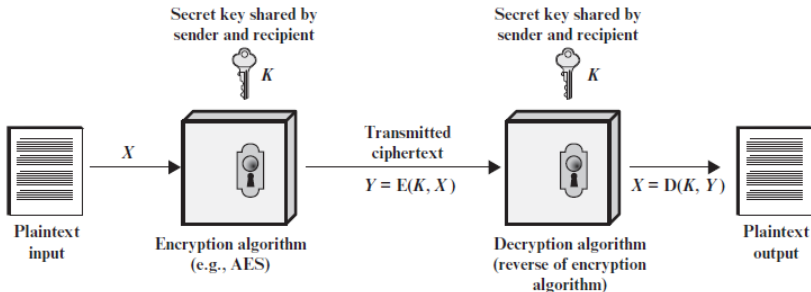


Internal Assessment Test 1 – Sept. 2025 ANSWER KEY

Sl.	Answer any FIVE FULL Questions	Marks	CO	RBT
1	a) Explain the symmetric cipher model b) Explain one time pad	5+5	CO1	L2
	a)  Symmetric Encryption Scheme –5 Key Ingredients □ Plaintext The original readable message or data. □ Encryption Algorithm Performs substitutions and transformations on the plaintext using a key. □ Secret Key A value used by the algorithm; independent of the message. Different keys result in different ciphertexts. □ Ciphertext The scrambled, unintelligible output generated from plaintext + key. □ Decryption Algorithm Reverses the encryption process using the same key to recover the original plaintext. b) One-Time Pad (OTP) The <i>One-Time Pad (OTP)</i> is a perfectly secure symmetric encryption technique in which a random key (called the pad) is used only once to encrypt and decrypt a message. Working Principle: - The plaintext is converted into binary or numeric form. - A random key of the <i>same length</i> as the plaintext is generated. Encryption is done using bitwise XOR ($\oplus$) operation between the plaintext and key: $C = P \oplus K$ $C = P \oplus K$ where ○ CCC = Ciphertext ○ PPP = Plaintext ○ KKK = Key Decryption is done by applying XOR again with the same key: $P = C \oplus K$ $P = C \oplus K$			

	Example: Plaintext: HELLO Convert to binary and use a random key of equal length. When XOR is performed bitwise, you get ciphertext. Using the same key again decrypts it back to HELLO. Features / Advantages: - Provides absolute (theoretical) security if: - The key is truly random. - The key is as long as the message. - The key is never reused. - The key is kept completely secret. Limitations: Key distribution is difficult (key must be shared securely). Key management is complex since keys cannot be reused. - Impractical for long messages or frequent communication.			
2	Explain Play Fair Cipher & Apply its rules for the following Key = MONARCHY Plaintext = CRYPTOGRAPHY to get the cipher text	10	CO1	L3
	Definition The Playfair cipher is a digraph substitution technique. It encrypts pairs of letters using a 5×5 key square built from a keyword (I/J combined). Working on pairs hides single-letter frequency, making it stronger than simple monoalphabetic ciphers. Constructing the 5×5 Key Square - Write the key; remove duplicate letters. - Fill a 5×5 grid row-wise with key letters, then the rest of the alphabet (merge I/J; usually treat J as I). Key = MONARCHY → unique: M O N A R C H Y Alphabet (I/J merged): A B C D E F G H I K L M N O P Q R S T U V W X Y Z Key square: M O N A R C H Y B D E F G I K L P Q S T U V W X Z Preparing Plaintext Rules: - Remove spaces/punctuation; change J→I. - Split into digraphs (pairs). - If a pair has double letters, insert X between them. - If odd length, pad a final X. Plaintext = CRYPTOGRAPHY Pairs: CR YP TO GR AP HY (no doubles; even length) Encryption Rules For each pair (A,B): Same row: replace each with the letter to its right (wrap at end). Same column: replace each with the letter below it (wrap at bottom). Rectangle: replace each with the letter in the same row but the column of the other (i.e., take the rectangle corners). Worked Example (step-by-step) Using the square above: CR: C(1,0), R(0,4) → rectangle → (1,4)=D, (0,0)=M → DM YP: Y(1,2), P(3,1) → rectangle → (1,1)=H, (3,2)=Q → HQ TO: T(3,4), O(0,1) → rectangle → (3,1)=P, (0,4)=R → PR GR: G(2,2), R(0,4) → rectangle → (2,4)=K, (0,2)=N → KN AP: A(0,3), P(3,1) → rectangle → (0,1)=O, (3,3)=S → OS HY: H(1,1), Y(1,2) → same row → right → Y, B → YB			

