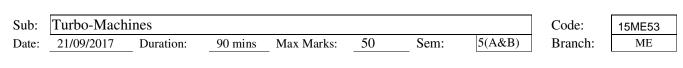
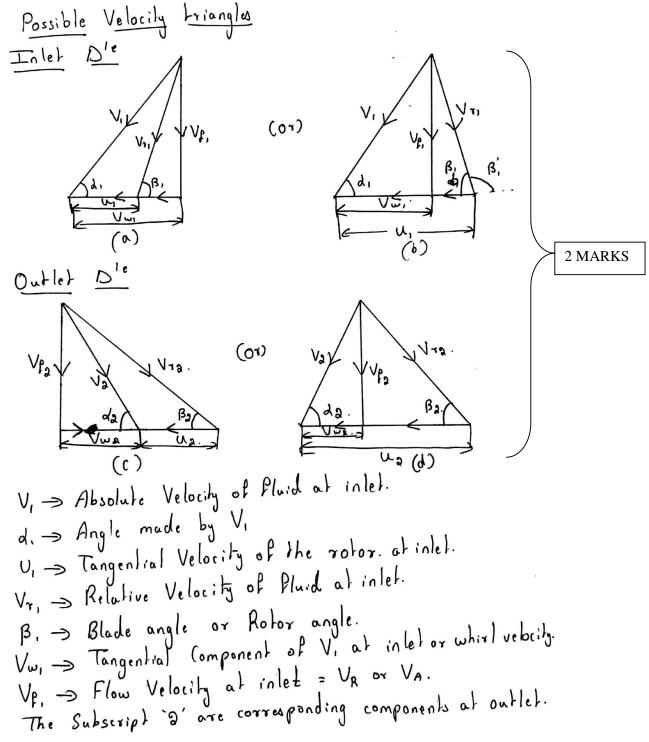
Internal Assessment Test 1 - Sep. 2017



PART-A (Answer any THREE FULL Questions)

1. Draw the velocity triangle at inlet and exit of a turbomachine in general and derive modified Euler's equation. Also explain the significance of each term in the equation.(10 Marks)



But Euler Turbine equation is:

$$F = 0, Vu, - U_0 Vu_0.$$
Substituting @ and © in above eqn.

$$E = \frac{1}{2} \left[V_1^2 + U_1^2 - V_2^3 - V_2^2 - U_2^2 + Vr_0^2 \right].$$

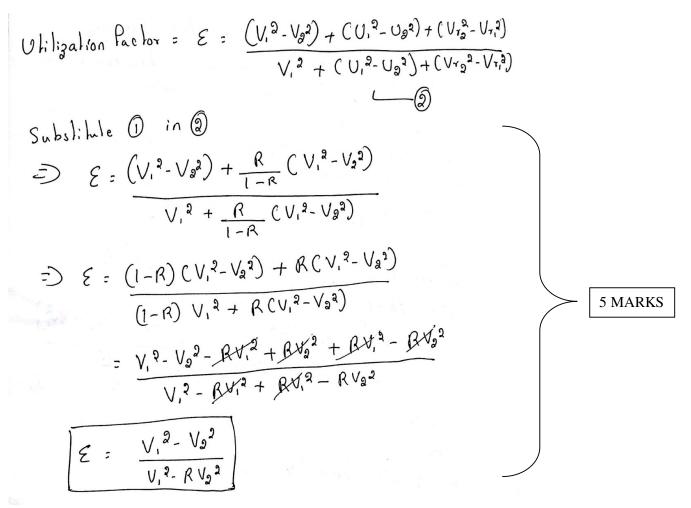
$$E = \frac{1}{2} \left[(V_1^2 - V_0^2) + [U_1^2 - U_2^2] + [Vr_0^2 - V_2^3] \right] - (C)$$
Eqn © is applicable by Power producing hype.
For Power Absorbing Mathines,

