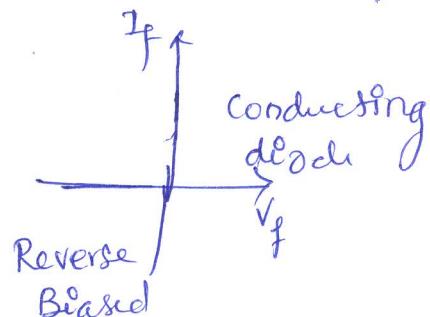
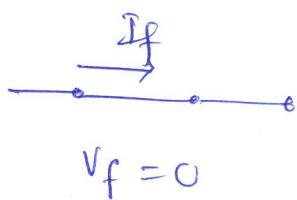
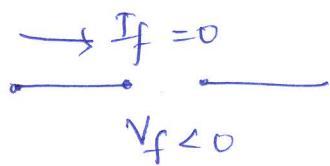


8

Solutions for
Internal Exam I

Q1. Ideal and piecewise linear approximation model.

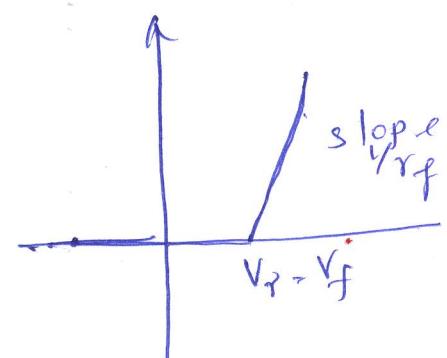


- * The drop across the conducting diode is also zero.
- * In case of ideal diode, it is assumed that it starts conducting instantaneously when applied voltage V_f is just greater than I_{uo} . and hence cut in voltage is zero.
- * So conducting diode can be ideally replaced by a short circuit.

* While ideally a reverse biased diode is assumed to be open circuit as the reverse current for an ideal diode is zero.

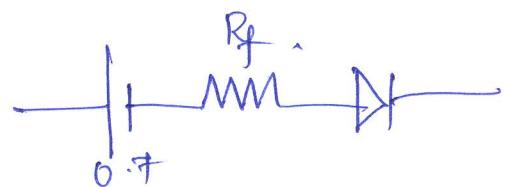
Piecewise linear method.

The approximation of characteristics with the help of pieces of straight lines is called linear piecewise approximation.



To obtain this approximation $V_f = V_T$.
 is marked on a voltage axis and then a straight line is drawn with a slope equal to reciprocal of its dynamic forward resistance.

Thus the approximation consists of two straight line pieces - one horizontal and other with slope (V_{rf}). This is shown above.
 Equivalent circuit



Q.1
(B)

Ge diode

$$T = 100^\circ C$$

$$I_S = 16 \mu A$$

$$I_F = 60 mA, \quad \eta = 1$$

$$I_F = I_S \left(e^{\frac{V_f}{nV_T}} - 1 \right) \rightarrow ①$$

$$V_T = \frac{kT}{q} = \frac{1.38 \times 10^{-23} \times 313}{1.6 \times 10^{-19}}$$

$$V_T = 0.03217 V$$

By substituting in the ①

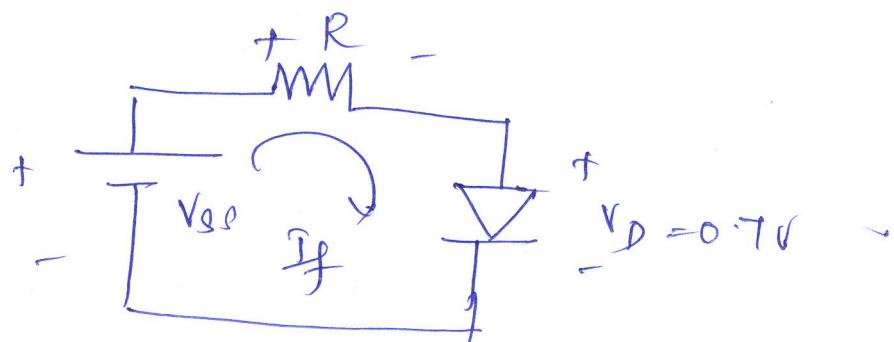
$$60 \times 10^{-3} = 16 \times 10^{-6} \left[e^{\frac{V_f}{1 \times 0.03217}} - 1 \right]$$

$$\left[e^{\frac{(V_f / 32.17) \times 10^3}{}} - 1 \right] = 3750$$

$$e^{\left(\frac{V_f}{32.17 \times 10^3}\right)} = 3751$$

$$\boxed{V_f = 0.2647V}$$

3.



