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Internal Assessment Test -DEC-2024												
Sub:	THEORY OF COMPUTATION					Sub Code:	BCS503	Branch:	ISE			
Date:	17/12/2024	Duration:	90 min	Max Marks:	50	Sem/Sec:	V / A,B,C			OBE		
<u>Answer any FIVE FULL Questions</u>										MAR KS	CO	RBT
1	Illustrate the LMD and RMD and parse tree for the given grammar $S \rightarrow aB bA$, $A \rightarrow aS bAA a$, $B \rightarrow bS aBB b$ for the string $w = aaabbabbbba$. check whether the Grammar is ambiguous					[10]	CO3	L3				
2	Construct the PDA to accept the Language $L = \{WCW^R w \text{ belongs to } \{a,b\}^*\}$, show the instantaneous descriptors for the string $aaCbb$					[10]	CO3	L3				
3	Define Chomsky Normal form (CNF) and Illustrate the CNF form for the given grammar $S \rightarrow S+T T/R$, $T \rightarrow T^*a b$, $R \rightarrow R^*a$					[10]	CO4	L3				
4.	State and Prove pumping lemma for context free Languages, and prove that $L = \{a^n b^n c^n n \geq 0\}$ is not context free					[10]	CO4	L2				
5.	Explain Turing Machine, Construct the Turing machine to accept the language $L = \{a^n b^n n \geq 1\}$ and accept the string $aabb$					[10]	CO5	L3				
6.	Explain the Programming techniques and Extension to Turing machines					[10]	CO5	L2				

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2	Construct the PDA to accept the Language $L = \{WCW^R w \text{ belongs to } \{0,1\}^*\}$, show the instantaneous descriptors for the string $01C10$					[10]	CO3	L3				
3	Define Chomsky Normal form (CNF) and Illustrate the CNF form for the given grammar $S \rightarrow S+T T/R$, $T \rightarrow T^*a b$, $R \rightarrow R^*a$					[10]	CO4	L3				
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6.	Explain the Programming techniques of Turing machines					[10]	CO5	L2				

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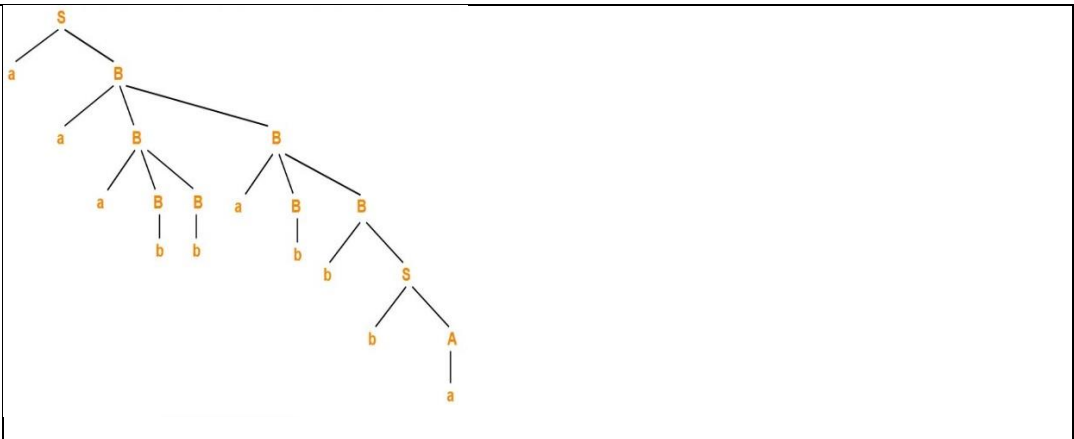
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Internal Assessment Test II- Dec-2024---Scheme

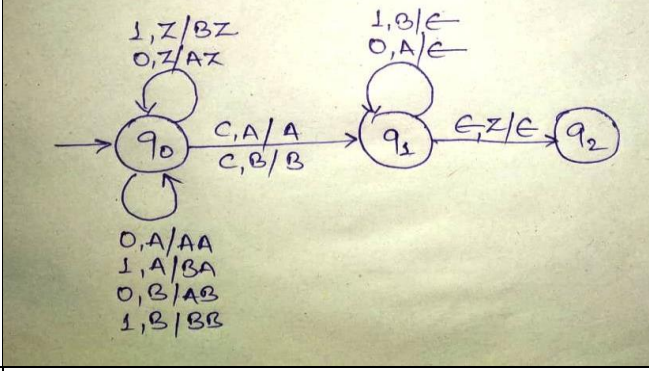
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Answer any FIVE FULL Questions								MAR KS	CO	RB T
1	<p>Illustrate the LMD and RMD and parse tree for the given grammar $S \rightarrow aB bA$, $A \rightarrow aS bAA a$, $B \rightarrow bS aBB b$ for the string $w = aaabbabbba$. check whether the Grammar is ambiguous</p> <p>Solution : Left Most Derivation</p> <p>$S \rightarrow aB$</p> <p>$\rightarrow aaBB$ (Using $B \rightarrow aBB$)</p> <p>$\rightarrow aaaBBB$ (Using $B \rightarrow aBB$)</p> <p>$\rightarrow aaabBB$ (Using $B \rightarrow b$)</p> <p>$\rightarrow aaabbB$ (Using $B \rightarrow b$)</p> <p>$\rightarrow aaabbaBB$ (Using $B \rightarrow aBB$)</p> <p>$\rightarrow aaabbabB$ (Using $B \rightarrow b$)</p> <p>$\rightarrow aaabbabbS$ (Using $B \rightarrow bS$)</p> <p>$\rightarrow aaabbabbbaA$ (Using $S \rightarrow bA$)</p> <p>$\rightarrow aaabbabbba$ (Using $A \rightarrow a$)</p>							[10]	CO3	L3
	<p>Right Most Derivation</p> <p>$S \rightarrow aB$</p> <p>$\rightarrow aaBB$ (Using $B \rightarrow aBB$)</p> <p>$\rightarrow aaBaBB$ (Using $B \rightarrow aBB$)</p> <p>$\rightarrow aaBaBbS$ (Using $B \rightarrow bS$)</p> <p>$\rightarrow aaBaBbbA$ (Using $S \rightarrow bA$)</p> <p>$\rightarrow aaBaBbba$ (Using $A \rightarrow a$)</p> <p>$\rightarrow aaBabbba$ (Using $B \rightarrow b$)</p> <p>$\rightarrow aaaBBabbba$ (Using $B \rightarrow aBB$)</p> <p>$\rightarrow aaaBbabbba$ (Using $B \rightarrow b$)</p> <p>$\rightarrow aaabbabbba$ (Using $B \rightarrow b$)</p>									



