')
 7. en_str[i] =' ';
 8. else if(str1[i]>=65 && str1[i]<=90)
 9. en_str[i]=str1[i]+32;
 10. else
 11. en_str[i]=str1[i];
 12. i++;
 13.}
 14. en_str[i]='\0';
 15. return (en_str);
   }
Statement Coverage and Node Coverage %: 3Marks
Control Flow Graph: 7Marks
Statement Coverage and Node Coverage %
Number of nodes = 2
Number of statements = 12
Given test suite = <''test'', test ** ing'', "test+-"}
Test suite does not contain special symbols, upper case letters
It will not visit F node
Statement coverage = 11/12 = 91.6\%
Node coverage = 8/9 = 88.8\%
Control flow graph
```

