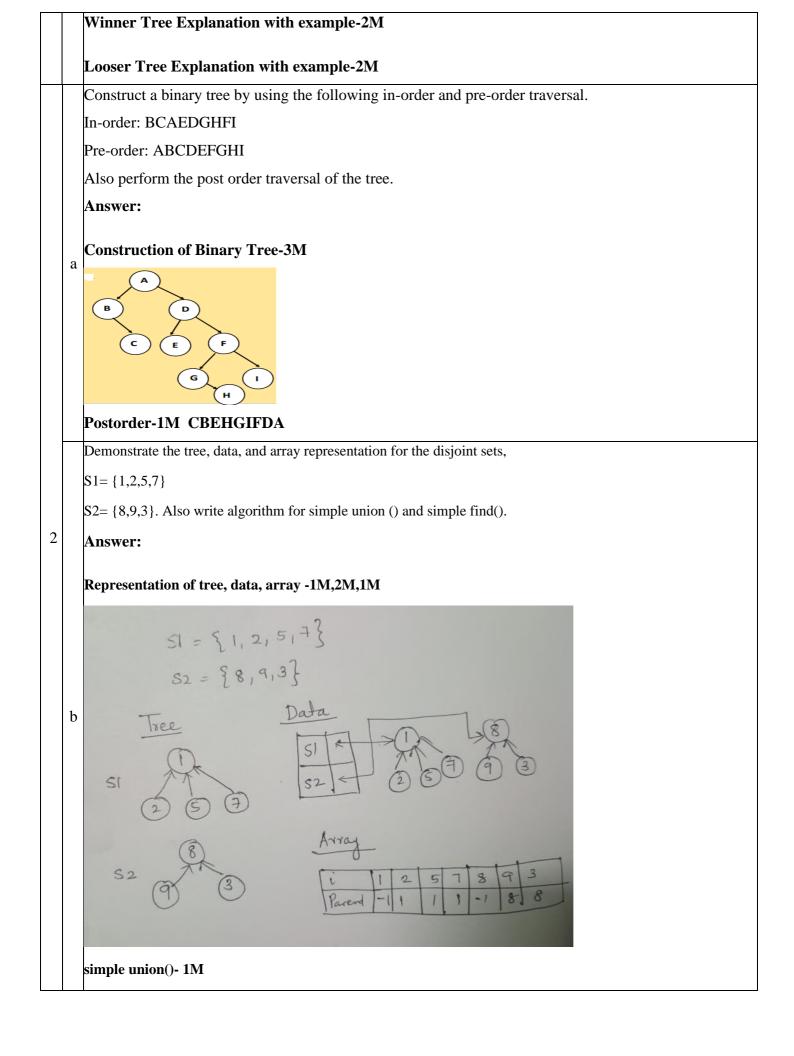
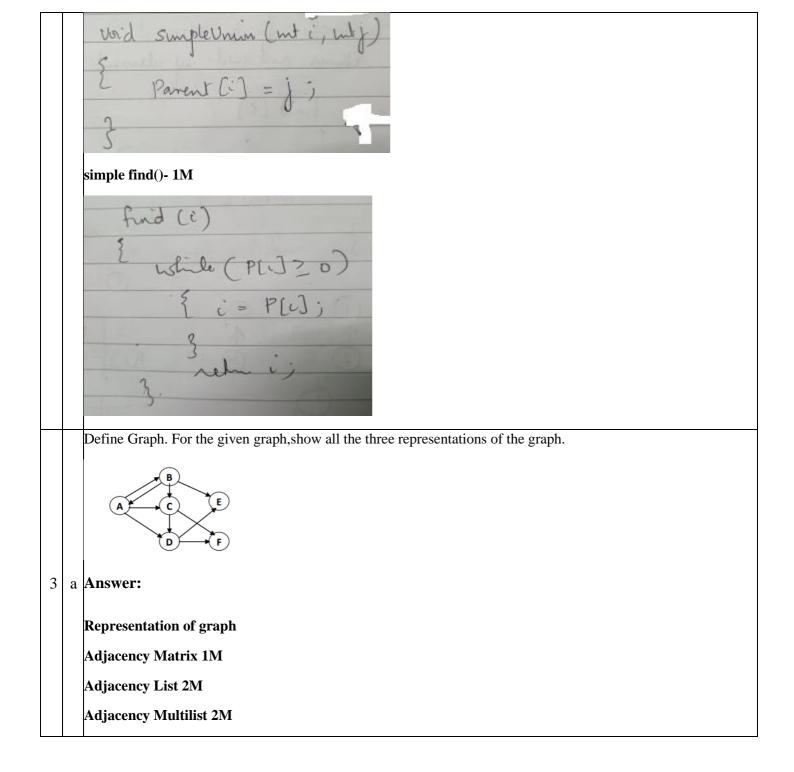
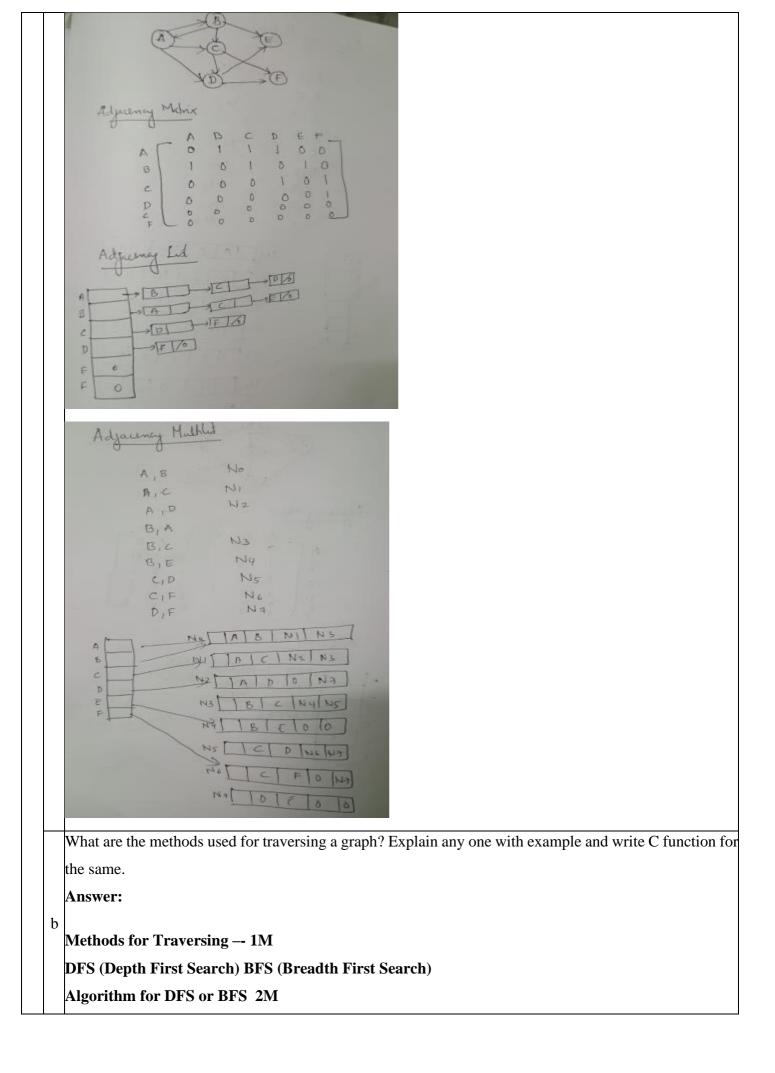
| US<br>N |    |   |                                       |      |       |  |  |      |  |                        |        |         |                       |  |
|---------|----|---|---------------------------------------|------|-------|--|--|------|--|------------------------|--------|---------|-----------------------|--|
| Sub:    | D  | ATA S   | STRU                                  | СТИ  | IRES  | S AN   | D Al   | PPLI | [CA]   | ΓΙΟΙ                   | NS     |         | Sub Code:             | BCS304                                 |
| Date:   |    |   |                                       | Dura | tion: | 90   | minı   | ıtes | Ma   | ax M                   | arks:  | 50      | Sem/Sec:<br>III A,B,C |  |
|         |    |   | 1                                     |      |       |  |  |      | Sch  | neme                   | e and  | Solut   | •                     |  |
| 1 a     |    | o searc<br>swer:<br>nstruc<br>PR, 14<br>((<br>urch a)<br>Shul<br>I<br>C | ch an<br>ction<br>18<br>n iter<br>nod | item | the I | he B<br>4M(s + s, 1)<br>5, 1<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$<br>$3^{2}$ | ST.<br>step<br>. 6 ,<br>-2M<br>. ( )<br><br><br><br> | wise | t me<br>t me<br>t me<br>t de<br>t de | $d_{L} = \frac{1}{25}$ | 22, 14 | , 18, 5 | 50, 9, 15, 7, 0       | 6, 12, 32, 25 also write a function in |
| b       | An | swer:   |                                       |      |       |  |  |      |  |                        |        |         |                       |  |







