USN					



Internal Assessment Test 2 – January 2024

Sub:	Operating Systems Sub Code: BCS303								Branch: ISE			
Date:	<b>18/1/2024</b> Duration: 90 min's Max Marks: 50 Sem/Sec: III A, B & C									OBE		
		MAR	KS	CO	RBT							
	in milliseco a Gantt Cha	e following so onds. The proc art and calcula	cesses are ass ate the averag	es, with the sumed to hav ge waiting ti	length ove arrive	f the CPU bur d in the order	st is given belo P1, P2,P3. Dra cound time for a arks).	ow 10 aw		CO2	L3	
	•	P4	3	1								
		e Multilevel ( es – 5 marks	Queue Sched	uling and M	lultilevel	Feedback Qu	eue Scheduling	5		CO2	L2	
	Explain the Conditions	requirements – 5 marks	to solve Crit	tical Section	Problem	1		5		CO3	L2	
	Outline a solution using Semaphores to solve Dining Philosopher's Problem Problem definition: 2 marks Philosopher Code: 3 marks Semaphore solution with explanation: 5 marks								)	CO3	L2	
										CO3	L2	
4.b										CO3	L2	
5.a	Consider th instance. Do algorithm. I Process Exp Wait For G	e below giver etermine where etermine e	n resource- al ther the syste process with a	llocation gra em has deadl a neat sketch	ph in wh	ich all resour	ees have only o adlock detectio	ne 6		CO2	L3	
5.b	Explain Pro	cess Termina		nate deadloc	ks			4		CO3	L2	
6						res in the Ban	ker's algorithm	10	)	CO3	L3	

	Al	loc	ati	on		Ма	X		A۱	/ai	ila	b1	e	Need
	Α	В	С	D	Α	В	C	D	Α	В	3	C	D	ABCD
PØ	0	0	1	2	0	0	1	2	1	5	5	2	0	
P1	1	0	0	0	1	7	5	0						
P2	1	3	5	4	2	3	5	6						
Р3	0	6	3	2	0	6	5	2						
P4	0	0	1	4	0	6	5	6						
P4 0 0 1 4 0 6 5 6  Using Banker's algorithm, answer the following questions:  (i) What are the contents of Need Matrix? (2 marks)  (ii) Is the in a safe state? (2 marks) Explain the algorithm and determine safe sequence order in which the processes completes its execution? (6 marks)														

# Solution

# 1, Round Robin :



Arrival Time	Burst Time	Finish Time	Turnaround Time	Waiting Time
0	5	12	12	7
1	10	18	17	7
2	2	6	4	2
3	1	9	6	5
		Average	39 / 4 = 9.75	21 / 4 = 5.25

## SJF:

# Non Preemptive



Arrival Time	Burst Time	Finish Time	Turnaround Time	Waiting Time
0	5	5	5	0
1	10	18	17	7
2	2	8	6	4
3	1	6	3	2
		Average	31 / 4 = 7.75	13 / 4 = 3.25

#### Preemptive



Job	Arrival Time	Burst Time	Finish Time	Turnaround Time	Waiting Time
Α	0	5	8	8	3
В	1	10	18	17	7
С	2	2	4	2	0
D	3	1	5	2	1
			Average	29 / 4 = 7.25	11 / 4 = 2.75

#### 2a.

## Multilevel queue scheduling (MLQ)

It is queue scheduling algorithm in which ready queue is partitioned into several smaller queues and processes are assigned permanently into these queues.

The processes are divided on basis of their intrinsic characteristics such as memory size, priority etc.

