Module-1

1 a. State and explain Coulomb's law in vector form.

(04 Marks)

Depoint charges of 60 nano colombs each are located at A(2, 0, 0), B(-2, 0, 0), C(0, 2, 0) and D(0, -2, 0) in free space. Find the total force on the change at 'A'. (08 Marks)

c. Define electric field intensity and electric flux density and also establish the relationship between them. (04 Marks)

OR

2 a. Derive an expression for electric field intensity due to infinite line charge distribution.

(08 Marks)

b. Find the electric field at the origin, if the following charge distributions are present in free space:

i) Point charge 15nc at P(1, 2, 3).

ii) Uniform line charge of $\rho_L = 3$ nc/m at x = 2, y = 3

iii) Uniform surface charge of $\rho_S = 0.2 \text{nc/m}^2$ at x = 2. (08 Marks)

Module-2

3 a. State and prove Gauss law for point charge.

(05 Marks)

b. Find the volume charge density at the point indicated.

 $\vec{D} = 4\rho z \sin \phi \hat{a}_{\rho} + 2\rho z \cos \phi \hat{a}_{\phi} + 2\rho^2 \sin \phi \hat{a}_{z}$ c/m² at p $\left(1, \frac{\pi}{2}, \frac{\pi}{2}$

 $1, \frac{\pi}{2}, 2$ (06 Marks)

c. State and prove Gauss Divergence theorem.

(05 Marks)

OR

4 a. Derive the expression for energy expended in moving a point charge in an uniform electric field in arbitrary direction. (05 Marks)

b. Let $V = \frac{\cos 2\phi}{r}$ in free space in cylindrical system. Find \vec{E} at P(2, 30°, 1).

(06 Marks)

c. Derive point form of continuity equation of current.

(05 Marks)

Module-3

5 a. With the usual notations, deduce the poisons and Laplace equation from the Maxwell's for equation. (04 Marks)

b. Determine whether the following equations satisfy the Laplace equation or not.

i) $V = 2x^2 - 4y^2 + z^2$

ii) $V = r^2 \cos \phi + \theta$

(06 Marks)

c. State and prove uniqueness theorem.

(06 Marks)

Important Note: 1. On completing your answers, compulsorily draw diagonal cross lines on the remaining blank pages.

2. Any revealing of identification, appeal to evaluator and /or equations written eg, 42+8 = 50, will be treated as malpractice.

		OR
(0	State and explain Biot-Savart's law. (04 Marks)
6	a. b.	Solve Laplace's equation to determine the capacitance of a coaxial cable when the inner
	υ.	radius is 'a' and outer radius is 'b' respectively. (08 Marks)
	c.	An air cored toroid having a cross sectional area of 6cm ² and mean radius 15cm is wound
	С.	uniformly with 500 turns carrying a current of 4A. Determine the magnetic flux density.
		(04 Marks)
		Module-4
7	a.	Derive Lorentz force equation. (06 Marks)
	b.	A conductor 4m long lies along y axis with a current of 10A in the \vec{a}_y direction. Find the
		force on the conductor if the field in the region is $\vec{B} = 0.008 \ \vec{a}_x$ Tesla. (04 Marks)
	c.	Discuss the magnetic field boundary conditions using Maxwell's equations. (06 Marks)
		OR
8	a.	Derive an expression for the force on a differential current element placed in a magnetic
		field. (06 Marks) Define: i) Magnetization ii) Permeability (04 Marks)
	b.	
	C.	Calculate the inductance of a solenoid of 200 turns wound tightly on a cylindrical tube of
		length 60cm and of diameter 6cm, given that medium is air. Derive the expression used. (06 Marks)
		Module-5
9	a.	Explain displacement current density and conduction current density and write Maxwell's
9	a.	equation related to both. (06 Marks)
	b.	Find the frequency at which conduction current density and displacement current density are
	U.	equal in a medium with $\alpha = 2 \times 10^{-4}$ T/m and $\epsilon_r = 81$. (04 Marks)
	0	State and prove poynting theorem. (06 Marks)
	C.	State and prove poynting theorem.
		OR BANGALORE - 560 037
10	a.	List Maxwell's equations in differential and integral form for both static and time varying
10	a.	fields. (06 Marks)
	b.	Derive the expression of α , β , γ and v_p for uniform plane wave in a good conductor.
	0.	(06 Marks)

c. The depth of penetration in a certain conducting medium is 0.1m and the frequency of the electromagnetic wave is 1.0MHz. Find the conductivity of the conducting medium.

(04 Marks)