By applying KVL,

$$V_{SS} - I_f R - V_D = 0$$

$$V_{SS} - I_f R - V_D = 0$$

$$\boxed{V_{SS} = V_D = 20V}$$

$$I_f = \frac{20 - 0.7}{10}$$

$$\text{Sub. } V_D = 0$$

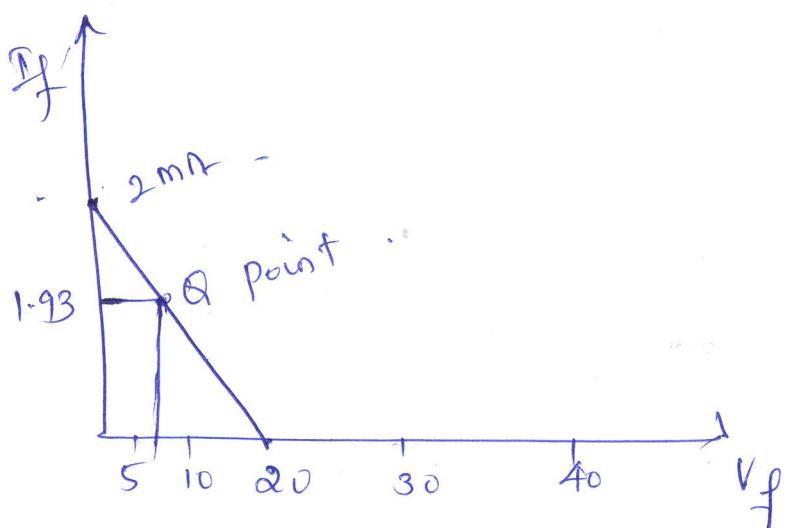
$$\boxed{I_f = 1.93A}$$

$$V_{SS} - I_f R = 0$$

$$I_f = \frac{V_{SS}}{R}$$

$$I_f = \frac{20}{10}$$

$$\boxed{I_f = 2mA}$$



4.
(B)