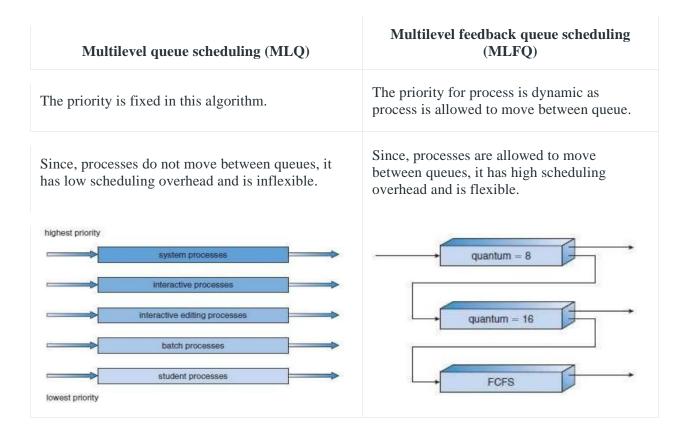
In this algorithm queue are classified into two groups, first containing background processes and second containing foreground processes.

# Multilevel feedback queue scheduling (MLFQ)

In this algorithm, ready queue is partitioned into smaller queues on basis of CPU burst characteristics.

The processes are not permanently allocated to one queue and are allowed to move between queues.

Here, queues are classified as higher priority queue and lower priority queues. If process takes longer time in execution it is moved to lower priority queue.

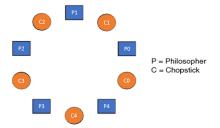


#### 2b.

Critical section problem may be resolved by satisfying the following three requirements:

- Mutual Exclusion: If a process is executing in its critical section, then no other process is allowed to execute in the critical section.
- Progress: If no process is executing in the critical section and other processes are waiting
  outside the critical section, then only those processes that are not executing in their
  remainder section can participate in deciding which will enter the critical section next, and
  the selection cannot be postponed indefinitely.
- Bounded Waiting: A bound must exist on the number of times that other processes are
  allowed to enter their critical sections after a process has made a request to enter its critical
  section and before that request is granted.

#### 3. Dining Philosopher Problem:



- The dining philosopher's problem is the classical problem of synchronization which says that Five philosophers are sitting around a circular table and their job is to think and eat alternatively.
- A bowl of noodles is placed at the center of the table along with five chopsticks for each of the philosophers. To eat a philosopher needs both their right and a left chopstick.

- A philosopher can only eat if both immediate left and right chopsticks of the philosopher is available. In case if both immediate left and right chopsticks of the philosopher are not available then the philosopher puts down their (either left or right) chopstick and starts thinking again.
- The dining philosopher demonstrates a large class of concurrency control problems hence it's a classic synchronization problem.

```
Void Philosopher
{
while(1)
{
    take_chopstick[i];
    take_chopstick[ (i+1) % 5];
    ..
    . EATING THE NOODLE
    .
    put_chopstick[i] );
    put_chopstick[ (i+1) % 5];
    .
    . THINKING
}
```

#### Semaphore code:

```
1. wait( S )
{
while( S <= 0);
S--;
}
2. signal( S )
{
S++;
}
```

semaphore C[5];

#### Solution:

```
void Philosopher
{
  while(1)
  {
    Wait( take_chopstickC[i] );
    Wait( take_chopstickC[(i+1) % 5] ) ;
    ..
    . EATING THE NOODLE
    .
    Signal( put_chopstickC[i] );
    Signal( put_chopstickC[ (i+1) % 5] ) ;
    .
    . THINKING
  }
}
```

- 1. Initialize the semaphores for each fork to 1 (indicating that they are available).
- 2. Initialize a binary semaphore (mutex) to 1 to ensure that only one philosopher can attempt to pick up a fork at a time.
- 3. For each philosopher process, create a separate thread that executes the following code:
  - While true:
    - Think for a random amount of time.
    - Acquire the mutex semaphore to ensure that only one philosopher can attempt to pick up a fork at a time.
    - Attempt to acquire the semaphore for the fork to the left.
  - If successful, attempt to acquire the semaphore for the fork to the right.
  - If both forks are acquired successfully, eat for a random amount of time and then release both semaphores.
  - If not successful in acquiring both forks, release the semaphore for the fork to the left (if acquired) and then release the mutex semaphore and go back to thinking.
- 4. Run the philosopher threads concurrently.