$$F = \frac{1}{2} \left[(V_0^2 - V_1^2) + (U_2^2 - U_1^2) + (Vr_1^2 - Vr_0^3) \right] - (D).$$
Eqn © and © ore different forms of Euler Turbine
Equation.
The three terms inside the bracket of © and @ indicates
nature of energy bransfer.
Significance of Each term
(D) $\frac{1}{2} \left[V_1^2 - V_2^2 \right]$ represent the change in absolute kinetic
energy of the Pluid, during its parsage. Hence, this term
represents the change in dynamic head.
(D) $\frac{1}{2} \left[U_1^2 - U_2^2 \right]$ represent the change in fluid energy
due to movement of valation of fluid from one radius
to another. i.e. Contribugal energy. Hence this term one radius
the change in static head.
(D) $\frac{1}{2} \left[Vr_2^2 - Vr_2^2 \right]$ represents kinetic energy change
due to relative velocity change. This will result in
the change in static head.
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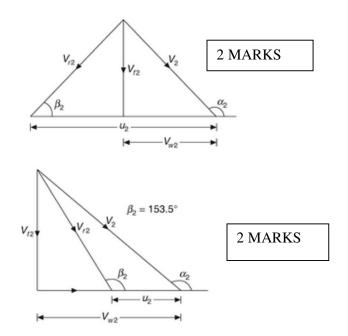
2.Define utilization factor for a turbine and derive an expression for the same involving degree of reaction (10 Marks)

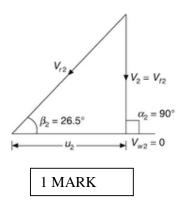
"The ratio of ideal work to the energy supplied is culled
diagram efficiency or abligation factor (E)."
The energy available to the rolor are:
The energy available to the rolor are:
The energy available factor (E)."
Hence Total energy available
$$\left[\frac{1}{2}\left[(U^2 - U_5^2) + (V_{12}^2 - V_{12}^2)\right]\right]$$

Hence Total energy available is,
Eavail = $\frac{1}{2}\left[V_1^2 + (U_1^2 - U_2^2) + (V_{12}^2 - V_{12}^2)\right]$
Hence Total energy available is,
Eavail = $\frac{1}{2}\left[(V_1^2 - V_2^2) + (V_{12}^2 - V_{12}^2)\right]$
 \Rightarrow Eavily if $\frac{1}{2}\left[(V_1^2 - V_2^2) + (U_1^2 - U_2^2) + (V_{12}^2 - V_{12}^2)\right]$
Hence, by definition of E,
 $E = \frac{Eutily}{E_{xuell}} = \frac{1}{2}\left[(V_1^2 - V_2^2) + (U_1^2 - U_2^2) + (V_{12}^2 - V_{12}^2)\right]$
 $\phi = \frac{6}{V_2} \frac{V_1^2}{E_{xuell}} = \frac{1}{2}\left[(V_1^2 - V_2^2) + (U_1^2 - U_2^2) + (V_{12}^2 - V_{12}^2)\right]$
 $f = \frac{Eutily}{E_{xuell}} = \frac{1}{2}\left[(V_1^2 - V_2^2) + (U_1^2 - U_2^2) + (V_{12}^2 - V_{12}^2)\right]$
 $\phi = \frac{6}{V_2} \frac{1}{V_2} \frac{V_1^2}{V_1^2} + (U_1^2 - U_2^2) + (V_{12}^2 - V_{12}^2)\right]$
 $f = \frac{Eutily}{E_{xuell}} = \frac{1}{V_2}\left[(V_1^2 - V_2^2) + (U_1^2 - U_2^2) + (V_{12}^2 - V_{12}^2)\right]$
 $f = \frac{1}{V_2} \frac{V_1^2}{V_2} \frac{V_1^2}{V_2} + (U_1^2 - U_2^2) + (V_{12}^2 - V_{12}^2)\right]$
 $f = \frac{1}{V_2} \frac{V_1^2}{V_2} \frac{V_1^2}{V_1^2} + (U_1^2 - U_2^2) + (V_{12}^2 - V_{12}^2)\right]$
 $f = \frac{1}{V_1} \frac{V_1^2}{V_2} \frac{V_1^2}{V_1^2} \frac{V_1^2}{V_1^2}$



3. Draw inlet and exit velocity triangles for a radial flow machine with i) Backward blade ii) Radial blade iii) Forward blade (5 marks)





5. Performance of a turbomachine depends on the following variables, Discharge (Q), Speed (N), Rotor diameter (D), Energy per unit mass flow (gH), Power (P), Density (ρ), Dynamic viscosity (μ). Using dimensional analysis, obtain the π -terms. (Do not expalin the significance) (12 Marks)

SCHEME: EACH π -term carries 4 Marks each

Solution
General Relationship is.