$$I_B = 150 \mu A$$

$$I_C = 2.5 mA$$

$$\alpha = ? \quad \beta = ?$$

$$I_E = ?$$

$$\beta = \frac{I_C}{I_B}$$

$$= \frac{2.5 \times 10^{-3}}{150 \times 10^{-6}}$$

$$\boxed{\beta = 16.66}$$

$$\alpha = \frac{\beta}{1+\beta}$$

$$= \frac{16.66 \cancel{16.66}}{1 + 16.66}$$

$$\alpha = 0.944$$

$$I_E = I_C + I_B$$

$$I_E = 150 \times 10^{-3} + 25 \times 10^{-3}$$

$$I_E = 2.65 mA$$

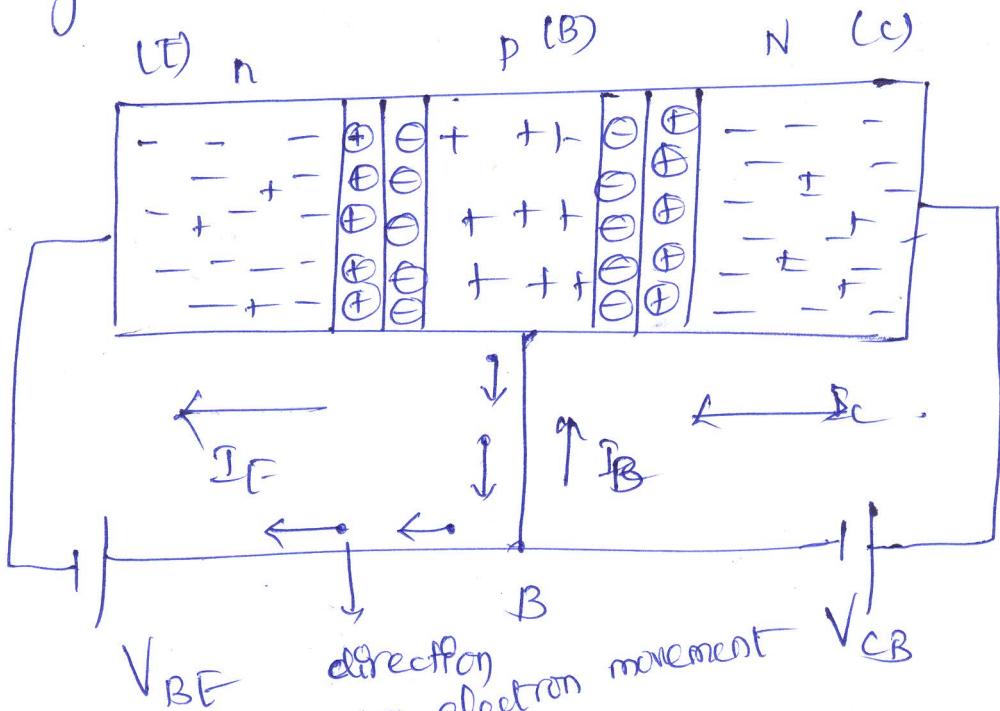
(iii) I_B unchanged
to 25

$$I_C = I_C + 10$$

$$\beta = \frac{2.5 \text{ mA} + \cancel{2.5 \text{ mA}}}{150 \mu A + 25 \text{ mA}}$$

$$\boxed{\beta = 41.42 \approx 72}$$

5. Working of NPN Transistor :



Symbol:

V_{BE}

$E_B \downarrow n \rightarrow P_B$

$C_B \downarrow h \rightarrow R.B.$

N-(Emitter)

heavily
doped

B-(Base)
 \rightarrow lightly doped

C-(Collector)
 \rightarrow moderately
doped

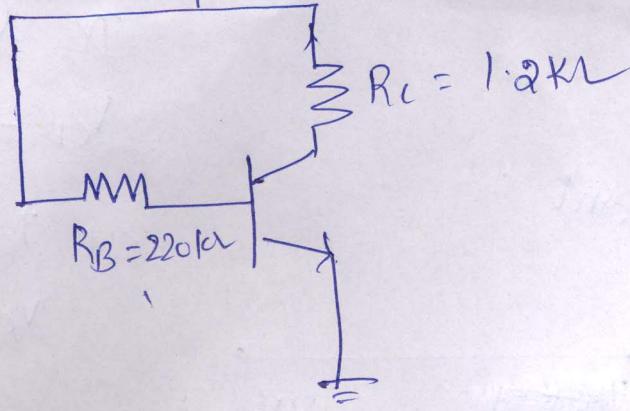
* In NPN transistor, E is of n^+ type and collector of n^- type -
Base of P type and

* Due to diffusion electrons from
Emitter (n^-) will move towards Base . Due to
the less doping in Base , few electrons
empty recombine with holes present in Base .
The maximum electrons from emitter reach
collector .

The lack of holes ~~in~~ in base
will be compensated by the holes supplied
by the battery .

$$\text{Thus } I_E = I_B + I_C$$

b.



By applying KVL to the input loop.

