Roll		
No.		



			Inte	ernal Assessment Test	t 1 – Nov 2024					
Sub:	Data Structure	es and Appli	cations - Sol	utions and Scheme	Sub code:	BCS304	Branch:	ISE		
Date:	07-11-2024	Duration:	90 min's	Max Marks: 50	Sem / Sec:	III / A,B,C				OBE
		Ans	swer any F	IVE FULL QUESTI	ONS		MA	RKS	СО	RBT
	Define Data Marks Distr		res. Class	sify them with a	diagram and	d example	2 <b>S.</b>	5	CO1	L2
	Classi	ition: 1 Ma ification Di nation with	agram: 2 N							
	Answer:									
		They allow		ormats for organizin nt data managemen		-				
	Classificatio	n of Data S	Structures	:						
	Data structur	es can be c	lassified in	to two main categor	ries:					
		itive Data Primitive I								
			Data	Structures						
	Primitiv	 ve Data Stru	ctures	 Non-Primitive 	Data Structure	S				
		Line	ear Data Str	 uctures Non-Lin   	ear Data Structu	ires				
		 Array	 Linked List	Stack Tree Queue	 Graph					
	• Non-l	Primitive I	Data Struc	: Examples include tures: Can be furth tures: Array, Linke	er classified as	8:				
	Non-Linear	Data Strue	ctures: Tre	ees, Graphs						

of pat in str with rep.		
Marks Distribution:		
Logic for Pattern Matching: 2 Marks		
Replace Operation: 2 Marks		
Message if Pattern Not Found: 1 Mark		
Answer:		
<pre>#include <stdio.h></stdio.h></pre>		
#include <string.h></string.h>		
void findAndReplace(char *str, char *pat, char *rep) {		
char buffer[1000];		
char *pos;		
int index = 0;		
int patLen = strlen(pat);		
<pre>int repLen = strlen(rep); int found = 0;</pre>		
int found = 0,		
buffer[0] = '\0'; // Initialize buffer to an empty string		
// Loop to find and replace all occurrences		
while ((pos = strstr(str, pat)) != NULL) {		
found = 1;		
// Copy characters from the start of str to the start of pattern		
strncpy(buffer + index, str, pos - str);		
index $+=$ pos - str;		
// Copy replacement into buffer		
strcpy(buffer + index, rep);		
index += repLen;		
// Move str to after the last replaced pattern		
str = pos + patLen;		
}		
if (!found) {		
printf("Pattern not found.\n");		
} else {		
strcpy(buffer + index, str); // Copy the remaining part of str		
printf("Updated String: %s\n", buffer);		
}		
}		
int main() {		l
char str[100] = "hello world, world of programming!";		
char pat[10] = "world";		l
char rep[10] = "earth";		
printf("Original String: %s\n", str);		l
findAndReplace(str, pat, rep);		1