$$P(B, N, D, gH, P, S, \mu) = Constant.$$

No of Variables, $n = 7$.
No of Fundamental variables, $m = 3$.
No of $7T$ -terms = $(n-m) = 7-3 = 4$.
 $Dimensions$
 $Q = m^3/s = L^3 T^{-1}$
 $N = 7pm = 1/s = T^{-1}$
 $D = m = L$
 $gH = m^2/s^2 = L^2 T^{-2}$
 $P = T/s = ML^2 T^{-3}$
 $g = k_0/m^3 = mL^{-3}$
 $\mu = N^{-s}/m^2 = ML^{-1} T^{-1}$
 $T_1 = D^{a_1} N^{b_1} g^{(a)} Q$.
 $T_1 = D^{a_2} N^{b_3} g^{(b)} gH$
 $T_3 = D^{a_3} N^{b_3} g^{(c)} p$

$$\frac{T_{1}}{R_{1}} = \int_{0}^{L_{1}} N^{b} g^{c_{1}} Q.$$

$$M^{b} L^{b} T^{b} (T^{-1})^{b} (ML^{-3})^{c_{1}} (L^{3}T^{-1})$$

$$Equaling Powers of M.$$

$$\boxed{0: c_{1}}$$

$$Equaling Powers of L.$$

$$0: a_{1} - 3:$$

$$\boxed{a_{1}: - 3}$$

$$Equaling Powers of T.$$

$$0: -b_{1} - 1:$$

$$\boxed{b_{1}: - 1}$$

$$o_{0}^{b} T_{1} = D^{-3} N^{-1} g^{0} Q.$$

$$\boxed{T_{1}: - \frac{Q}{ND^{3}}}$$

$$T_{2} = D^{-2} N^{-2} g^{0} g H.$$

$$T_{3} = D^{-3} N^{-2} g^{0} g H.$$

$$T_{3} = D^{-2} N^{-2} g^{0} g H.$$

$$\frac{TT_{3} - herm}{TT_{3} = D^{n_{3}} N^{b_{3}} J^{c_{3}} P.}$$

$$M^{0}L^{0}T^{0} = L^{n_{3}} (T^{-1})^{b_{3}} (ML^{3})^{c_{3}} ML^{2}T^{-3}$$
Equaling Powers of M.

$$0: c_{3} + 1$$

$$ignaling Powers of L,$$

$$0: a_{3} - 3c_{3} + 2$$

$$ignaling Powers of T,$$

$$0: -b_{3} - 3$$

$$ignaling Powers of T,$$

$$0: -b_{4} - 1$$

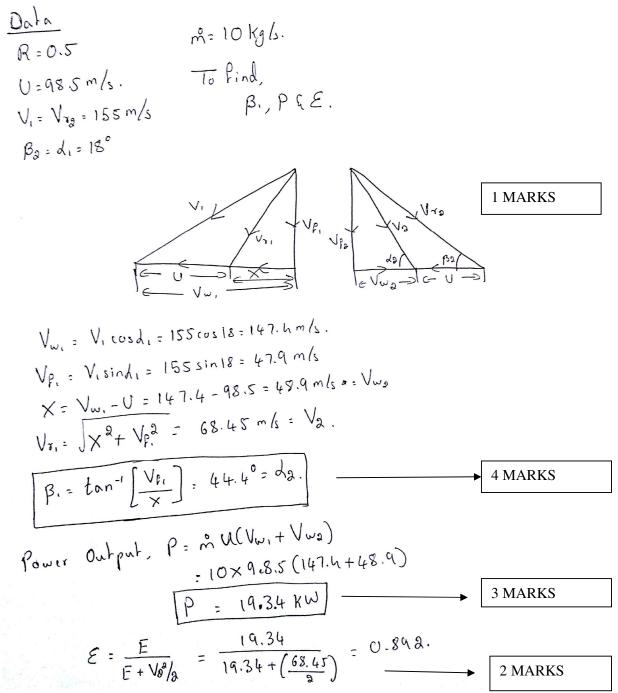
$$ignaling Powers of L,$$

$$0: -b_{4} - 1$$

$$ignaling Powers of$$

PART- C (Answer any one)

6. In a certain turbo machine, the inlet whirl velocity is 15m/s, inlet flow velocity is 10m/s, blade speeds are 30m/s and 8m/s respectively. Discharge is radial with an absolute velocity of 15 m/s. If water is the working fluid, flowing at the rate of 1500 litre/s, calculate: i) Power in kW ii) the change in total pressure in bar iii) the degree of reaction and iv) Utilization factor. (10 Marks)



7. The velocity of fluid from the nozzle in an axial flow impulse turbine is 1200 m/s. The nozzle angle is 22°. If the rotor blades are equiangular and the rotor tangential blade speed is 400m/s, find i) The rotor blade angles ii) The tangential force on the blade rings iii) Power Output iv) Utilization Factor. Assume $V_{r1}=V_{r2}$ (10 Marks)

