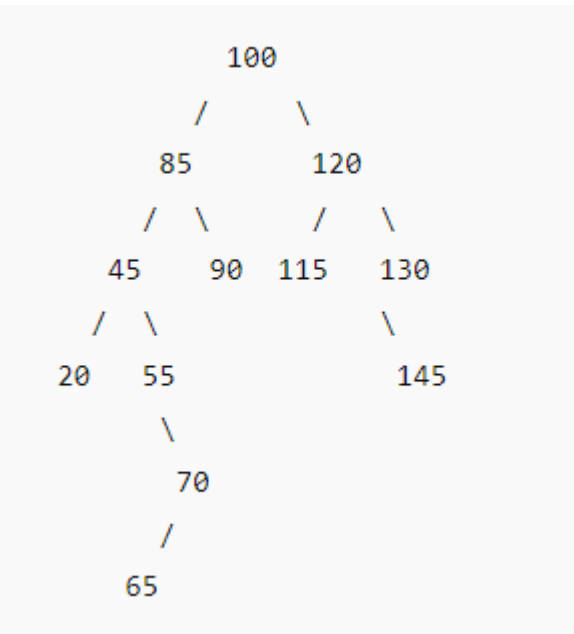
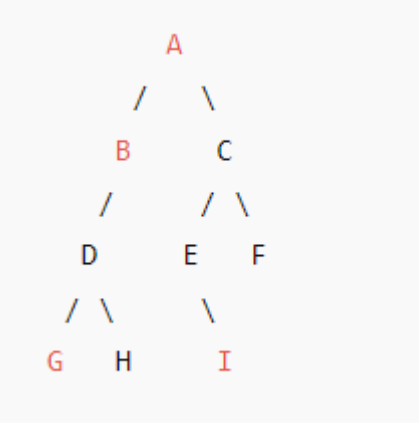


Internal Assessment Test II –January 2026

ANSWER KEY

Sub:	Data Structures and Applications					Sub Code:	BCS304	Branch:	AIML/CSE AIML	
Date:	8.1.26	Duration:	90 min	Max Marks:	50	Sem/Sec :	III A, B, C			OBE
<u>Answer any FIVE FULL Questions</u>								MARKS	CO	R B T
1 a	Define Binary Search tree. Construct a binary search tree (BST) for the following elements: 100, 85, 45, 55, 120, 20, 70, 90, 115, 65, 130, 145. Traverse using in-order, pre-order, and post-order traversal techniques. BST definition and construction -3Marks A Binary Search Tree (BST) is a binary tree in which: <ul style="list-style-type: none">Each node has at most two children.The left subtree of a node contains values less than the node's key.The right subtree of a node contains values greater than the node's key <div></div> Traversal-3x1=3marks In-order: 20, 45, 55, 65, 70, 85, 90, 100, 115, 120, 130, 145 Pre-order: 100, 85, 45, 20, 55, 70, 65, 90, 120, 115, 130, 145 Post-order:							6M	CO4	L3

	20, 65, 70, 55, 45, 90, 85, 115, 145, 130, 120, 100			
1b	<p>Construct a binary tree from the Inorder and Postorder sequence given below In-order: GDHBAEICF Post-order: GHDBIEFCA</p> <p>Construction of Tree-4Marks</p>  <pre> A / \ B C / \ / \ D E F / \ \ G H I </pre>	4M	CO4	L 3
2a	<p>Write C function for Depth First Search(DFS) and show the graph traversal by taking an example.</p> <p>DFS Algorithm-3Marks</p> <pre> void DFS(int v) { int i; visited[v] = 1; // Mark current vertex as visited printf("%d ", v); // Visit the vertex for (i = 1; i <= n; i++) { if (adj[v][i] == 1 && visited[i] == 0) { DFS(i); // Recursive call } } } </pre>	5M	CO4	L 2

	<p>}</p> <p>Example-3Marks</p>			
2b	<p>Define graph. Explain Adjacency list and Adjacency matrix by taking an example.</p> <p>Graph-1Mark</p> <p>A graph is a mathematical structure used to represent relationships between objects.</p> <ul style="list-style-type: none"> • It consists of: <ul style="list-style-type: none"> ○ Vertices (nodes): Represent objects. ○ Edges (links): Represent connections or relationships between the vertices. • Notation: G = (V, E) <ul style="list-style-type: none"> ○ V = set of vertices ○ E = set of edges <p>Adjacency List-1 Mark</p> <p>Adjacency List</p> <ul style="list-style-type: none"> • Each vertex has a list of vertices it is connected to <p>Example -1Mark</p> <p>Adjacency Matrix -1Mark</p> <p>Adjacency Matrix</p> <ul style="list-style-type: none"> • A 2D array of size n × n where n = number of vertices • Element matrix[i][j] = 1 if there is an edge from vertex i to vertex j (0 otherwise) <p>Example -1Mark</p>	5M	CO4	L 2
3a	<p>Define hashing. Explain different hashing functions with examples.</p> <p>Hashing-2Marks</p> <p>Hashing function-</p> <p>i)Division Method 2Marks</p> <p>ii)MidsquareHash Function 2 Marks</p> <p>iii)Folding Method 2Marks</p> <p>iv)Digit analysis-1Mark</p> <p>v)Converting keys to integers-1Mark</p>	10M	CO5	L 2

Hashing – 2 Marks

Definition:

Hashing is a technique used to map **keys** to **indices of a hash table** using a **hash function** to allow **fast insertion, deletion, and searching**.