Algorithm DFS(Verter) Visited [V] = 1 for all vertex no adjacet to V : id (visited[w] = = DFS(w); Algorithm BES(V) A DES & G(V,E) is comied out beginning at vertex V and array visited Visited [V] = true; initialrequere (Q); add (Qiv); While Enot emply quere (Q) do V= delete (Q, V); for all vertex be adjacent bits if not visited [w] then add (Q, w); Misited (W) = Mae; Example 2M Given a hash table with 9 slots. The hash function is  $h(k)=k \mod 9$ . The collision is overcome by chaining. The following keys are inserted in the order. a 5,28,19,15,20,33,12,17,10. Develop the corresponding hash table. 4 Answer:

|   |             | h(1) = Kmod 9   |
|---|-------------|---|
|   |             | 5, 28, 19, 15, 20,33, 12, 17, 10  |
|   |             |   |
|   |             | 5 med 9 = 5   |
|   |             | $28 \mod 9 = 1$<br>$19 \mod 9 = 1$  |
|   |             | $19 \mod 7 = 1$ $15 \mod 9 = 6$   |
|   |             | $20 \mod 9 = 2$   |
|   |             | 33 mod 9 = 6  |
|   |             | 12 mod 9 = 3  |
|   |             | 17 mod 9 = 8  |
|   |             | 10 mod 9 = 1  |
|   |             | Explain the following by taking suitable examples,<br>a) Linear Probing b) Quadratic Probing c) Folding Method<br>Answer:   |
|   |             |   |
|   | b           |   |
|   | b           | Linear Probing technique with example-2M  |
|   | b           |   |
|   | b           | Linear Probing technique with example-2M  |
|   | b           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M   |
|   | b           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M   |
|   | b           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.   |
|   | b           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.<br>Answer:  |
| 5 | b           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.<br>Answer:<br>Dynamic hashing using Directories 2M  |
| 5 | b           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.<br>Answer:<br>Dynamic hashing using Directories 2M<br>-Importance of directory and buckets  |
| 5 | a           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.<br>Answer:<br>Dynamic hashing using Directories 2M<br>-Importance of directory and buckets<br>-Increasing depth of the directory.<br>Example 3M<br>Differentiate between height biased and weight biased leftist tree with examples.  |
| 5 | a           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.<br>Answer:<br>Dynamic hashing using Directories 2M<br>-Importance of directory and buckets<br>-Increasing depth of the directory.<br>Example 3M   |
| 5 | b           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.<br>Answer:<br>Dynamic hashing using Directories 2M<br>-Importance of directory and buckets<br>-Increasing depth of the directory.<br>Example 3M<br>Differentiate between height biased and weight biased leftist tree with examples.  |
| 5 | b           | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.<br>Answer:<br>Dynamic hashing using Directories 2M<br>- Importance of directory and buckets<br>- Increasing depth of the directory.<br>Example 3M<br>Differentiate between height biased and weight biased leftist tree with examples.<br>Answer:<br>Height biased leftist tree 2.5M<br>Weight biased leftist tree 2.5M   |
|   | b<br>a<br>b | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.<br>Answer:<br>Dynamic hashing using Directories 2M<br>-Importance of directory and buckets<br>-Increasing depth of the directory.<br>Example 3M<br>Differentiate between height biased and weight biased leftist tree with examples.<br>Answer:<br>Height biased leftist tree 2.5M<br>Weight biased leftist tree 2.5M<br>What is the need for an optimal BST. Find the optimal BST for n=4, |
| 5 | b<br>a<br>b | Linear Probing technique with example-2M<br>Quadratic Probing technique with example-2M<br>Folding technique with example- 2M<br>Explain dynamic hashing using directories with the help of an example.<br>Answer:<br>Dynamic hashing using Directories 2M<br>- Importance of directory and buckets<br>- Increasing depth of the directory.<br>Example 3M<br>Differentiate between height biased and weight biased leftist tree with examples.<br>Answer:<br>Height biased leftist tree 2.5M<br>Weight biased leftist tree 2.5M   |

q0, q1, q2, q3, q4 =2,3,1,1,1

## Answer:

## Need for BST-2M

## Problem-8M

| n           | 1 ( i, c ) =   | 9 (i)   | a man a state of the   |  |                          |
|-------------|--|---|--|--|--------------------------|
| C           | $(i_i) = 0$  | li.   |  |  |                          |
| 5           | (i, i) =   | 0   | 2  | . 3  | , 4                      |
| 0           | 0<br>Web = 2<br>Ceo = 0<br>Aco = 0<br>Wei = 8 fri<br>Cei = 8<br>Nei = 1                              | $W_{11} = 3$ $C_{11} = 0$ $\lambda_{11} = 0$ $W_{12} = 7Ei$ $E_{12} = 7$ $\lambda_{12} = 7$ | $W_{12} = 1$ $C_{22=0}$ $A_{21=0}$ $W_{23} = 3$ $C_{13} = 3$ | $W_{33} = 1$<br>$C_{33} = 0$<br>$A_{35} = 0$<br>$W_{34} = -3$<br>$C_{34} = -3$<br>$A_{34} = -3$<br>$A_{34} = -4$ | W44= 1<br>C44=0<br>N44=0 |
| Rest the sh | Way = 12<br>Co1 = 19<br>Au = 1<br>Way = 14<br>Coy = 25<br>Auy = 16<br>Coy = 82<br>Auy = 2<br>Auy = 2 | W13 = 9   | $h_{23} = 3$<br>$W_{24} = 5$<br>$C_{24} = 8$<br>$h_{23} = 3$ |  |                          |
|             |  | (°,4)<br>(°,4)  | = k  | 1 d.   |                          |
| r           | (i, k-1)   |   | = 2<br>~(!   | 2(2)   | f = k<br>(4) = 3         |