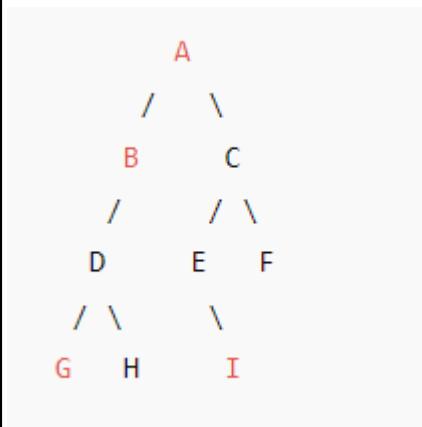


Internal Assessment Test II –January 2026
 ANSWER KEY

Sub:	Data Structures and Applications				Sub Code:	BCS304	Branch:	AIML/CSE AIML	
Date:	8.1.26	Duration:	90 min	Max Marks:	50	Sem/Sec :	III A, B, C	OBE	
<u>Answer any FIVE FULL Questions</u>							MARKS	CO	RB T
1 a	<p>Define Binary Search tree. Construct a binary search tree (BST) for the following elements: 100, 85, 45, 55, 120, 20, 70, 90, 115, 65, 130, 145. Traverse using in-order, pre-order, and post-order traversal techniques.</p> <p>BST definition and construction -3Marks</p> <p>A Binary Search Tree (BST) is a binary tree in which:</p> <ul style="list-style-type: none"> • Each node has at most two children. • The left subtree of a node contains values less than the node's key. • The right subtree of a node contains values greater than the node's key <pre> 100 / \ 85 120 / \ / \ 45 90 115 130 / \ \ 20 55 145 \ 70 / 65 </pre> <p>Traversals-3x1=3marks</p> <p>In-order:</p> <p>20, 45, 55, 65, 70, 85, 90, 100, 115, 120, 130, 145</p> <p>Pre-order:</p> <p>100, 85, 45, 20, 55, 70, 65, 90, 120, 115, 130, 145</p> <p>Post-order:</p>	6M		CO4	L3				

	20, 65, 70, 55, 45, 90, 85, 115, 145, 130, 120, 100			
1b	<p>Construct a binary tree from the Inorder and Postorder sequence given below</p> <p>In-order: GDHBAEICF</p> <p>Post-order: GHDBIEFCA</p> <p>Construction of Tree-4Marks</p>  <pre> A / \ B C / / \ D E F / \ \ G H I </pre>	4M	CO4	L 3
2a	<p>Write C function for Depth First Search(DFS) and show the graph traversal by taking an example.</p> <p>DFS</p> <p>Algorithm-3Marks</p> <pre> void DFS(int v) { int i; visited[v] = 1; // Mark current vertex as visited printf("%d ", v); // Visit the vertex for (i = 1; i <= n; i++) { if (adj[v][i] == 1 && visited[i] == 0) { DFS(i); // Recursive call } } } </pre>	5M	CO4	L 2

	<p>}</p> <p>Example-3Marks</p>			
2b	<p>Define graph. Explain Adjacency list and Adjacency matrix by taking an example.</p> <p>Graph-1Mark</p> <p>A graph is a mathematical structure used to represent relationships between objects.</p> <ul style="list-style-type: none"> • It consists of: <ul style="list-style-type: none"> ◦ Vertices (nodes): Represent objects. ◦ Edges (links): Represent connections or relationships between the vertices. • Notation: $\mathbf{G} = (\mathbf{V}, \mathbf{E})$ <ul style="list-style-type: none"> ◦ \mathbf{V} = set of vertices ◦ \mathbf{E} = set of edges <p>Adjacency List-1 Mark</p> <p>Adjacency List</p> <ul style="list-style-type: none"> • Each vertex has a list of vertices it is connected to <p>Example -1Mark</p> <p>Adjacency Matrix -1Mark</p> <p>Adjacency Matrix</p> <ul style="list-style-type: none"> • A 2D array of size $n \times n$ where n = number of vertices • Element <code>matrix[i][j] = 1</code> if there is an edge from vertex <code>i</code> to vertex <code>j</code> (0 otherwise) <p>Example -1Mark</p>	5M	CO4	L 2
3a	<p>Define hashing. Explain different hashing functions with examples.</p> <p>Hashing-2Marks</p> <p>Hashing function-</p> <p>i)Division Method 2Marks</p> <p>ii)MidsquareHash Function 2 Marks</p> <p>iii)Folding Method 2Marks</p> <p>iv)Digit analysis-1Mark</p> <p>v)Converting keys to integers-1Mark</p>	10M	CO5	L 2