Hashing Function – Methods

i) Division Method – 2 Marks

- Formula:

$$h(k) = k \bmod m \quad h(k) = k \bmod m \quad h(k) = k \bmod m$$

- **k** = key, **m** = size of the hash table
 - Example: Key = 123, Table size = 10 $\rightarrow 123 \bmod 10 = 3$
 $123 \bmod 10 = 3$
 - **Pros:** Simple and fast
 - **Cons:** Table size should preferably be a prime number to reduce collisions
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ii) Mid-Square Method – 2 Marks

- Steps:

1. Square the key: k^2
2. Take the middle digits as the hash value

- Example: Key = 123 $\rightarrow 123^2 = 15129$
middle digits = 512 \rightarrow index
 - **Pros:** Good distribution
 - **Cons:** Slightly more computation
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iii) Folding Method – 2 Marks

- Steps:

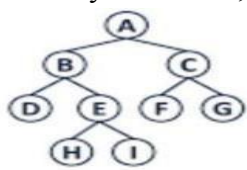
	<ol style="list-style-type: none"> 1. Divide key into equal parts 2. Add the parts together 3. Apply modulo table size (optional) <ul style="list-style-type: none"> • Example: Key = 123456, divide into 3 parts: 12, 34, 56 $\rightarrow 12+34+56 = 102 \rightarrow$ index • Pros: Handles large keys easily <hr/> <p>iv) Digit Analysis – 1 Mark</p> <ul style="list-style-type: none"> • Use specific digits of the key as the hash value • Example: Key = 45678 \rightarrow use last 2 digits $\rightarrow 78 \rightarrow$ index <hr/> <p>v) Converting Keys to Integers – 1 Mark</p> <ul style="list-style-type: none"> • For alphanumeric keys, convert letters to numbers before hashing • Example: Key = "ABC" $\rightarrow A=1, B=2, C=3 \rightarrow 123 \rightarrow$ use in hash function 			
4a	<p>What is a leftist tree? Give the C declaration of it .Explain how meld operation is applied to two minimum leftist tree with the help of an example.</p> <p>Leftist Tree</p> <p>Definition (2 Marks): A Leftist Tree is a type of priority queue implemented as a binary tree where:</p> <ol style="list-style-type: none"> 1. It satisfies the heap property: the key at each node is smaller (min-leftist) or larger (max-leftist) than the keys of its children. 2. It satisfies the leftist property: the rank (distance to nearest null node, also called null path length, npl) of the left child is always greater than or equal to the rank of the right child. <p>The purpose of the leftist property is to keep the tree skewed to the left, which ensures that merging (meld) operations are efficient.</p> <hr/>	10M	CO5	L 2

	<p>C Declaration (2 Marks)</p> <pre> typedef struct LeftistNode { int key; // Value of the node int npl; // Null Path Length struct LeftistNode *left; // Pointer to left child struct LeftistNode *right; // Pointer to right child } LeftistNode; typedef LeftistNode* LeftistTree; // Pointer to root of the tree </pre> <ul style="list-style-type: none"> • npl = null path length = shortest distance from node to a node without two children (null node). <hr/> <p>Meld Operation (6 Marks)</p> <p>Meld Operation: The meld operation combines two leftist trees into one while maintaining heap and leftist properties. Steps (for min-leftist tree):</p> <ol style="list-style-type: none"> 1. Compare the roots of both trees. Make the root with the smaller key the new root. 2. Recursively meld the right child of this root with the other tree. 3. Swap left and right children if necessary to maintain the leftist property (npl(left) ≥ npl(right)). 4. Update the npl of the root. 			
5a	<p>Write C Functions for the following, i) Inserting a node at the beginning of a Doubly linked list.</p> <p>C function-2.5Marks</p> <pre> Node* insertAtBeginning(Node* head, int newData) { // Step 1: Allocate memory for the new node Node* newNode = (Node*)malloc(sizeof(Node)); if (!newNode) { printf("Memory allocation failed\n"); return head; // return existing head if malloc fails } // Step 2: Assign data to the new node </pre>	5M	CO3	L 2

