

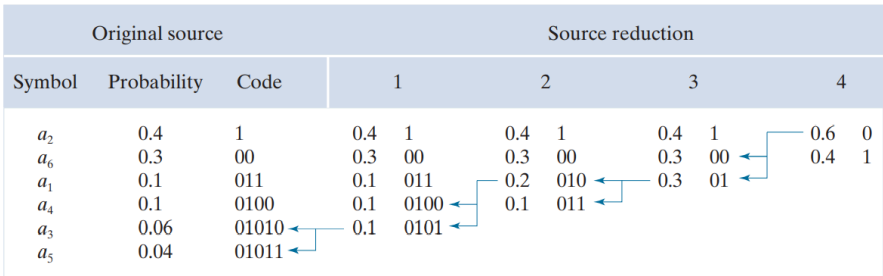
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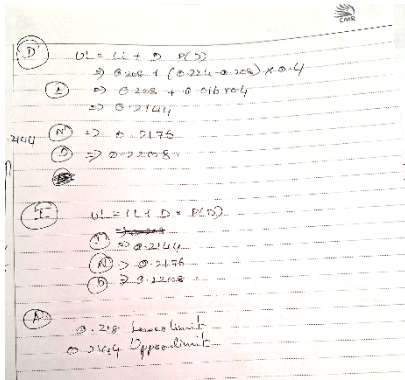
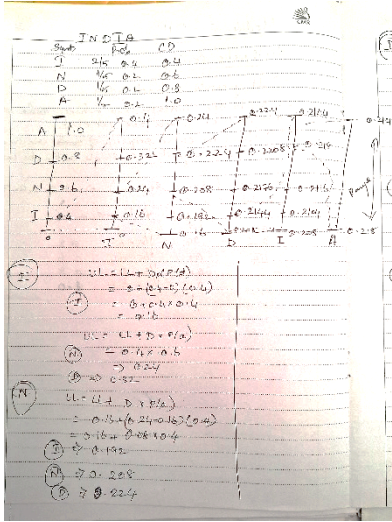
Internal Assessment Test 2 – Oct 2023
SOLUTION & SCHEME

Sub:	Digital Image Processing	Sub Code:	18CS741	Branch:	CSE					
Date:		Duration:	90 mins	Max Marks:	50	Sem / Sec:	7(A,B,C)	OBE		
<u>Answer any FIVE FULL Questions</u>								MAR KS	C O	RB T
1a	Identify which compression coding method yields the smallest possible number of code symbols per source symbol. Sol: Huffman coding technique						2	3	L2	
1b	Given a table of source symbols and probability, apply the above identified compression coding and decode the following message “010100111100” symbols probability a2 0.4 a6 0.3 a1 0.1 a4 0.1 a3 0.06 a5 0.04 Sol: FIGURE 8.8 Huffman code assignment procedure.						8	3	L3	



Decode message : “010100111100” == a3 a1 a2 a2 a6

2a The arithmetic decoding process is the reverse of the encoding procedure. Given a message source sequence "INDIA" generate non block arithmetic code.
Sol:



10

L3

3a Find which compression method assigns fixed length code word to variable length sequence of source symbols.
Sol: LZW coding technique

2

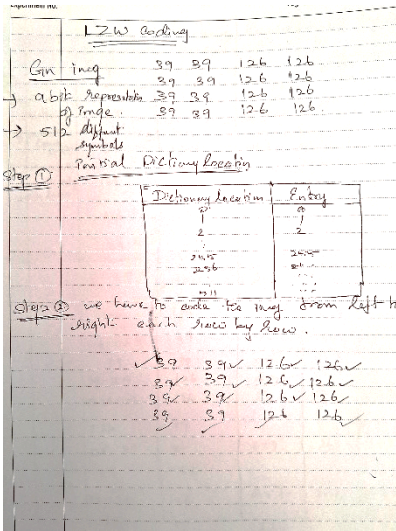
3

L2

3b Given an 8 bit image, compress the image with the above method identified.

39 39 126 126
 39 39 126 126
 39 39 126 126
 39 39 126 126

Sol:



Current Sequence	Next Entry	Encoded Output	Dictionary Location	Dictionary Entry
39	39	256	1	39-39
39	126	257	2	39-126
126	126	258	3	126-126
126	39	259	4	126-39
39 39	126	260	5	39-39-126
126	126	261	6	126-126-126
126 126	39	262	7	126-126-39
39 39 126	126	263	8	39-39-126-126
126 126	39	264	9	126-126-39
39 126	126	265	10	39-126-126
126	126	266	11	126-126

Final encoded o/p
 39 39 126 126 256 258
 260 259 257 126
 In orig img = 6x4 ⇒ 16x8bits
 Comp. img. ⇒ 10x9bits
 From the above sequence we can reproduce the image back to original.