Ciphertext
Concatenate: **DMHQPRKNOSYB**

3 **Explain Feistel structures for encryption and decryption**

10

CO1

L2

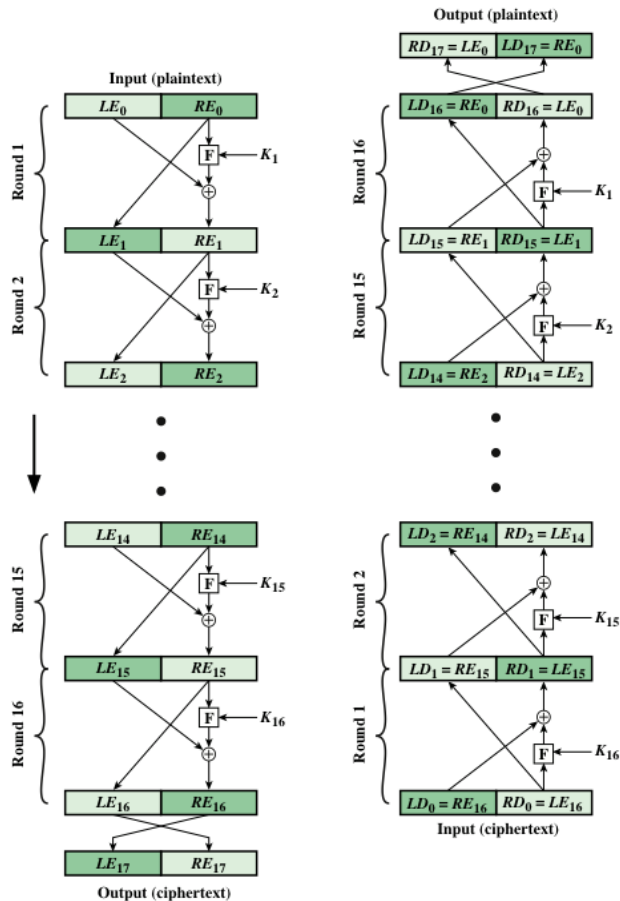


Figure 4.3 Feistel Encryption and Decryption (16 rounds)

The **Feistel structure** is the **fundamental design model** used in many block ciphers like **DES (Data Encryption Standard)**. It allows the same algorithm to be used for both **encryption and decryption**, making implementation simple and efficient.

- It is a **symmetric block cipher** structure.
- The plaintext block is divided into two equal halves:
 - **Left half (L₀)**
 - **Right half (R₀)**
- The cipher operates in '**n**' rounds using **subkeys (K₁, K₂, ..., K_n)** derived from the main key.

Feistel Encryption Process

Let the plaintext block be divided into L₀L₀L₀ and R₀R₀R₀. For each round **i** (**1 ≤ i ≤ n**):

$$L_i = R_{i-1}$$

$$R_i = L_{i-1} \oplus F(R_{i-1}, K_i)$$

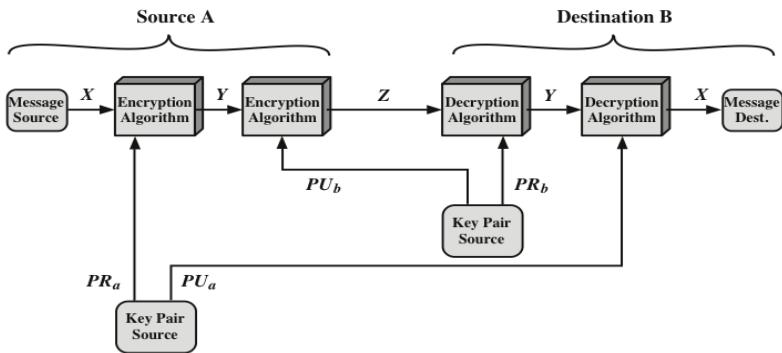
Where:

