



**Part B - Compulsory (01\*10=10 marks)**

4	1) An investor Mr. Kairav has constructed a portfolio on 1 <sup>st</sup> May 2020 consisting shares of ten companies; the details of which are given below:	[10]	CO2	L4
Sl. No	Stock	Market Price	No. of Shares (Rs.)	Beta Value (Rs.)
1	Apollo Tyres Ltd.	250	1,000	0.93
2	Arvind Ltd.	370	950	0.69
3	Bata India Ltd.	580	750	0.75
4	Ajanta Pharma Ltd.	1,460	400	0.55
5	Biocon Ltd.	400	650	0.45
6	Exide Industries Ltd.	217	900	1.07
7	Federal Bank Ltd.	117	1,500	1.28
8	IDFC Ltd.	58	3,000	0.81
9	Voltas Ltd.	500	500	1.52
10	SRF Ltd.	1,511	300	1.99
<p>The continuous compounding, annual cost of capital for the investor is 15%. The investor fears that the market will fall in the near future due to occurrence of war between China and India and hence wants to hedge the portfolio without selling the shares in the portfolio. Since the investor is not aware of the hedging strategies available, you, being the financial analyst, are requested to explain the investor various options available to hedge the portfolio and choose the best one. You are also required to:</p> <p>a) Calculate the theoretical value of the futures contracts expiring in July and August 2020 if the Nifty is currently quoted at 9,500.</p> <p>b) Find whether or not the futures market and spot market price are consistent so as not to offer an arbitrage profit if July and August futures are currently trading at 9,700 and 10,000 with lot size of 75.</p> <p>c) Find out the numbers of Nifty futures contracts required to be shorted to hedge the entire portfolio of the investor until July and August 2020.</p> <p>d) Find out the number of Nifty futures contracts required to be shorted to hedge to the extent of 90% and 125%% of the portfolio until August 2020.</p> <p>e) Find out the numbers of Nifty futures contracts required to be traded if the investor desires to reduce beta of his portfolio to 0.80</p>				

Course Outcomes (COs)		PO1	PO2	PO3	PO4	PO5
CO1:	Understand the mechanism of forwards/futures, options, financial swaps, various credit derivatives and VaR with their features, merits and demerits.	1a, 1b, 1c, 2b, 2c, 3c				
CO2:	Assess the application of forwards/futures, options, financial	2a, 3a, 3b,				



**Scheme of Evaluation**  
**Internal Assessment Test II- July 2022**

<b>Sub:</b>	<b>Financial Derivatives</b>					<b>Code:</b>	20MBAFM402
<b>Date:</b>	11/07/22	<b>Duration:</b>	90mins	<b>Max Marks:</b>	50	<b>Sem:</b>	IV
						<b>Branch:</b>	MBA

**Note:** Part A - Answer Any Two Full Questions (20\*02=40 Marks)  
 Part B - Compulsory (01\*10= 10marks)

Part	Question #	Description	Marks Distribution	Marks																																						
A	1	<p>a) Maintenance margin is the minimum amount a future trader required to maintain his margin rate in order to hold his future options.                      Variation margin is unrealised profit or loss on open positions</p>	3	20M																																						
		<p>b) <math>S_0 = 1600</math>, <math>F = 1675</math>, <math>ce rf = 0.08</math>, <math>t = 6/12</math></p> $F = (S_0 + E) e^{rt}$ $E = S_0 \cdot e^{rt} - 25 = 25 \cdot e^{-(6 \cdot 0.08) (0.5)}$ $E = 24.019$ $S_0 = \underline{1690.28}$ <p><u>Arbitrage possibility:</u></p> $F = 1675 < S_0 = 1690.28 = \text{Profit} = S_0 e^{rt} - F$ $\text{Profit} = 1690.28 - 1675 = \underline{15.28}$ <p>→ long position in future and short position shares</p>	7																																							
		<p>c) <math>EM = 88000 \times 12\% = 10560</math>, contract value = <math>500 \times 22 \times 8 = 88000</math></p> $MM = 3/4^{\text{th}} \text{ of } 10560 = 7920$ <p><u>Position short (4-1)</u></p> <table border="1"> <thead> <tr> <th>Day</th> <th>Price</th> <th>CFP</th> <th>Maximal</th> <th>margin call</th> </tr> </thead> <tbody> <tr> <td>4</td> <td>22.30</td> <td>(1200)</td> <td>9360</td> <td></td> </tr> <tr> <td>5</td> <td>23.10</td> <td>(3200)</td> <td>6160</td> <td>→ <span style="border: 1px solid black; padding: 2px;">4400</span> 5</td> </tr> <tr> <td>6</td> <td>22.90</td> <td>800</td> <td>11,360</td> <td></td> </tr> <tr> <td>7</td> <td>23.00</td> <td>(400)</td> <td>10,960</td> <td></td> </tr> <tr> <td>10</td> <td>23.15</td> <td>(600)</td> <td>10,360</td> <td></td> </tr> <tr> <td>11</td> <td>22.85</td> <td>(200)</td> <td>11,560</td> <td></td> </tr> <tr> <td>12</td> <td>22.95</td> <td>(400)</td> <td>11,160</td> <td></td> </tr> </tbody> </table>	Day		Price	CFP	Maximal	margin call	4	22.30	(1200)	9360		5	23.10	(3200)	6160	→ <span style="border: 1px solid black; padding: 2px;">4400</span> 5	6	22.90	800	11,360		7	23.00	(400)	10,960		10	23.15	(600)	10,360		11	22.85	(200)	11,560		12	22.95	(400)	11,160
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a) Heeger look at reducing his asset exposure to price volatility and in a derivative market. 3