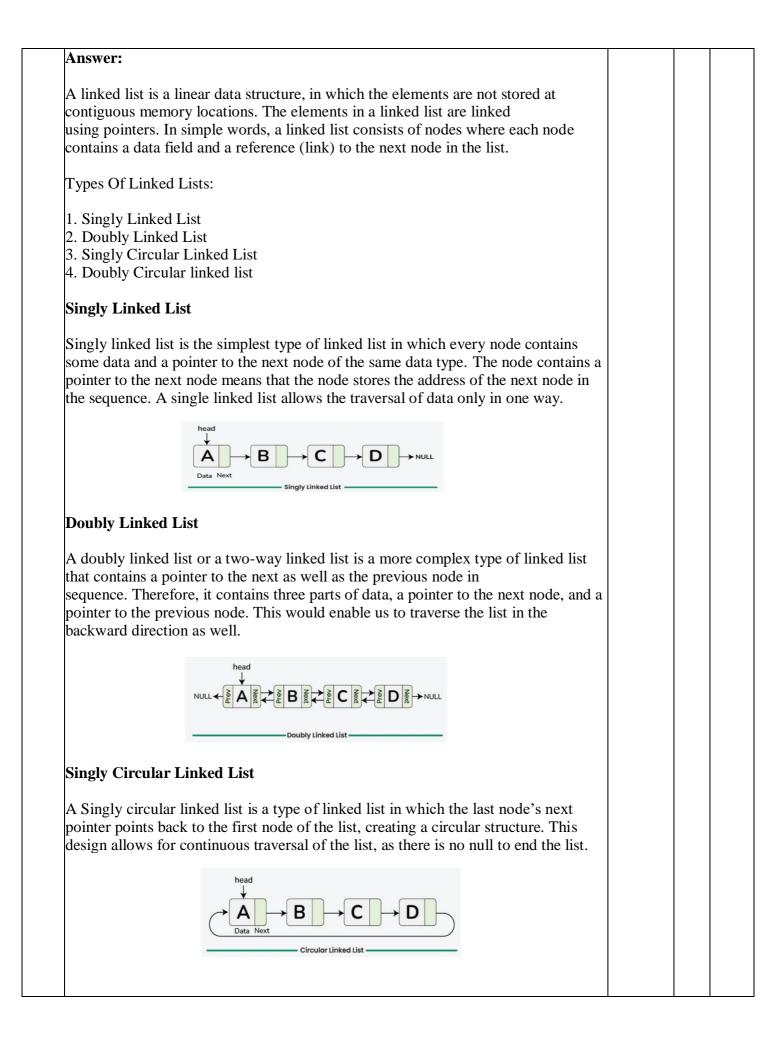
return 0;			
}			
<sup>2</sup> (a) Define Stack. Implement push(), pop(), and display() with full and empty conditions.	5	CO2	L3
Marks Distribution:			
<ul> <li>Stack Definition: 1 Mark</li> <li>push() Implementation: 2 Marks</li> <li>pop() and display() Implementations: 2 Marks</li> </ul>			
Answer:			
<b>Definition</b> : A <b>Stack</b> is a linear data structure that follows the LIFO (Last In First Out) principle.			
clude <stdio.h> fine MAX 5</stdio.h>			
stack[MAX]; top = -1;			
<pre>d push(int value) { f (top == MAX - 1) {     printf("Stack Overflow\n"); } else {     stack[++top] = value; }</pre>			
<pre>pop() { f (top == -1) {     printf("Stack Underflow\n");     return -1;     else {         return stack[top];         } }</pre>			
<pre>d display() { f (top == -1) {     printf("Stack is empty\n"); else {     printf("Stack elements:\n");     for (int i = top; i &gt;= 0; i) {         printf("%d\n", stack[i]);     } }</pre>			
main() { bush(10); bush(20); lisplay();			

	$\frac{1}{2} \left( \frac{1}{2} \left( \frac{1}{2} \right) - \frac{1}{2} \left( \frac{1}{2$			
	printf("Popped element: %d\n", pop());			
	lisplay(); eturn 0;			
	cturn 0,			
(b)	Rules to Convert Infix to Postfix & Example Conversion	5	CO2	L2
	Marks Distribution:			
	Conversion Dulas, 2 Montre			
	Conversion Rules: 3 Marks     Evenue 1: Conversion: 2 Marks			
	• Example Conversion: 2 Marks			
	Anguyan			
	Answer:			
	Rules to Convert Infix to Postfix:			
	1 Onemenda as directly to the sutput			
	1. <b>Operands</b> go directly to the output.			
	<ol> <li>Operators are pushed onto a stack.</li> <li>Parentheses:</li> </ol>			
	$\circ$ '(' is pushed to the stack.			
	• ')' causes stack pop until '(' is encountered.			
	4. Operators of <b>higher precedence</b> are pushed first.			
	5. When the expression ends, pop all operators from the stack.			
	Example:			
	For the expression: $A * (B * C + D * E) + F$			
	The Postfix conversion is: ABC*DE*+*F+			
3 (a)	C Functions to Add Two Polynomials (Using Linked Lists)	5	CO2	L3
	Marks Distribution:			
	- Linked List Depresentation: 2 Marks			
	<ul> <li>Linked List Representation: 2 Marks</li> <li>Code for Addition of Polynomials: 3 Marks</li> </ul>			
	• Code for Addition of Polynolliais. 5 Warks			
	Answer:			
	For adding polynomials:			
	• Use linked lists to represent the terms.			
	• Traverse both lists to sum terms with the same exponents.			
	oludo zotdio h			
	clude <stdio.h> clude <stdlib.h></stdlib.h></stdio.h>			
	edef struct PolyNode {			
	nt coeff;			
	nt exp;			
	truct PolyNode *next;			
	olyNode;		1	