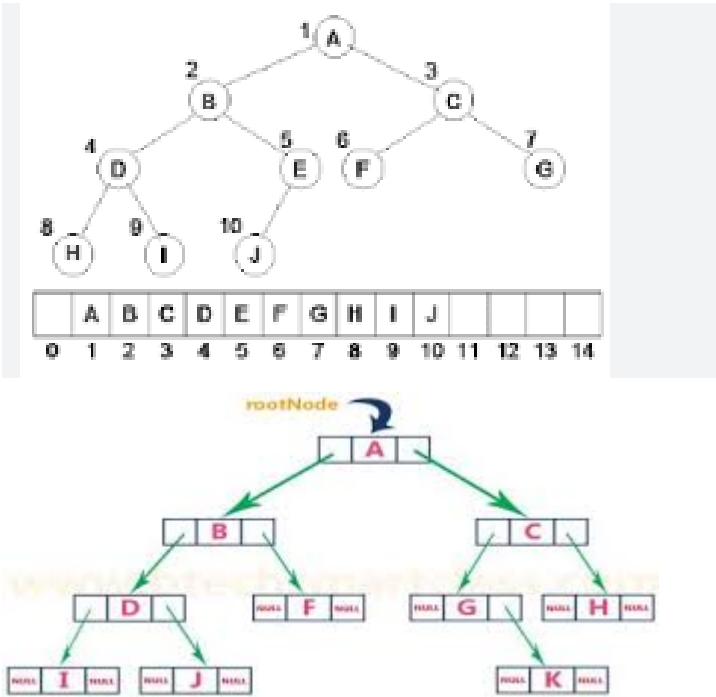
<p>U</p> <p>N</p>	<pre> newNode->data = newData; newNode->prev = NULL; // New node becomes the first node newNode->next = head; // Next points to the current head // Step 3: Update previous head's prev pointer if list is not empty if (head != NULL) { head->prev = newNode; } // Step 4: Return new node as the new head return newNode; } </pre>			
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	<p>ii)Deleting a node at the end of the Doubly linked list.</p> <p>C function-2.5Marks</p> <pre> Node* deleteAtEnd(Node* head) { // If the list is empty, nothing to delete if (head == NULL) { printf("List is empty.\n"); return NULL; } // If the list has only one node if (head->next == NULL) { free(head); return NULL; // List becomes empty } // Traverse to the last node Node* temp = head; while (temp->next != NULL) { temp = temp->next; } // Update previous node's next to NULL temp->prev->next = NULL; // Free the last node free(temp); // Return head of the list return head; } </pre>			
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5b	<p>Write C functions for the following,</p> <p>a)To search an item within a SLL(Singly Linked List)</p> <p>C function-2 .5Marks</p> <pre> Node* searchSLL(Node* head, int key) { Node* temp = head; // Traverse the list while (temp != NULL) { </pre>	5M	CO3	L 2
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	<pre> if (temp->data == key) { return temp; // Item found, return pointer to the node } temp = temp->next; } // Item not found return NULL; } b) To concatenate two SLL. C function-2.5Marks Node* concatenateSLL(Node* head1, Node* head2) { // If the first list is empty, return the second list if (head1 == NULL) return head2; // Traverse to the end of the first list Node* temp = head1; while (temp->next != NULL) { temp = temp->next; } // Link the last node of list1 to head of list2 temp->next = head2; return head1; // Return the head of the concatenated list } </pre>			
6a	<p>Write recursive C functions for inorder, preorder and postorder traversals of a binary tree. Also, find all the traversals for the given tree.</p>  <pre> graph TD A((A)) --> B((B)) A --> C((C)) B --> D((D)) B --> E((E)) C --> F((F)) C --> G((G)) E --> H((H)) E --> I((I)) </pre> <p>Each traversal -3 Marks Preorder ABDEHICFG INORDER: DBHEIAFCG POSTODER:DHIEBFGCA</p> <p>C function for each traversal -3Marks / Preorder traversal: Root -> Left -> Right</p> <pre> void preorder(Node* root) { if (root == NULL) return; printf("%c ", root->data); preorder(root->left); preorder(root->right); } // Inorder traversal: Left -> Root -> Right void inorder(Node* root) { if (root == NULL) return; inorder(root->left); </pre>	6M	CO3	L 3

	<pre> printf("%c ", root->data); inorder(root->right); } // Postorder traversal: Left -> Right -> Root void postorder(Node* root) { if (root == NULL) return; postorder(root->left); postorder(root->right); printf("%c ", root->data); } </pre>			
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6b	<p>Define Binary tree. Explain the representation of a binary tree with a suitable example.</p> <p>Definition (2 Marks)</p> <p>A binary tree is a hierarchical data structure in which each node has at most two children, called left child and right child.</p> <p>Array and Linked list representation of Binary tree-2Marks</p> 	4M	CO3	L 2
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