- **F = round function** (a complex function involving substitution, permutation, etc.)
- **K_i = subkey** for round **i**
- **⊕** = bitwise XOR operation

After the last round (**n** rounds):

- The final output is (**R_n, L_n**) — sometimes swapped to maintain symmetry.

	Feistel Decryption Process Decryption follows the same structure as encryption, except the subkeys are used in reverse order. For each round i (n → 1): $R_{i-1} = L_i$ $L_{i-1} = R_i \oplus F(L_i, K_i)$ Since XOR is reversible, and the structure is symmetric, the same algorithm works both ways. Key Characteristics <table><thead><tr><th>Feature</th><th>Description</th></tr></thead><tbody><tr><td>Symmetric Design</td><td>Same process for encryption and decryption (only subkeys are reversed)</td></tr><tr><td>Block Structure</td><td>Operates on fixed-size blocks (e.g., 64-bit in DES)</td></tr><tr><td>Round Function F</td><td>Provides confusion and diffusion.</td></tr><tr><td>Flexibility</td><td>Any function F can be used as long as the structure is maintained</td></tr><tr><td>Security</td><td>Depends on number of rounds and complexity of F</td></tr></tbody></table>	Feature	Description	Symmetric Design	Same process for encryption and decryption (only subkeys are reversed)	Block Structure	Operates on fixed-size blocks (e.g., 64-bit in DES)	Round Function F	Provides confusion and diffusion.	Flexibility	Any function F can be used as long as the structure is maintained	Security	Depends on number of rounds and complexity of F			
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4	Explain RSA Algorithm. Perform encryption and decryption using RSA algorithm with P=3, Q=11, C=3 and M=9.	10	CO2	L3												
	RSA is an asymmetric (public-key) cryptosystem based on the hardness of factoring a large composite number $n=pq$ • Public key: (n,e) • Private key: (n,d) with $d \equiv e^{-1} \pmod{\phi(n)}$ Encryption: $C \equiv M^e \pmod{n}$ Decryption: $M \equiv C^d \pmod{n}$ Key Generation (1. Choose two primes p,q 2. Compute $n=pq$ 3. Compute Euler's totient: $\phi(n)=(p-1)(q-1)$ 4. Choose public exponent e such that $1 < e < \phi(n)$ and $\gcd(e,\phi(n))=1$ 5. Compute the private exponent d as the modular inverse: $d \equiv e^{-1} \pmod{\phi(n)}$ Worked Example Given: $p=3, q=11, e=3$ (they've called it $C=3$ in the question, but this is the public exponent), and plaintext $M=9$ a) Compute n and $\phi(n)$ • $n=pq=3 \times 11=33$ • $\phi(n)=(p-1)(q-1)=2 \times 10=20$ b) Check e and find d • $\gcd(e,\phi(n))=\gcd(3,20)=1$ ✓ valid • Find d such that $3d \equiv 1 \pmod{20}$ Try $d=7$: $3 \times 7=21 \equiv 1 \pmod{20} \rightarrow d=7$ Public key: $(n,e)=(33,3)$ Private key: $(n,d)=(33,7)$ c) Encrypt $M=9$ $C \equiv M^e \pmod{n} = 9^3 \pmod{33}$ • $9^2=81$ • $9^3=81 \times 9=729$ • $729 \pmod{33}$: $33 \times 22=726$ • remainder $729-726 \Rightarrow C=3$ d) Decrypt $C=3$ $M \equiv C^d \pmod{n} = 3^7 \pmod{33}$ $3^7 \pmod{33} = 3^6 \times 3 \pmod{33} = (3^3)^2 \times 3 \pmod{33} = 27^2 \times 3 \pmod{33}$ $27^2=729$ $729 \pmod{33} = 726 + 3 \Rightarrow 3$ $3 \times 3 = 9 \pmod{33}$ Compute stepwise (mod 33): $M=9$ (original message recovered)															