Hashing – 2 Marks

Definition:

Hashing is a technique used to map **keys** to **indices of a hash table** using a **hash function** to allow **fast insertion, deletion, and searching**.

Hashing Function – Methods

i) Division Method – 2 Marks

- Formula:

$$h(k) = k \bmod m \quad mh(k) = k \bmod m \quad mh(k) = k \bmod m$$

- **k** = key, **m** = size of the hash table
- Example: Key = 123, Table size = 10 $\rightarrow 123 \bmod 10 = 3$ $123 \bmod 10 = 3$
- **Pros:** Simple and fast
- **Cons:** Table size should preferably be a prime number to reduce collisions

ii) Mid-Square Method – 2 Marks

- Steps:

1. Square the key: k^2
2. Take the middle digits as the hash value

- Example: Key = 123 $\rightarrow 123^2 = 15129$ $123^2 = 15129$ $123^2 = 15129 \rightarrow$ middle digits = 512 \rightarrow index
- **Pros:** Good distribution
- **Cons:** Slightly more computation

iii) Folding Method – 2 Marks

- Steps:

1. Divide key into equal parts
2. Add the parts together
3. Apply modulo table size (optional)

- Example: Key = 123456, divide into 3 parts: 12, 34, 56 → 12+34+56 = 102 → index
- **Pros:** Handles large keys easily

iv) Digit Analysis – 1 Mark

- Use **specific digits of the key** as the hash value
- Example: Key = 45678 → use last 2 digits → 78 → index

v) Converting Keys to Integers – 1 Mark

- For **alphanumeric keys**, convert letters to numbers before hashing
- Example: Key = "ABC" → A=1, B=2, C=3 → 123 → use in hash function

4a	<p>What is a leftist tree? Give the C declaration of it .Explain how meld operation is applied to two minimum leftist tree with the help of an example.</p> <p>Leftist Tree</p> <p>Definition (2 Marks): A Leftist Tree is a type of priority queue implemented as a binary tree where:</p> <ol style="list-style-type: none"> 1. It satisfies the heap property: the key at each node is smaller (min-leftist) or larger (max-leftist) than the keys of its children. 2. It satisfies the leftist property: the rank (distance to nearest null node, also called null path length, npl) of the left child is always greater than or equal to the rank of the right child. <p>The purpose of the leftist property is to keep the tree skewed to the left, which ensures that merging (meld) operations are efficient.</p>	10M	CO5	L 2
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C Declaration (2 Marks)

```
typedef struct LeftistNode {  
    int key;                      // Value of the node  
    int npl;                      // Null Path Length  
    struct LeftistNode *left;      // Pointer to left  
    child  
    struct LeftistNode *right;    // Pointer to right  
    child  
} LeftistNode;  
  
typedef LeftistNode* LeftistTree; // Pointer to  
root of the tree
```

- **npl** = null path length = shortest distance from node to a node without two children (null node).

Meld Operation (6 Marks)

Meld Operation:

The **meld** operation combines two leftist trees into one while maintaining **heap** and **leftist** properties.