b) Futures : contract to buy or sell an underlying assets at a pre-determined price on a specific date. 20M

options : It gives an opportunity to the investor the right but not the obligation to buy or sell the assets at a specific price on a specific date, known as the expiry date. 7

c) Calc. of Portfolio Beta ( $\beta_p$ )

Security	no. of shares	price	Market value	$w_i$	$\beta_i$	$\beta_p$
A	15000	40	600,000	0.3	1.2	0.36
B	25000	20	500,000	0.25	1.8	0.45
C	15000	60	900,000	0.45	0.8	0.36
			<u>2,000,000</u>			<u>1.17</u>

$\beta_p = 1.17$

a) When an investor can make a profit from smartly buying and selling a commodity in two different markets. 3

b)

<p><u>Futures</u></p> <ul style="list-style-type: none"> <li>• Exchange traded</li> <li>• Exchange defines the price</li> <li>• Price is zero</li> <li>• Linear payoff</li> </ul>	<p><u>Options</u></p> <ul style="list-style-type: none"> <li>• Same as future</li> <li>• Same as futures</li> <li>• Strike price is fixed, price moves</li> <li>• Price is always positive</li> </ul>
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20M

c)	<u>Price</u>	<u>PL</u>	<u>Max/MR Bal</u>	<u>M. Call</u>	10
1	96.75	250	20750		
2	96.68		19000		
3	96.63	(1750)	17250		
4	96.59	(1000)	16250		
5	96.54	(250)	15500		
6	96.50	(1000)	14500	→ 5500	
7	96.55	1250	21500		
8	96.60	1250	22500		
9	96.64	1000	23500		

maxy call on -6th day

a)

$$\beta_P = \underline{0.97}$$

$$\textcircled{a} F = S_0 \cdot e^{rt} = 99500 \cdot e^{0.30 \times 0.15}$$

$$F = \underline{9997.06}$$

⑥ for July

$$F = S_0 \cdot e^{rt}$$

$$= 9700 \cdot e^{0.15 \times 0.25} = \underline{10070.65}$$

$$\text{total} = 10070.65 \times 75 = \underline{755,299.2}$$

$$\textcircled{c} \underline{\text{Avg}} = F = 10000 \cdot e^{(0.34 \times 0.15)} = \underline{10523.22}$$

$$\text{total} = 10523.22 \times 75 = \underline{789,242.17}$$

$$\textcircled{d} \underline{\text{Hedge}} = \frac{P \times \beta}{F} = \frac{30,28,600 \times 0.97}{9700 \times 75}$$

$$= \frac{30,34,742}{727,500} = 4.1 \approx \underline{4 \text{ contracts}}$$

no. of contracts hedge for 0.96.  $\beta = \underline{4.01}$

$$\textcircled{e} \underline{90\% \text{ of } P} = \underline{3.6 \text{ contracts}} \mid 125\% = \underline{5.05 \text{ contracts}}$$

$$\textcircled{f} \text{Reduce } \beta \text{ to } 0.08 = 0.709 \approx \underline{1 \text{ contracts}}$$

B 4

10

10M

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