		1	
No dot anosto No do (int opofficiat over) (			
yNode* createNode(int coeff, int exp) {			
PolyNode* newNode = (PolyNode*)malloc(sizeof(PolyNode));			
newNode->coeff = coeff;			
newNode->exp = exp;			
newNode->next = NULL;			
eturn newNode;			
yNode* addPoly(PolyNode* p1, PolyNode* p2) {			
PolyNode* result = NULL;			
PolyNode** $ptr = \&result$			
while (p1 && p2) {			
if (p1->exp > p2->exp) {			
*ptr = createNode(p1->coeff, p1->exp);			
$p1 = p1 \rightarrow next;$			
} else if (p1->exp < p2->exp) {			
*ptr = createNode(p2->coeff, p2->exp);			
p2 = p2 - next;			
} else {			
*ptr = createNode(p1->coeff + p2->coeff, p1->exp);			
$p1 = p1 \rightarrow next;$			
p2 = p2 - next;			
ptr = &((*ptr)->next);			
while (p1) {			
*ptr = createNode(p1->coeff, p1->exp);			
p1 = p1->next;			
pr = &((*ptr) - next);			
while (p2) {			
*ptr = createNode(p2->coeff, p2->exp);			
p2 = p2 - next;			
ptr = &((*ptr)->next);			
eturn result;			
Define Abstract Date Type (ADT) and Explain Owers ADT	5	CO2	L2
Define Abstract Data Type (ADT) and Explain Queue ADT			
Marks Distribution:			
ADT Definition: 2 Marks			
• Explanation of Queue ADT: 3 Marks			
• Explanation of Queue ADT: 3 Marks Answer:			

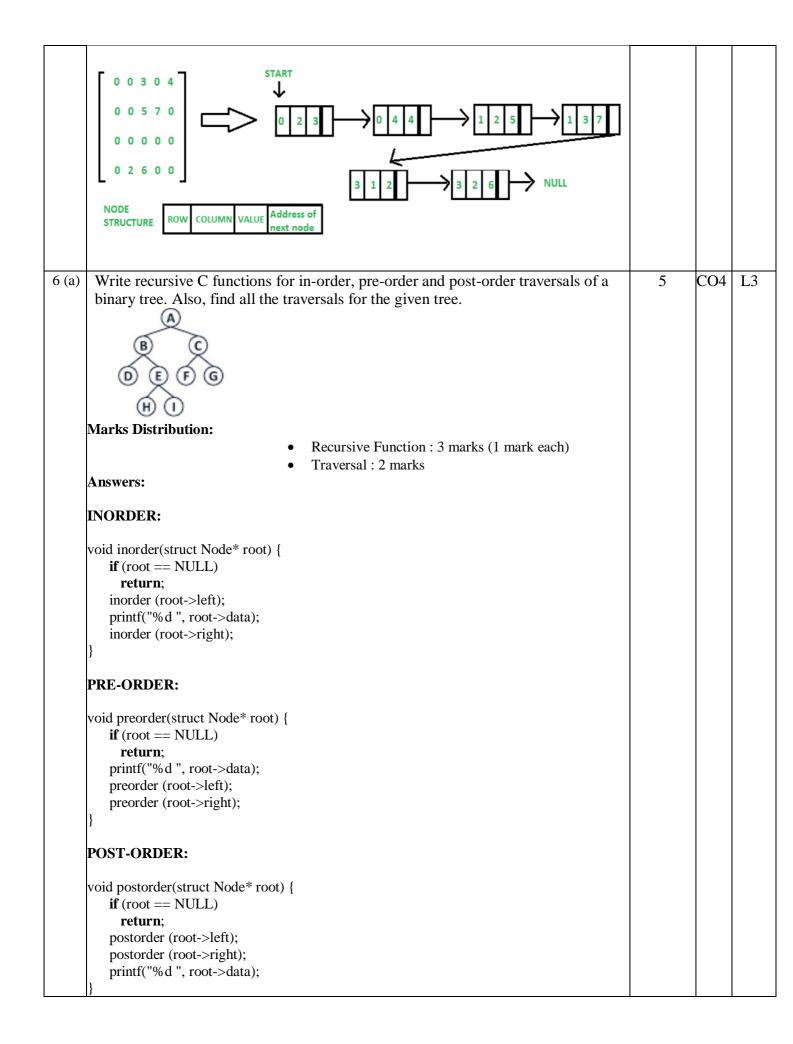
A A h stars of Dodo To			1	
	<b>(ADT)</b> is a model defined by a set of values and alues. ADTs provide only the interface, hiding implementation			
Queue ADT:				
Operations:         Operations:         o enque         o deque	ure following FIFO (First In First Out). ue(): Add element to the rear. ue(): Remove element from the front. : Access front element.			
4 (a) Develop a C program linear queue.	to implement insertion, deletion and display operations on	5	CO2	L3
Marks Distribution:				
Answer:	<ul> <li>Syntax – 2 marks</li> <li>Functions – 3 marks (Each 1 mark)</li> </ul>			
<pre>#include<stdio.h> #include<stdib.h> #include<stdlib.h> #define MAXSIZE 10 int Q[MAXSIZE],from void qinsert(int x) {     if(rear==MAXSIZE-     printf(''\n Queue is 1)     else if(front==-1)     {       front=0;       rear=0;       Q[front]=x;     }     else     {       rear++;       Q[rear]=x;     }     }     void qdelete()     {       if(front==-1)       printf(''\n Queue is 1)       printf(''\n Queue is 1)     } } void qdelete() {       if(front==-1)       printf(''\n Queue is 1)       printf(''\n %d is ren       front=-1;     } } </stdlib.h></stdib.h></stdio.h></pre>	nt=-1,rear=-1; 1) Full.'');			