Steps (for **min-leftist tree**):

1. Compare the roots of both trees. Make the root with the **smaller key** the new root.
2. Recursively **meld** the **right child** of this root with the other tree.
3. Swap **left and right children** if necessary to maintain the leftist property (**npl(left) ≥ npl(right)**).
4. Update the **npl** of the root.

5a

Write C Functions for the following,
i) Inserting a node at the beginning of a Doubly linked list.

C function-2.5Marks

```
Node* insertAtBeginning(Node* head, int newData) {  
    // Step 1: Allocate memory for the new node  
    Node* newNode = (Node*)malloc(sizeof(Node));  
    if (!newNode) {  
        printf("Memory allocation failed\n");  
        return head; // return existing head if malloc fails  
    }
```

```
// Step 2: Assign data to the new node
```

5M

CO3

L 2

	<pre> newNode->data = newData; newNode->prev = NULL; // New node becomes the first node newNode->next = head; // Next points to the current head // Step 3: Update previous head's prev pointer if list is not empty if (head != NULL) { head->prev = newNode; } // Step 4: Return new node as the new head return newNode; } </pre>		
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	<p>ii) Deleting a node at the end of the Doubly linked list.</p> <p>C function-2.5Marks</p> <pre> Node* deleteAtEnd(Node* head) { // If the list is empty, nothing to delete if (head == NULL) { printf("List is empty.\n"); return NULL; } // If the list has only one node if (head->next == NULL) { free(head); return NULL; // List becomes empty } // Traverse to the last node Node* temp = head; while (temp->next != NULL) { temp = temp->next; } // Update previous node's next to NULL temp->prev->next = NULL; // Free the last node free(temp); // Return head of the list return head; } </pre>		
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5b	<p>Write C functions for the following,</p> <p>a) To search an item within a SLL(Singly Linked List)</p> <p>C function-2 .5Marks</p> <pre> Node* searchSLL(Node* head, int key) { Node* temp = head; // Traverse the list while (temp != NULL) { </pre>	5M	CO3 L 2
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```

    if (temp->data == key) {
        return temp; // Item found, return pointer to the node
    }
    temp = temp->next;
}

// Item not found
return NULL;
}

```

b) To concatenate two SLL.

C function-2.5Marks

```

Node* concatenateSLL(Node* head1, Node* head2) {
    // If the first list is empty, return the second list
    if (head1 == NULL)
        return head2;

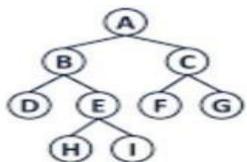
    // Traverse to the end of the first list
    Node* temp = head1;
    while (temp->next != NULL) {
        temp = temp->next;
    }

    // Link the last node of list1 to head of list2
    temp->next = head2;

    return head1; // Return the head of the concatenated list
}

```

6a Write recursive C functions for inorder, preorder and postorder traversals of a binary tree. Also, find all the traversals for the given tree.



Each traversal -3 Marks

Preorder ABDEHICFG

INORDER: DBHEIAFCG

POSTODER:DHIEBFGCA

C function for each traversal -3Marks

/ Preorder traversal: Root -> Left -> Right

```

void preorder(Node* root) {
    if (root == NULL) return;
    printf("%c ", root->data);
    preorder(root->left);
    preorder(root->right);
}

```

// Inorder traversal: Left -> Root -> Right

```

void inorder(Node* root) {
    if (root == NULL) return;
    inorder(root->left);
    inorder(root->right);
}

```

6M CO3 L 3

```

        printf("%c ", root->data);
        inorder(root->right);
    }

// Postorder traversal: Left -> Right -> Root
void postorder(Node* root) {
    if (root == NULL) return;
    postorder(root->left);
    postorder(root->right);
    printf("%c ", root->data);
}

```

6b	Define Binary tree. Explain the representation of a binary tree with a suitable example.	4M	CO3	L 2
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Definition (2 Marks)

A **binary tree** is a hierarchical data structure in which each node has at most **two children**, called **left child** and **right child**.

Array and Linked list representation of Binary tree-2Marks

