





 $\Box$ 







- 1. The supply to the field winding is derived through NVC. So when field current flows, it magnetizes the NVC. When the handle is in the 'RUN' position, soft iron piece connected to the handle gets attracted by the magnetic force produced by NVC. Design of NVC is such that it holds the handle in 'RUN' position against the force of the spring as long as supply to the motor is proper. Thus NVC holds the handle in the 'RUN' position and hence also called hold on coil.
- 2. Whenever there is supply failure or if field circuit is broken, the current through NVC gets affected. It looses its magnetism and hence not in a position to keep the soft iron piece on the handle, attracted. Under the spring force, handle comes back to OFF position, switching off the motor. So due to the combination of NVC and the spring, the starter handle always comes back to OFF position whenever there is any supply problems. The entire starting resistance comes back in series with the armature when attempt is made to start the motor every time. This prevents the damage of the motor caused due to accidental starting.
- 3. NVC performs the similar action under low voltage conditions and protects the motor from such dangerous supply conditions as well.

# **Action of Overload Release**

- $\checkmark$  The current through the motor is taken through the OLR, an electromagnet.
- $\checkmark$  Under overload condition, high current is drawn by the motor from the supply which passes through OLR.
- $\checkmark$  Below this magnet, there is an arm which is fixed at its fulcrum and normally resting in horizontal position.
- Under overloading, high current through OLR produces enough force of attraction to attract the arm upwards.
- $\checkmark$  Normally magnet is so designed that up to a full load value of current, the force of attraction produced is just enough to balance the gravitational force of the arm and hence not lifting it up.
- $\checkmark$  At the end of this arm, there is a triangular iron piece fitted. When the arm is pulled upwards the triangular piece touches the two points which are connected to the two ends of NVC.
- This shorts the NVC and voltage across NVC becomes zero due to which NVC looses its magnetism.
- $\checkmark$  So under the spring force, handle comes back to the OFF position, disconnecting the motor from the supply.
- $\checkmark$  Thus motor gets saved from the overload conditions.

# **Functions of Protective Devices**

- (i) when the supply fails, thus preventing the armature being directly across the mains when this voltage is restored. For this purpose, we use no-volt release coil
- (ii) when the motor becomes overloaded or develops a fault causing the motor to take an excessive current. For this purpose, we use overload release coil.





If we neglect the shunt field current, we can say supply current is the same as armature current in a dc motor. Hence now we can simplify the expression of the overall efficiency of dc motor as

$$
\eta_c = \frac{VI_a - I_a^2 R_a - W_c}{VI_a} = 1 - \left(\frac{I_a R_a}{V} + \frac{W_c}{VI_a}\right)
$$

Now the efficiency is maximum when the term under brackets in the above expression is minimum. Again, this condition is satisfied when

$$
\frac{\mathrm{d}}{\mathrm{d}I_a} \left( \frac{I_a R_a}{V} + \frac{W_c}{VI_a} \right) = 0
$$
\n
$$
\Rightarrow \frac{R_a}{V} - \frac{W_c}{VI_a^2} = 0
$$
\n
$$
\Rightarrow W_c = I_a^2 R_a \Rightarrow I_a = \sqrt{\frac{W_c}{R_a}}
$$

The just above expression shows that the efficiency of a dc motor is maximum when

**Copper Loss = Core Loss Condition for Maximum Efficiency** Variable losses = Constant losses **CU losses = constant losses** CU loss = Iron loss

4 A 200V shunt motor on load runs at 1200 ppm and take 3A current. The total annu rate  
\nload and take a line current of 40A. Due to Armaure reaction the field weakened by 3%.  
\n1501 : 3 marks  
\n162 : 3 marks  
\n17: 3 marks  
\n182 : 3 marks  
\n192 : 3 marks  
\n102 : 3 marks  
\n102 : 5 marks  
\n11 : 1200 Vpm, T. L<sub>1</sub> = 3A (100 local)  
\n12 = ? L<sub>2</sub> = 40A (Load)  
\n13 = 652 – x 1  
\n14 = 0.37. 
$$
\frac{E_{D2}}{N_1} = \frac{E_{D2}}{1E_{D1}} \times \frac{1}{\phi}
$$
  
\n150 = 150 L = V - Ta<sub>1</sub> Ra  
\n150 = 150 L = V - Ta<sub>1</sub> Ra  
\n151 = 1 L<sub>1</sub> - I<sub>2</sub> sh = 3 L<sub>1</sub> + 33 L (1.67 A).  
\n151 = 200 - (1.64 x 0.3) = 1.91.5 V  
\n152 = 200 - (1.64 x 0.3) = 1.91.5 V  
\n153 = 38.67 A.  
\n154 = 2 L<sub>2</sub> - I<sub>2</sub> sh = 40 - 1.33 = 38.67 A.  
\n1552 = V - Ta<sub>1</sub> Ra = 200 - (38.67 x 0.3)  
\n1562 = 1.88.4 V  
\n162 = 1.88.4 V  
\n172 = 1168.3 Ypm.





# **Disadvantages of Armature** control method

#### **Disadvantages**

- (i) A large amount of power is wasted in the controller resistance since it carries full armature current la.
- (ii) The speed varies widely with load since the speed depends upon the voltage drop in the controller resistance and hence on the armature current demanded by the load.
- (iii) The output and efficiency of the motor are reduced.
- (iv) This method results in poor speed regulation.