	rear=-1;			
	}			
	else			
	{			
	printf("\n %d is deleted from Queue.",Q[front]);			
	front++;			
	}			
	}			
	void display()			
	{			
	int i;			
	printf("\n The Queue elements are\n");			
	if(front==-1)			
	printf("\ <b>n No elements in Queue.</b> ");			
	else			
	( for (i-front)			
	for(i=front;i<=rear;i++)			
	printf(" %d ",Q[i]);			
	}			
	int main()			
	{			
	int choice,x;			
	while(1)			
	{			
	printf("\n 1.Data insert\n 2.Data Delete\n 3.Data Display\n 4.Exit");			
	printf("\n Please, Enter your choice : ");			
	scanf("%d",&choice);			
	switch(choice)			
	case 1: printf("\n Please, Enter the element : ");			
	scanf("%d",&x);			
	qinsert(x);			
	break;			
	case 2: qdelete();			
	break;			
	case 3: display();			
	break;			
	<b>case</b> 4: exit(0);			
	default : printf("\n wrong Choice.");			
	}			
	}			
	}			
(b)	What is Linked list? Explain the Different types of Linked list with a neat diagram.	5	CO3	L2
	Marks Distribution:			
	• Definition – 2 marks			
	<ul> <li>Definition – 2 marks</li> <li>Types with diagram – 3 marks</li> </ul>			
	• Types with diagram – 5 marks			
l	I			