Several data structures must be maintained to implement the banker's algorithm. These data structures encode the state of the resource-allocation system. We need the following data structures, where n is the number of processes in the system and m is the number of resource types:

**Available**: A vector of length m indicates the number of available resources of each type. If Available[j] equals k, then k instances of resource type Ri are available.

**Max**: An n x m matrix defines the maximum demand of each process. If Max[i] [j] equals k, then process P; may request at most k instances of resource type Ri.

**Allocation:** An 11 x m matrix defines the number of resources of each type currently allocated to each process. If Allocation[i][j] equals lc, then process P; is currently allocated lc instances of resource type Rj.

**Need:** An n x m matrix indicates the remaining resource need of each process. If Need[i][j] equals k, then process P; may need k more instances of resource type Ri to complete its task. Note that Need[i][j] equals Max[i][j] - Allocation [i][j].

These data structures vary over time in both size and value.

#### 4b.

#### **Definition:**

```
boolean TestAndSet(boolean *target) {
   boolean rv = *target;
   *target = TRUE;
   return rv;
}

Mutual Exclusion

do {
   while (TestAndSet(&lock))
   ; // do nothing

   // critical section

lock = FALSE;

   // remainder section
} while (TRUE);
```

#### **Bounded – Waiting Mutual Exclusion:**

```
do {
   waiting[i] = TRUE;
   key = TRUE;
   while (waiting[i] && key)
      key = TestAndSet(&lock);
   waiting[i] = FALSE;

      // critical section

   j = (i + 1) % n;
   while ((j != i) && !waiting[j])
      j = (j + 1) % n;

if (j == i)
      lock = FALSE;
   else
      waiting[j] = FALSE;

      // remainder section
} while (TRUE);
```

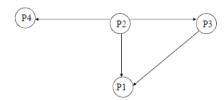
#### Algorithm:

**Step 1:** Take the first process (Pi) from the resource allocation graph and check the path in which it is acquiring resource  $(R_i)$ , and start a wait-for-graph with that particular process.

**Step 2:** Make a path for the Wait-for-Graph in which there will be no Resource included from the current process  $(P_i)$  to next process  $(P_j)$ , from that next process  $(P_j)$  find a resource  $(R_j)$  that will be acquired by next Process  $(P_k)$  which is released from Process  $(P_i)$ .

**Step 3:** Repeat Step 2 for all the processes.

**Step 4:** After completion of all processes, if we find a closed-loop cycle then the system is in a deadlock state, and deadlock is detected.



No cycle, therefore No Deadlock.

#### 5b.

To eliminate the deadlock, we can simply kill one or more processes. For this, we use two methods:

- 1. **Abort all the Deadlocked Processes**: Aborting all the processes will certainly break the deadlock but at a great expense. The deadlocked processes may have been computed for a long time, and the result of those partial computations must be discarded and there is a probability of recalculating them later.
- 2. **Abort one process at a time until the deadlock is eliminated**: Abort one deadlocked process at a time, until the <u>deadlock</u> cycle is eliminated from the system. Due to this method, there may be considerable overhead, because, after aborting each process, we have to run a <u>deadlock detection algorithm</u> to check whether any processes are still deadlocked.

6)

### (i) Need Matrix

A B C D

0 0 0 0

0 7 5 0

1 0 0 2

0 0 2 0

0 6 4 2

### (ii) The system is not in safe state.

#### Algorithm:

- 1. Let Work and Finish be vectors of length m and n, respectively. Initialize Work = Available and Finish[i] = false for i = 0, 1, ..., n 1.
- 2. Find an index i such that both
  - a. Finish[i] == false
  - b.  $Need_i \leq Work$

If no such i exists, go to step 4.

- 3. Work = Work + Allocation; Finish[i] = true Go to step 2.
- 4. If Finish[i] == true for all i, then the system is in a safe state.

Safety Sequence order: P0→P2→P3→P4→P1