	Step 2: Compute public keys $A = g^a \text{ mod } p$ $= 5^6 \text{ mod } 23$ $\rightarrow A = 8$ $B = g^b \text{ mod } p =$ $5^{15} \text{ mod } 23$ $\rightarrow B = 19$ Step 3: Exchange public keys (A=8, B=19) Step 4: Compute shared secret key - Alice computes: $K = B^a \text{ mod } p = 19^6 \text{ mod } 23$ $\rightarrow K = 2$ - Bob computes: $K = A^b \text{ mod } p = 8^{15} \text{ mod } 23$ $\rightarrow K = 2$ Shared Secret Key = 2 Advantages - Securely establishes a secret key over a public network. - Key is never transmitted directly. Limitation - Vulnerable to Man-in-the-Middle (MITM) attack if authentication is not used.			
6	Explain how authentication and confidentiality is ensured in public key cryptosystem	10	CO2	L2
	 Figure 9.4 Public-Key Cryptosystem: Authentication and Secrecy A Public Key Cryptosystem (PKC) uses a pair of keys: - A public key (shared openly) - A private key (kept secret) It provides two major security services: Confidentiality – ensuring that only the intended receiver can read the message. Authentication – ensuring that the sender's identity is genuine. Examples of PKC: RSA, Diffie–Hellman, ECC, etc. Confidentiality Definition: Confidentiality ensures that the message content remains secret and is not disclosed to unauthorized users. How It Works in PKC: - The sender encrypts the plaintext using the receiver's public key. $C = E_{K_{UB}}(M)$ where $E_{K_{UB}}$ is the receiver's public key. - Only the receiver, who has the corresponding private key K_{RB}, can decrypt it: $M = D_{K_{RB}}(C)$			

3. Since only the receiver knows their private key, **no one else can decrypt the message → confidentiality achieved.**

Example:

- Alice wants to send a secret message to Bob.
- Bob's public key = K_{UB} , private key = K_{RB} .
- Alice encrypts message M using K_{UB} .
- Bob decrypts it using K_{RB} .
- Even if an attacker intercepts C , it cannot be decrypted without Bob's private key.

Authentication

Definition:

Authentication ensures that the **sender is who they claim to be** and the message is not forged.

How It Works in PKC:

1. The **sender encrypts** the message (or its hash) using their **own private key**:
 $C = E_{K_{RA}}(M)$; K_{RA} is Alice's private key.
2. The **receiver decrypts** the ciphertext using the **sender's public key**:
 $M = D_{K_{UA}}(C)$
3. If decryption is successful and produces a valid message, it proves that:
 - The message was encrypted using **Alice's private key**.
 - Therefore, it must have come from **Alice** → **Authentication achieved.**

Example:

- Alice signs a message using her **private key**.
- Bob verifies it using Alice's **public key**.
- Since only Alice possesses her private key, Bob is assured that the message is genuinely from Alice.

4) Combining Both: Authentication + Confidentiality

Both services can be combined:

1. **Step 1 – Authentication:** Sender (Alice) encrypts message with her **private key** → ensures identity.
2. **Step 2 – Confidentiality:** Then encrypts the result with the **receiver's public key** → ensures secrecy.

At receiver's end:

1. Receiver decrypts with **own private key** K_{RB} .
2. Then decrypts with **sender's public key** K_{UA}
 $M = D_{K_{UA}}(D_{K_{RB}}(C))$

This guarantees **both**:

- Message **came from Alice** (authentication)
- Message **can be read only by Bob** (confidentiality)

Conclusion

Public Key Cryptography provides:

- **Confidentiality** → using **receiver's public key**
 - **Authentication** → using **sender's private key**
- By combining both encryption steps, secure and authenticated communication is achieved.