2 Construct the PDA to accept the Language $L = \{WCW^R \mid w \text{ belongs to } \{0,1\}^*\}$, show the instantaneous descriptors for the string 01C10

[10] CO3 L3

Solution : $\delta(q_0, 0, Z) \rightarrow (q_0, AZ)$
 $\delta(q_0, 1, Z) \rightarrow (q_0, BZ)$
 $\delta(q_0, 0, A) \rightarrow (q_0, AA)$
 $\delta(q_0, 0, B) \rightarrow (q_0, AB)$
 $\delta(q_0, 1, A) \rightarrow (q_0, BA)$
 $\delta(q_0, 1, B) \rightarrow (q_0, BB)$
 $\delta(q_0, C, A) \rightarrow (q_1, A)$
 $\delta(q_0, C, B) \rightarrow (q_1, B)$
 $\delta(q_1, 0, A) \rightarrow (q_1, \epsilon)$
 $\delta(q_1, 1, B) \rightarrow (q_1, \epsilon)$
 $\delta(q_1, \epsilon, Z) \rightarrow (q_2, \epsilon)$



3 Define Chomsky Normal form (CNF) and Illustrate the CNF form for the given grammar $S \rightarrow S+T \mid T/R, T \rightarrow T^*a \mid b, R \rightarrow R^*a$

[10] CO4 L3

Solution : CNF is one which has the production of the form $A \rightarrow BC$ or $A \rightarrow a$
 $S \rightarrow SS+T, S \rightarrow SA, A \rightarrow S+T$ similarly other productions

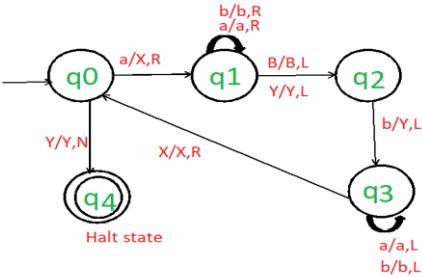
4. State and Prove pumping lemma for context free Languages, and prove that $L = \{a^n b^n c^n \mid n \geq 0\}$ is not context free

[10] CO4 L3

Solution : Assume L is context free language
 Then there is a pumping length n such that any string $w \in L$ of length $\geq n$ can be written as follows –
 $|w| \geq n$

We can break w into 5 strings, $w = uvxyz$, such as the ones given below

- $|vxy| \geq n$
- $|vy| \neq \epsilon$
- For all $k \geq 0$, the string $uv^kxy^kz \in L$
- Let $n=4$ so, $s = a^4 b^4 c^4$
- v and y each contain only one type of symbol.
- {we are considering only v and y because v and y has power uv^2xy^2z }

	<ul style="list-style-type: none"> • aaaa bbbb cccc • =uv^kxy^kz when $k=2$ • =uv^2xy^2z • =aaaaabbbbcccc • =$a^6b^4c^5$ • (Number of a # number of b #number of c) • Therefore, The resultant string is not satisfying the condition • $a^6b^4c^5 \notin L$ • If one case fails then no need to check another condition. 			
5.	<p>Explain Turing Machine, Construct the Turing machine to accept the language $L = \{a^n b^n \mid n \geq 1\}$ and accept the string aabb.</p> <p>Solution :</p> <p>Turing machine can be formally described as seven tuples $(Q, X, \Sigma, \delta, q_0, B, F)$</p> 	[10]	CO5	L3
6.	<p>Explain the Programming techniques of Turing machines</p> <p>Solution :</p> <p>Storage in finite control</p> <p>A state that consists of a fixed number of fixed-size components can be made into a tuple. The behaviour of a TM programme can be made simpler by allowing the tuple's components to store a predetermined amount of data.</p> <p>Example: Keep track of an additional symbol. The actual states of the TM can be $[q_0, A]$, $[q_1, A]$, $[q_0, B]$, or $[q_1, B]$ if the "additional data" can be A or B and the "state" can be q_0 or q_1.</p> <p>Multiple Tracks:</p> <p>A particular kind of multi-tape Turing machine called a multi-track Turing machine has numerous tracks, but only one tape head can read and write on each track. One tape head reads n symbols from n tracks in this instance. Recursively enumerable languages are accepted, just like they are for single-track, single-tape Turing machines.</p> <p>Subroutines</p> <p>TMs can emulate subroutines, including those that send parameters and use recursion.</p> <p>Example: Multiplication using a "copy" subroutine</p> <ul style="list-style-type: none"> • Given $0m10n1$ as input, produce $0mn$ as output. • This can be done by "copying" n 0s m time 	[10]	CO5	L2

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