Due to above disadvantages, this method is rarely used to control tie speed of shunt motors.

#### Note.

- The armature control method is a very common method for the speed control of d.c. series motors.
- The disadvantage of poor speed regulation is not important in a series motor which is used only where varying speed service is required.

### iii. Voltage Control Method

- (i) Multiple voltage control.
- In this method, the shunt field of the motor is connected permanently across a-fixed voltage source.
- The armature can be connected across several different voltages through a suitable switchgear.
- In this way, voltage applied across the armature can be changed.
- The speed will be approximately proportional to the voltage applied across the armature.
- Intermediate speeds can be obtained by means of a shunt field regulator.

### **Speed Control of DC Series Motor 1. Flux Control Method**

#### (i) Field divertors.

- In this method, a variable resistance (called field diverter) is connected in parallel with series field winding as shown in Fig.
- $\checkmark$  Its effect is to shunt some portion of the line current from the series field winding, thus weakening the field and increasing the speed  $(N \alpha 1/\Phi)$ .
- The lowest speed obtainable is that corresponding to zero current in the diverter (i.e., diverter is open).
- $\checkmark$  Obviously, the lowest speed obtainable is the normal speed of the motor.
- $\checkmark$  Consequently, this method can only provide speeds above the normal speed.
- The series field diverter method is often employed in traction work.









7 A DC shunt motor runs at 1000 rpm on 200V supply its armature resistance is 0.8  $10$   $CO|L|$ and the armature current drawn is 40 amps. What resistance must be connected 4 3in series with the armature to reduce the speed to 600 rpm, the armature current remaining same? Neglect armature reaction Formula : 1 mark Eb1 : 3 marks Eb2 : 3 marks N2 : 3 marks 7) shunt Motor 'V = 200V  $N_f$ = 1000 rpm ; Ra = 0.80  $\mathcal{T}_{q_1} = 400$ .  $Rc = ?$   $N_2 = 600$ rpm  $Ta2 = 400$ . Speed control by armature control method.  $E_{b1} = V - Ta_1 Ra_2 = 200-(40\times0.8) = 168V$  $E_{b2}$  =  $V - \text{Iq2}(Ra + Re)$  $\frac{N_{2}}{N_{1}} = \frac{E_{b2}}{E_{b1}}$  $E_{b2} = \frac{N2}{N_1} \times E_{b1} = \frac{600}{1000} \times 168 = 100.8V$  $E_{b2} = y - \text{Im}z (Ra + Re)$  $100.8 = 200 - 40(0.8 + Re)$  $40(0.8+Rc) = 200 - 100.8 = 99.2$ .  $32 + 40Rc = 99.2$  $40Rc = 99.2 - 32 = 67.2$  $Re = 1.68 V -$ Extra Resistance to be connected in senes with armature is 1.68 u.

8 A 220 V shunt motor with an armature resistance of 0.5 ohm is excited to give constant 10  $10$   $CO|L|$ main field. At full load the motor runs at 500rpm and takes an armature current of 30A. If a 2 3resistance of 1.0 ohm is placed in the armature circuit, find the speed at (a) full-load torque (b) double full-load torque.  $V = 220V$  Shunt Motor  $Ra = 0.5u$   $\varphi \rightarrow \text{constant}$ .  $N = 500$  Ypm.  $Ia_1 = 300$ .  $R_{\alpha} = 10$ (a) N, @ full local toxque (b) N2 @ double full load torque Tax of Iq<br>Sconstant Ta X Ig (1 mark) (a) Speed at Full Load Tonque.  $E_{b1} = V - Iq_1 Rq$ 934  $E_{b1}$  = 220 - (30x0.5) = 205 V.  $N1 = 500$  rpm.  $E_{b2} = V - \frac{\Gamma_{a2}}{\Gamma_{a2}}(Ra + Re)$ = 220 - 30 (  $0.5 + 1$ ) =  $15V$ .  $\frac{W_{2}}{N_{1}} = \frac{E_{b2}}{E_{b1}} = \frac{175}{205}$  $N_2 = \frac{175}{205} \times 500 = 426.83$ (4marks)

(b) Speed at double the full load  
\nTo square.  
\n
$$
Re = 14r
$$
;  $Rq = 0.54r$   
\n $Tq2 = 2$   $Tq$ ;  $Tq1 \rightarrow$  Full load  
\n $\frac{Tq2}{Tq1} = \frac{Tq2}{Tq1}$   
\n $Tq2 = \frac{Tq2}{Tq1} \times Tq1 = \frac{2Tq1}{Tq1} \times Tq1$   
\n $Tq2 = 2Iq1 = 2 \times 30 = 60P1$   
\n $Ep2 = 2Iq1 = 2 \times 30 = 60P1$   
\n $Ep2 = 21Q - 60(0.5 + 1)$   
\n $Ep2 = 130V$   
\n(3 marks)  
\n $\frac{Np}{N1} = \frac{EBp}{EBp} = \frac{130}{805} \times 500$   
\n $\frac{Nq}{N2} = \frac{EBp}{8(1.07 \times 7)Pm}$   
\n(2 marks)

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