8

L3

4 Explain the principle types of data redundancies

Sol: detailed explanation on :

1. Coding redundancy
2. Spatial or temporal (interpixel) redundancy
3. Psychovisual redundancy (irrelevant information)

10

L3

5a Write a formal definition of image segmentation. Explain the various gray level discontinuities in image processing

Sol:

Image segmentation definition- Subdivision of an image into its constituent parts
 Segmentation based on discontinuities

- (1) Isolated points
- (2) Lines
- (3) Edges

5

L2

5b Identify and explain which edge detecting algorithm uses the advantage of Laplacian operator and Gaussian function.

3

Sol:

The Marr-Hildreth edge detector

The Marr-Hildreth edge detector [1980]

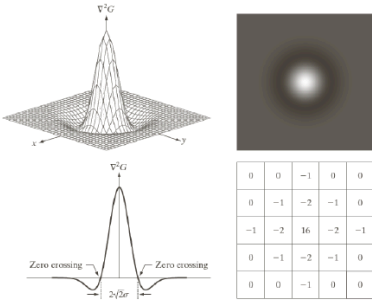
- Image should be smoothed first (to reduce noise)
- Larger operators should be used for larger images
- Zero-crossings of second derivative should be exploited
- The Laplacian of a Gaussian (LoG) operator is therefore employed

2-D Gaussian operator:

$$G(x, y) = e^{-\frac{x^2+y^2}{2\sigma^2}} \dots (1)$$

Laplacian of Gaussian (LoG)

$$\nabla^2 G(x, y) = \left\{ \frac{x^2 + y^2 - 2\sigma^2}{\sigma^4} \right\} e^{-\frac{x^2+y^2}{2\sigma^2}}$$



5

L2

6a Discuss the need for edge linking and also explain local and regional processing approaches to edge linking.

3

Sol:

Edge detection is always followed by edge linking

Local processing

- Analyze pixels in small neighborhood of each edge point
- Pixels that are similar are linked

Regional processing (Polygonal approximations)

A conceptual understanding of this idea is sufficient

Requirements: (1) Two starting points must be specified; (2) All the points must be ordered

Large distance between successive points, relative to the distance between other points ⇒ boundary segment (open curve) ⇒ end points used as starting points
 Separation between points uniform ⇒ boundary (closed curve) ⇒ extreme points used as starting points



5

L3

Explain global processing using the Hough transform.

Sol:

• Hough transform (1962)

When different values for a and b are considered, $y_i = ax_i + b$ gives all possible lines through the point (x_i, y_i)

The equation $b = -x_i a + y_i$ gives one line in the ab -plane for a specific (x_i, y_i)

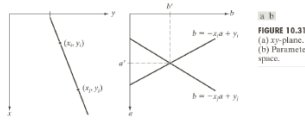


FIGURE 10.31 (a) xy -plane. (b) Parameter space.

When another point (x_j, y_j) is considered, $b = -x_j a + y_j$ represents another line in the ab -plane

Suppose that these two lines intersect at the point (a', b') , then $y = a'x + b'$ represents the line in the xy -plane on which both (x_i, y_i) and (x_j, y_j) lie

Since a computer can only deal with a finite number of straight lines, we subdivide the parameter space ab into a finite number of accumulator cells...

We still have a problem though, since $-\infty < a < \infty$ and $-\infty < b < \infty$!

In order to deal with this problem, we now represent a straight line as follows

$$x \cos \theta + y \sin \theta = \rho$$

so that $(a, b) \rightarrow (\rho, \theta)$

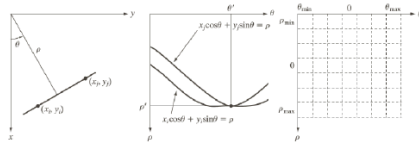


FIGURE 10.32 (a) (ρ, θ) parameterization of line in the xy -plane. (b) Sinusoidal curves in the $\rho\theta$ -plane; the point of intersection (ρ', θ') corresponds to the line passing through points (x_1, y_1) and (x_2, y_2) in the xy -plane. (c) Division of the $\rho\theta$ -plane into accumulator cells.

Example 10.13: Illustration of Hough transform properties

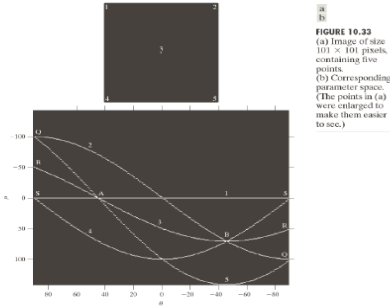


FIGURE 10.33 (a) Image of size 101×101 pixels, containing five points. (b) Corresponding parameter space. (The points in (a) were enlarged to make them easier to see.)