$$V_{CC} - R_B I_B - V_{BE} = 0$$

$$I_B = \frac{V_{CC} - V_{BE}}{R_B} \Rightarrow 4.22 \times 10^{-5} A$$

$$I_C = \beta I_B$$

$$I_C = 50 \times 4.22 \times 10^{-5}$$

$$I_C = 2.11 \times 10^{-3}$$

$$\boxed{I_C = 2.11 \text{ mA}}$$

By applying KVL to o/p loop,

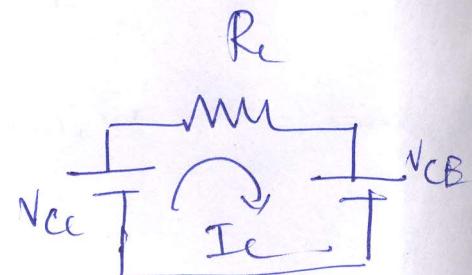
$$V_{CC} - I_C R_C - V_{CE} = 0$$

$$V_{CE} = V_{CC} - I_C R_C$$

$$\boxed{V_{CC} = 7.468 \text{ V}}$$

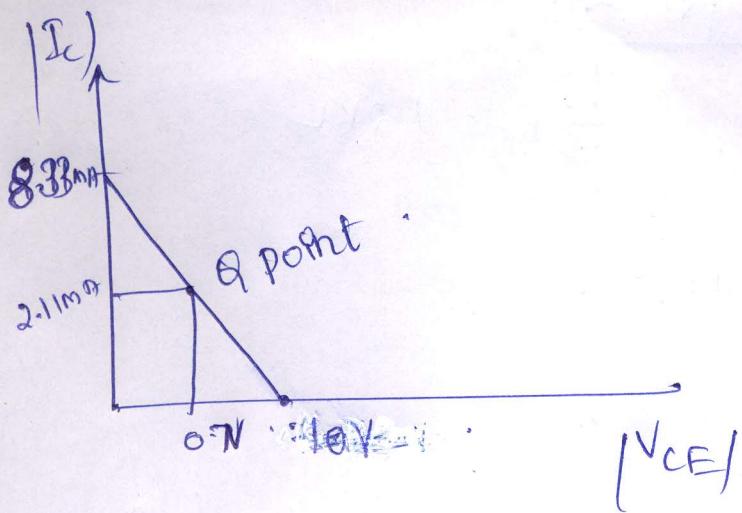
$$V_{CE} = V_C - V_E$$

$$V_{CE} = V_C = 7.468 \text{ V} \quad \because V_E = 0 \quad V_{BE} = V_B - V_E \\ V_{BE} = 0.7 \text{ V}$$



$$V_{BE} = V_B - V_E$$

$$V_{BE} = V_B = 0.7 \text{ V}$$



DC load line

$$V_{CE} = V_{CC} - I_c R_C$$

$$\text{dph. } I_c = 0$$

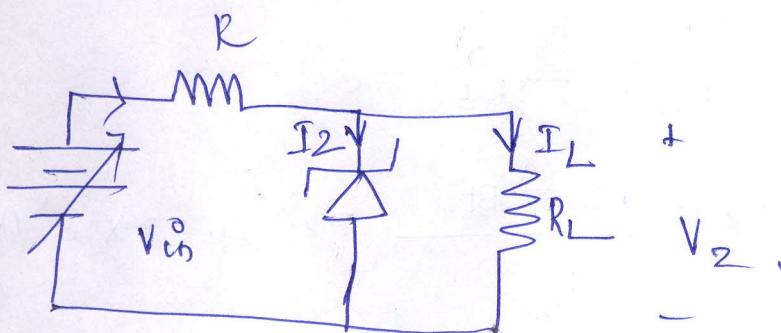
$$V_{CC} = V_{CE} = 10V$$

$$I_c = \frac{V_{CE}}{R_C}$$

$$= 2.11mA$$

Q2.

(B)



$$R_L = 1k\Omega \quad V_2 = 6.1V$$

$$I_L = \frac{V_2}{R_L} = \frac{6.1}{1 \times 10^3} = 2.5mA$$

$$I = I_{Zmin} + I_L = 2.5mA$$

$$I = I_{Zmin} + I_L = 2.5 + 6.1 = 8.6mA$$

$$V_{in(\min)} = V_2 + IR = 6.1 + (8.6 \times 10^{-3} \times 2.2 \times 10^3) \\ = 25.02V$$

$$V_{in(\max)}, \frac{I}{2} = I_{Zmax} = 25mA$$

$$I = I_{Zmax} + I_L$$

$$= 25 + 6.1 = 31.1mA$$

$$V_{in(\max)} = V_2 + IR = 6.1 + (31.1 \times 10^{-3} \times 2.2 \times 10^3) \\ = 74.52V$$

The range of input voltage that can be varied is 25.02V to 74.52V for which output is constant.