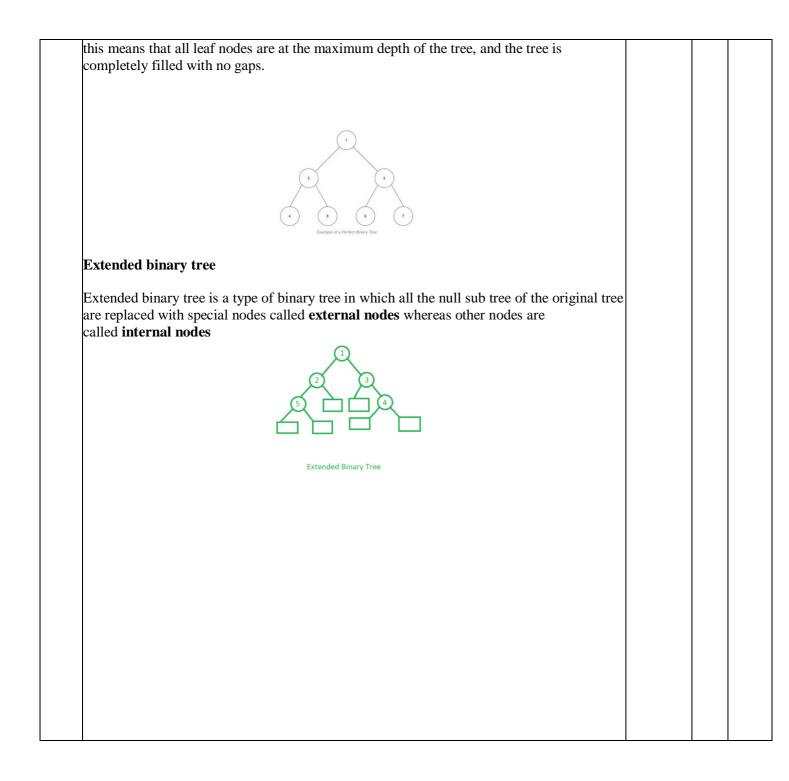


	Doubly Circular linked list			
	Doubly Circular linked list or a circular two-way linked list is a complex type of linked list that contains a pointer to the next as well as the previous node in the sequence			
	head			
5 (a)	Give the Structure representation of Doubly linked list and write the c function for	5	CO3	L3
	following: i) Insert an element at an end of DLL ii) Delete a node at the beginning of DLL			
	Mark Distribution:			
	• Description and representation: 3 marks			
	• Function : 2 marks(each one)			
	Structure of a Doubly Linked List Node:			
	<ul> <li>Each node in a doubly linked list includes:</li> <li>Data: The actual information held within the node, which could be numbers, strings, or any other data type.</li> <li>Next Pointer: A reference to the next node in the list, which helps in traversing the list forward.</li> <li>Prev Pointer: A reference to the previous node in the list, which facilitates backward traversal.</li> </ul>			
	i) Insert an element at an end of DLL			
	void insert_end() { EMPLOYEE node, temp;			
	node = create(); if ( start == NULL ) /*If the list is empty.*/			
	start = node;			
	else {			
	temp = start; while ( temp->rlink != NULL ) /*Traverse till the end of the list.*/			
	temp = temp->rlink;			
	<pre>temp-&gt;rlink = node; /*Temp's right link is assigned the address of node.*/ node-&gt;llink = temp; /*Node's left link is assigned the address of temp.*/ } </pre>			

ii) Delete a node at the beginning of DLL			
void delete_front()			
{ EMPLOYEE temp; temp = start;			
if ( temp == NULL ) /*If the list is empty.*/			
printf ( "\nList is Empty" );			
else if ( temp->rlink == NULL ) /*If there is one node in the list.*/			
printf ( "\nThe deleted employee ssn is %s", temp->ssn ); free ( temp ); start = NULL;			
}			
else /*If there are many nodes.*/ {			
start = temp->rlink; /*Assign the address of next node which is present in start's right link to			
start.*/			
<pre>start-&gt;llink = NULL; printf ( "\nThe deleted employee ssn is %s", temp-&gt;ssn ); free ( temp );</pre>			
}			
Define sparse matrix. For the given sparse matrix, give the linked list representation:	5	CO3	L2
$\mathbf{A} = \begin{bmatrix} 0 & 0 & 3 & 0 & 4 \\ 0 & 0 & 5 & 7 & 0 \\ 0 & 0 & 0 & 0 & 0 \\ 0 & 2 & 6 & 0 & 0 \end{bmatrix}$			
Mark Distribution:			
<ul><li>Definition : 2 Marks</li><li>Linked list representation : 3 Marks</li></ul>			
Answers:			
Sparse Matrix:			
A <b>sparse matrix</b> is a matrix in which most of the elements are zero. This type of matrix is useful in scenarios where storage and computational efficiency are critical, as we can store only the non-zero elements rather than all elements, including the zeros.			
<ul> <li>In linked list, each node has four fields. These four fields are defined as:</li> <li>Row: Index of row, where non-zero element is located</li> <li>Column: Index of column, where non-zero element is located</li> <li>Value: Value of the non-zero element located at index – (row,column)</li> <li>Next node: Address of the next node</li> </ul>			



inorder - D B H E I A F C G		
preorder - A B D E H I C F G postorder - D H I E B F G C A		
Define Binary Tree. Explain the Types of Binary Tree with a neat diagram.	5	CO4
Define Binary free. Explain the Types of Binary free with a heat diagram.	5	C04
Marks Distribution:		
• Definition: 2 marks		
• Types : 3 marks		
Answer:		
A binary tree is a tree-type non-linear data structure with a maximum of two children for		
each parent. Every node in a binary tree has a left and right reference along with the data		
element. The node at the top of the hierarchy of a tree is called the root node. The nodes		
that hold other sub-nodes are the parent nodes.		
A parent node has two child nodes: the left child and right child.		
Types of Binary Tree		
1. Skewed Binary Trees		
2. Complete Binary Trees		
3. Full Binary Tree		
4. Extended Binary tree		
Skewed Binary Trees		
A skewed binary tree is a type of binary tree in which all the nodes have only either one child or no child. There are two types of skewed binary tree: left skewed and right skewed binary tree.		
binary tree.		
9 10 10 10 12 13 14 7 Left Skewed Binary Tree Right Skewed Binary Tree		
Complete Binary Trees		
A complete binary tree is a special type of binary tree where all the levels of the tree are filled completely except the lowest level nodes which are filled from as left as possible.		
(A)		
(B) (C)		
Complete Binary Tree		
Full Binary Tree		
A <b>perfect binary tree</b> or Full Binary tree is a special type of binary tree in which all the		



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